





## Temporally Consistent Snow Cover Estimation from Noisy, Irregularly Sampled Measurements

Dominic Rüfenacht<sup>1</sup>, Matthew Brown<sup>2</sup>, Jan Beutel<sup>3</sup>, and Sabine Süsstrunk<sup>1</sup>

<sup>1</sup> Image and Visual Representation Group, EPF Lausanne, Switzerland
 <sup>2</sup> Department of Computer Science, University of Bath, UK
 <sup>3</sup> Computer Engineering and Networks Lab, ETH Zürich, Switzerland











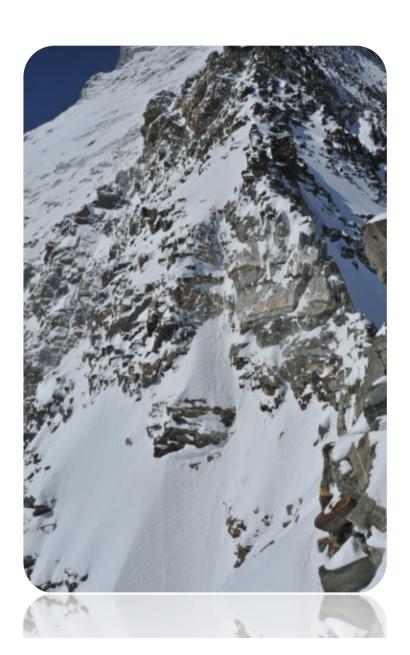


GMM



### **Outline**

- Introduction
  - PermaSense Project
- Single Image Snow Segmentation
  - GMM of Color
- Temporal Consistency
  - Median
  - Markov Random Field
- Improvement
- Results
- Conclusions



### **(P4**)

### PermaSense Project





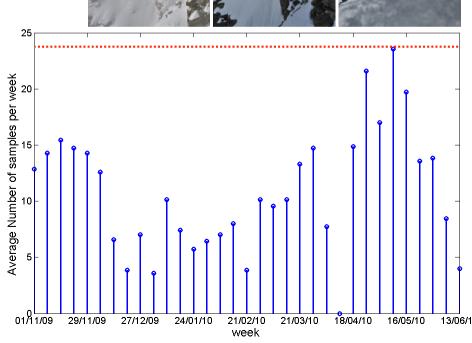
- Wireless Sensor Network (WSN) to monitor **Permafrost**
  - = rock, ground and debris **frozen** throughout the year
- DSLR to monitor snow coverage
  - Programmed to take hourly captures
- Challenges
  - Camera at 3500 m.a.s.l.
  - Extremely harsh weather conditions
  - Uninformative images
  - Missing images



### **Image Set**

- Very different image taking conditions
  - Changing illumination
- Noisy data
  - Precipitation on lens
  - Fog
  - Ice
- Irregular Sampling

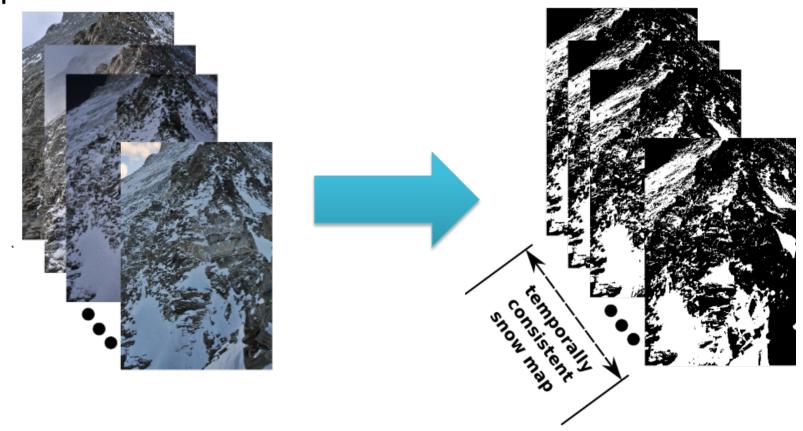






### **Project Aim**

Create a temporally consistent snow cover map which
is driven by informative images, and robust to
uninformative images where the illumination/visibility
is poor.





### **Single Image Snow Segmentation**

Gaussian Mixture Model of Color

**GMM** 

z = observation
x = snow state

$$p(z) = p_{s} \cdot \mathcal{N}(z; \mu_{s}, \Sigma_{s}) + \sum_{c} p_{c} \cdot \mathcal{N}(z; \mu_{c}, \Sigma_{c})$$

$$p(z|x=1) \qquad p(z|x=0)$$

Bayes Formula leads to:

$$p(x = 1|z) = \frac{p(z|x = 1) \cdot p_s}{p(z|x = 1) \cdot p_s + p(z|x = 0)}$$

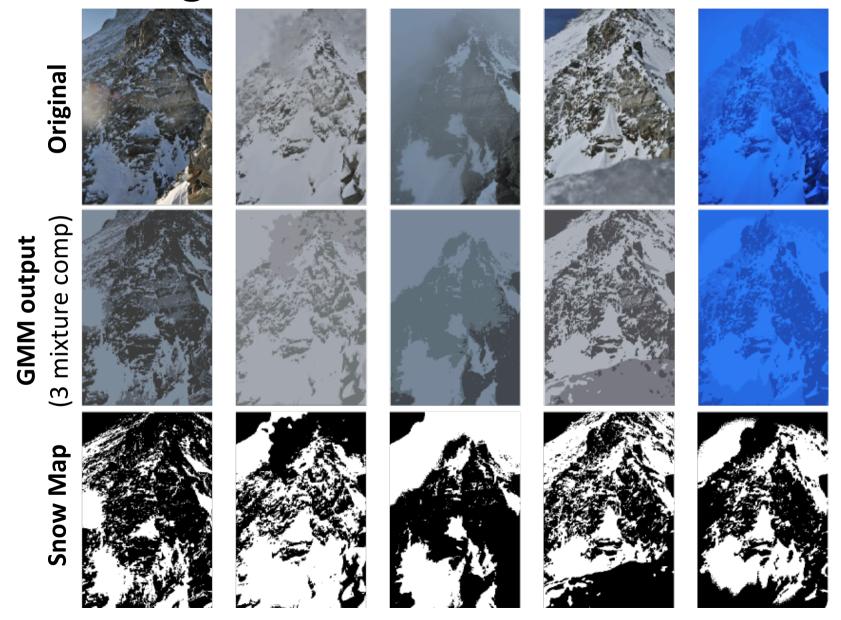


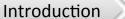
Temporal Cons.

Splitting

## **Some Segmentation Results**

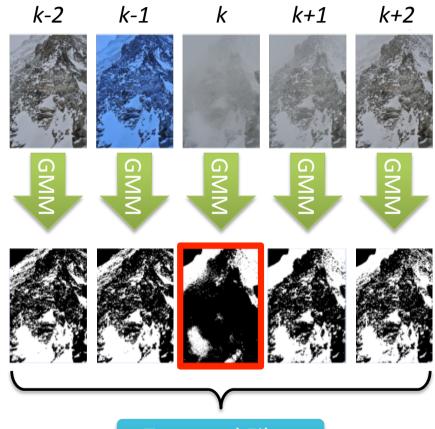
GMM





### **Temporal Consistency**

- Use temporal dependence between images to obtain temporally consistent results
- Different Approaches
  - Median Filter
    - In space and time
    - Not sensitive to data
  - Markov Random Field
    - Contains data and prior term









### Markov Random Field (MRF)

Minimize the following energy function

$$-\log p(z,x) = \sum_{i} f_1(z_i,x_i) + \sum_{i} \sum_{j \in N(i)} f_2(x_i,x_j)$$

Data term: Negative log likelihood from GMM

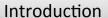
$$f_1(z_i, x_i) = -\log p(z_i|x_i)$$

Prior term: Potts Model

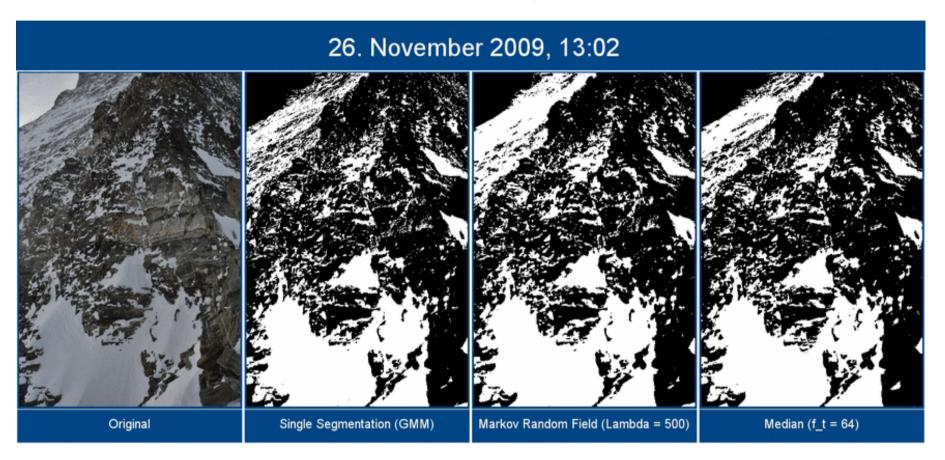
$$f_2(x_i, x_j) = \lambda_{i,j} |x_i - x_j|$$

controls the strength of the bond between adjacent pixels

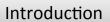
 Only need to connect neighboring pixels in time for temporally (and spatially) consistent results



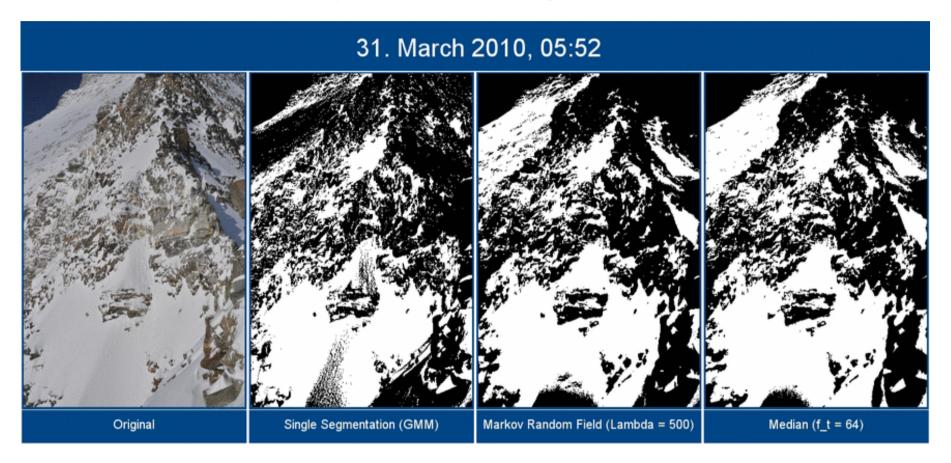
### Demo I on *Daytime* Images



 Long temporal filter sizes needed to be robust to uninformative images

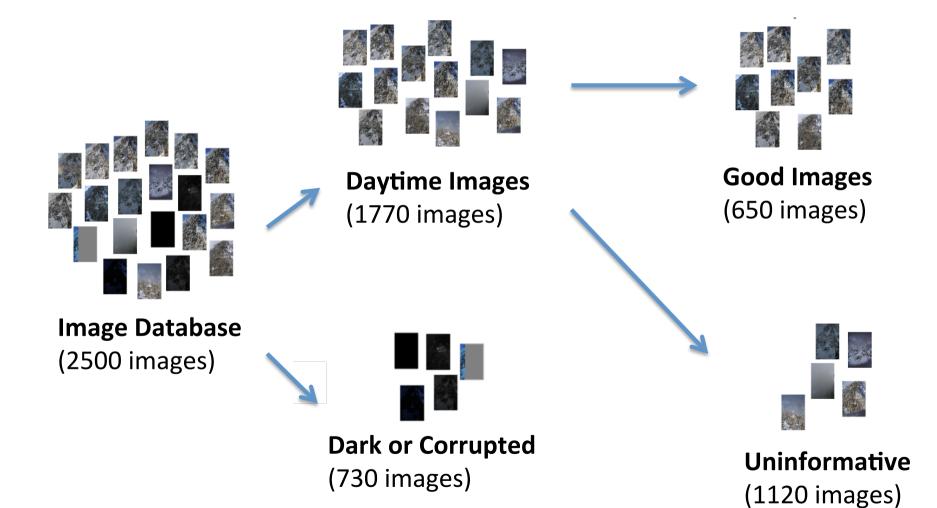


### Demo II on *Daytime* Images



Problems if too many consecutive images are uninformative

### A Closer Look at the Dataset



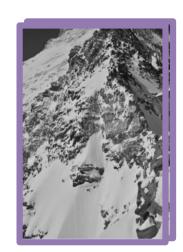
### **Excluding Uninformative Images**

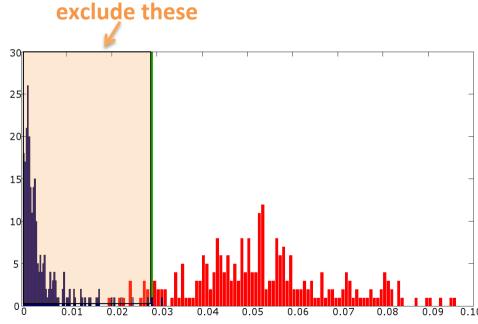
- Manually labelled 250 informative and 250 uninformative images
  - Sharpness Index

$$s = \frac{\sum_{m} \sum_{n} |L_{\text{high}}(m,n)|^2}{\sum_{m} \sum_{n} |L_{\text{low}}(m,n)|^2}$$

 Threshold set such that there are less than 1% false positives

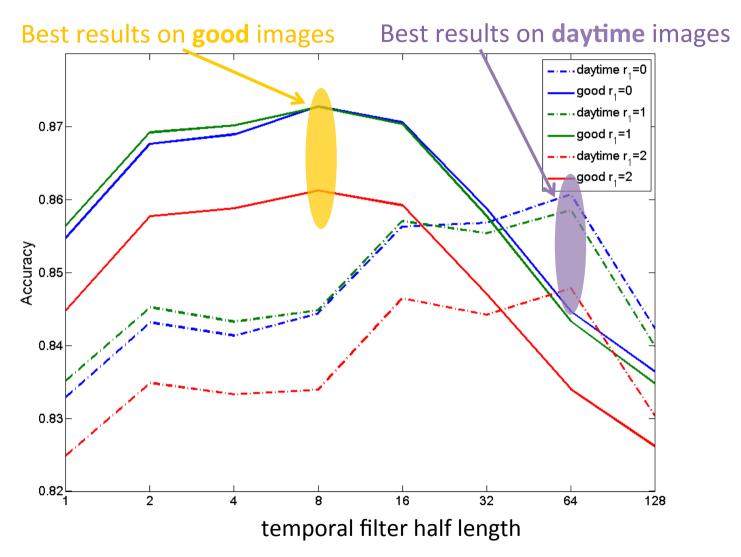






GMM

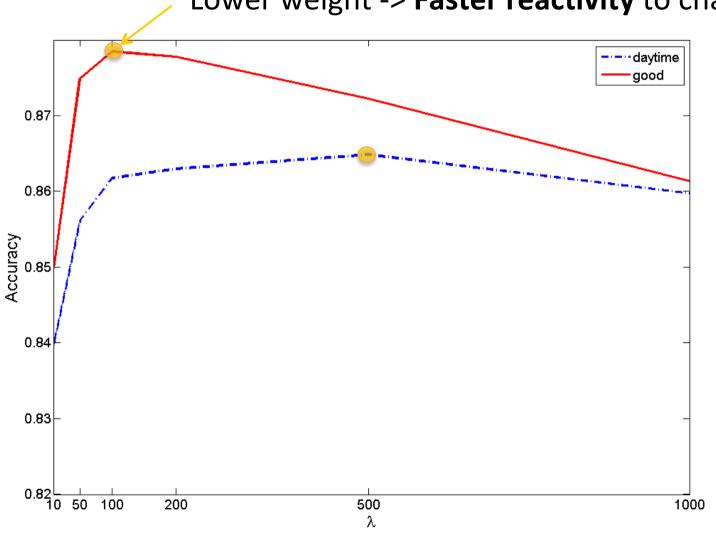
### **Results: Median Filter**



→Temporal filter length **reduced** by a **factor of 8** 

### Results: Markov Random Field (MRF)



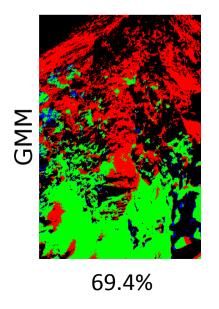


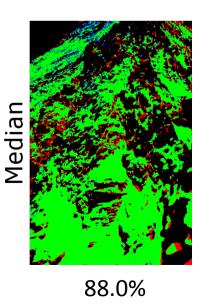
Results

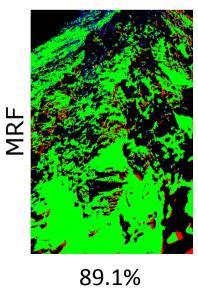


Method	Correctness	Std Dev
GMM of Color	83.3%	8.7
Median <i>Daytime</i>	86.1%	6.9
MRF Daytime	86.5%	6.6
Median <i>Good</i>	87.2%	6.8
MRF Good	87.9%	6.1

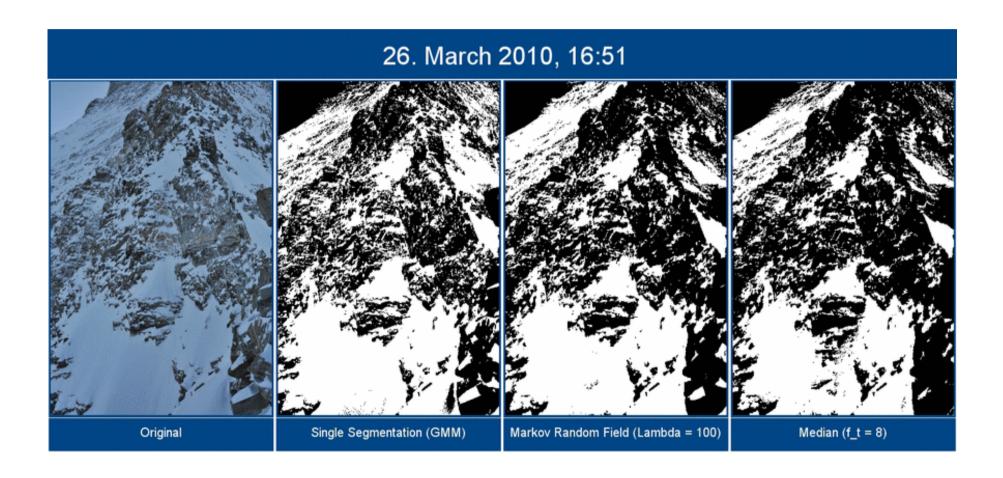








### Demo on *Good* Images





### **Conclusions & Future Work**

GMM

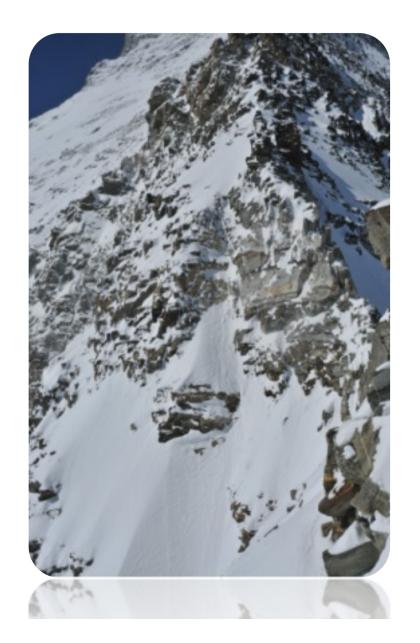
- Challenging dataset
  - Single image segmentation insufficient
  - Temporal filtering for more consistent results
- Incorporate domain knowledge
  - Discard uninformative images to improve results
- Future work
  - Implementation of a snow depositioning model
    - → Smoother transitions
  - Different models for different weather states
    - → Improve initial snow cover estimates



Swiss Federal Institute of Technology Zurich







# Thank you for your attention Question?

### More information:

PermaSense project:

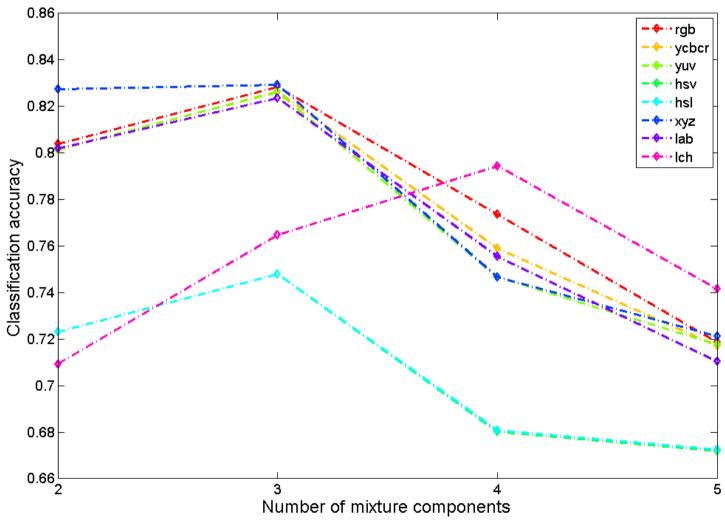
http://www.permasense.ch

Time Lapse Videos:

http://ivrg.epfl.ch/research/snow\_segmentation

### **Number of Mixture Components**

**GMM** 





**Three** Mixture Components



XYZ Color Space