

Scrape-off layer simulations in a Double Null magnetic configuration

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The GBS Model

- The GBS Code simulates edge and SOL turbulent dynamics over a 3D domain [Halpern et al., JCP 2016], [Ricci et al. PPCF 2012]
- GBS evolves the drift-reduced Braginskii equations with ordering $k_{\parallel} \ll k_{\perp}$ and $d/dt \ll \omega_{ci}$. [Zeiler et al., PoP 1997]
- Magnetic pre-sheath boundary conditions are used for the outer boundary. [Loizu et al., PoP 2012.]

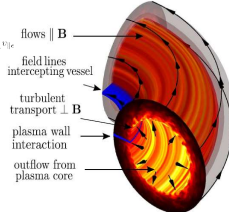
$$\frac{\partial n}{\partial t} = -\frac{1}{B} \frac{\partial \phi}{\partial t} \left[\frac{\partial \phi}{\partial r} + \frac{2}{B} \left(C(p_e) - \nu C(\phi) \right) - \nabla_{\parallel} (n v_{\parallel}) + D_{\perp} \nabla_{\perp}^2 n + S_n \right]$$

$$\frac{\partial \phi}{\partial t} = -\frac{1}{B} \frac{\partial \phi}{\partial t} \left[\frac{\partial \phi}{\partial r} + \frac{2}{B} \left(C(p_e) - \nu C(\phi) \right) - \nabla_{\parallel} (n v_{\parallel}) + D_{\perp} \nabla_{\perp}^2 n + S_n \right]$$

$$\frac{\partial v_{\parallel}}{\partial t} = -\frac{1}{B} \frac{\partial \phi}{\partial t} \left[\frac{\partial \phi}{\partial r} + \frac{2}{B} \left(C(p_e) - \nu C(\phi) \right) - \nabla_{\parallel} (n v_{\parallel}) + D_{\perp} \nabla_{\perp}^2 n + S_n \right]$$

$$\frac{\partial T_e}{\partial t} = -\frac{1}{B} \frac{\partial \phi}{\partial t} \left[\frac{\partial \phi}{\partial r} + \frac{2}{B} \left(C(p_e) - \nu C(\phi) \right) - \nabla_{\parallel} (n v_{\parallel}) + D_{\perp} \nabla_{\perp}^2 n + S_n \right]$$

$$\omega = \nabla_{\perp}^2 \phi, \quad \langle \phi, f \rangle = \int \langle \nabla \times \nabla f \rangle, \quad C(f) = \frac{1}{2} \left(\nabla \times \frac{\partial f}{\partial t} \right) \cdot \nabla f, \quad \tilde{f} = \frac{f}{B}$$



Up-Down Asymmetry

- Consider main terms in time and toroidally averaged Ohm's law, which is contained within the GBS $v_{\parallel e}$ equation: $\nabla_{\parallel}(\phi) = 1.71 \nabla_{\parallel}(T_e) - \langle \frac{e}{n} \nabla_{\parallel} n \rangle - \langle \nu j_{\parallel} \rangle$
- To obtain ϕ we integrate along the field lines, taking the mean of the integrals from either end of the field line:

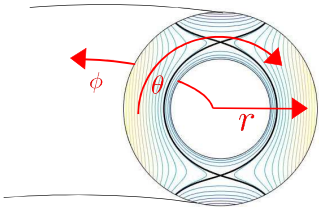
$$\phi(z) = \frac{1}{2} (\phi^+ + \phi^-) + 1.71 \int_{z_0}^z (T_e^+ + T_e^-) dz + \frac{1}{2} \int_{z_0}^z \frac{T_e \partial n}{n \partial z} dz + \int_{z_0}^z \frac{T_e \partial n}{n \partial z} dz - \frac{1}{2} \int_{z_0}^z \langle \nu j_{\parallel} \rangle dz + \int_{z_0}^z \langle \nu j_{\parallel} \rangle dz$$

- Simplified vorticity equation explains the form of the parallel current:

$$\nabla_{\parallel} j_{\parallel} = -\frac{2}{B} C(p_e)$$

The GBS Code

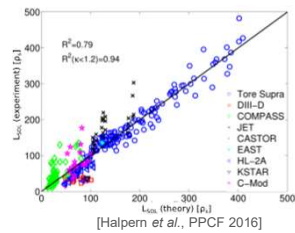
- Geometric coordinate system to avoid the coordinate singularity present for magnetic coordinates at the X-point.
- Flux-driven: no separation is made between equilibrium and fluctuating quantities.
- Plasma and heat outflow from the core mimicked by local plasma and heat sources and the code is evolved until a steady state is reached.
- 4th order finite differences for spatial derivatives and 4th order Runge-Kutta time stepping.



Magnetic flux surfaces and geometrical coordinate system.

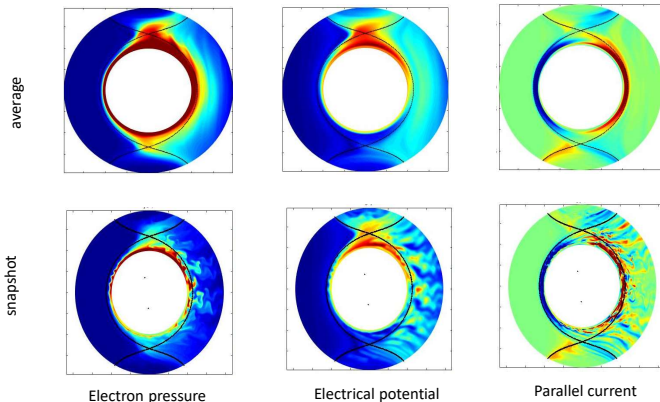
Some of the past GBS achievements

- Characterization of non-linear turbulent regimes in the SOL [Mosoletto et al., PoP 2015]
- SOL width scaling as a function of dimensionless/engineering plasma parameters [Halpern et al., PPCF 2016]
- Origin and nature of intrinsic toroidal plasma rotation in the SOL [Loizu et al., PoP 2014]
- Mechanisms regulating the SOL equilibrium electrostatic potential [Loizu et al., PPCF 2013]



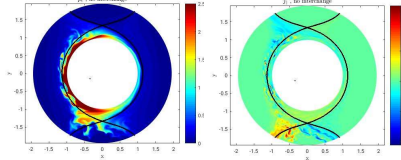
Double Null Simulation Results

- Magnetic equilibrium based on three current-carrying wires
- HFS is quiescent whilst LFS is turbulent.
- Pressure and electrical potential are higher at the upper than lower X point.
- High electrical potential at upper x point results in circulating flow.

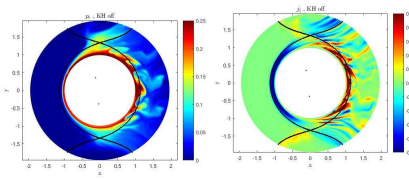


Role of interchange and Kelvin-Helmholtz drive

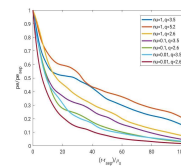
- Interchange instability drive – red circled terms – is removed.
- With drift-wave turbulence now dominant, HFS is more turbulent and the asymmetry is reversed.



- Kelvin-Helmholtz drive – green circled terms – is removed.
- Turbulence in upper part of HFS disappears
- Shape of turbulent structures on LFS changes.



Parameter scan in resistivity and safety factor



- The parallel resistivity, ν , varied by two orders of magnitude.
- Poloidal field strength (and hence safety factor q) also varied.
- The SOL width is increased with increased resistivity and higher q .

Blob transport

- Blobs dominate transport in outer SOL
- Blobs are tracked via pattern recognition.
- At higher resistivity, blobs have greater radial size and velocity
- But are less numerous, resulting in similar level of blob transport

Blob recognition for $\nu = 1$ (right) and $\nu = 0.01$ (left)

