

Confinement regimes in simple magnetized toroidal plasmas

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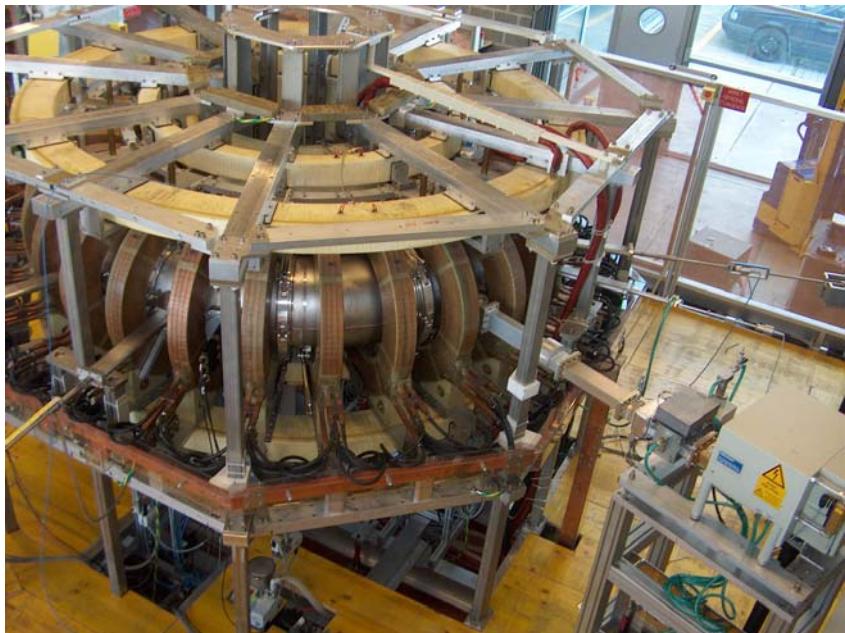
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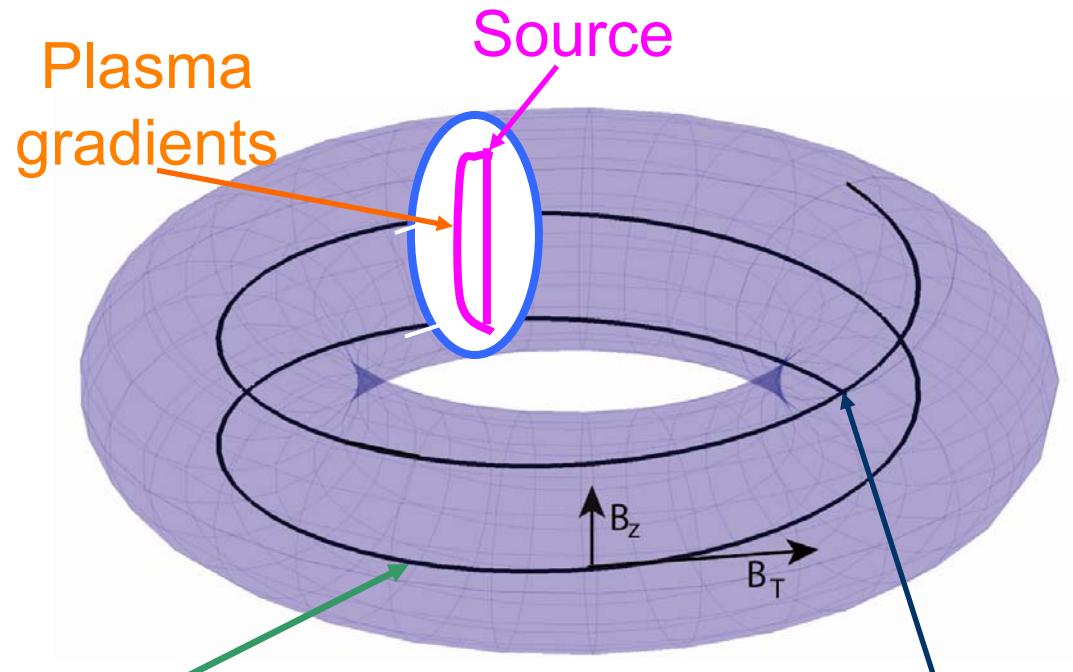
51st Annual Meeting of the Division of Plasma Physics - November 2 - 6, 2009 Atlanta, Georgia

The TORPEX device



[A. Fasoli et al., Phys. Plasmas 13, 055902 (2006)]

- Toroidal device: $R=1$ m, $a=0.2$ m
- Open field lines
- Plasma production: magnetron (LFS O-mode, 2.45 GHz, < 50 kW, ~1 s); Primary ionization at EC layer, main contribution from UH resonance

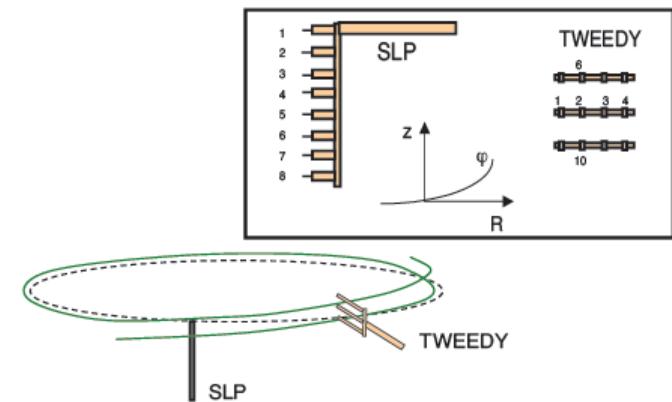
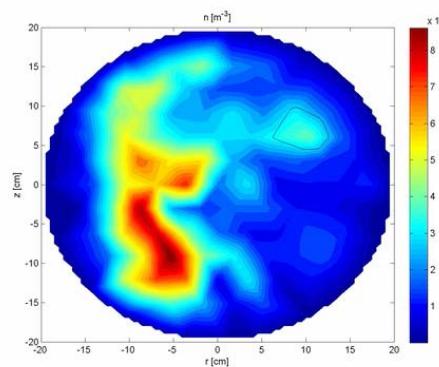


Magnetic curvature

Parallel losses

- H_2, He, Ne, \dots plasmas
- $P_{rf} = 400$ W
- $B_t = 76$ mT on axis
- Flexibility in parameter scan

Extensive set of diagnostics

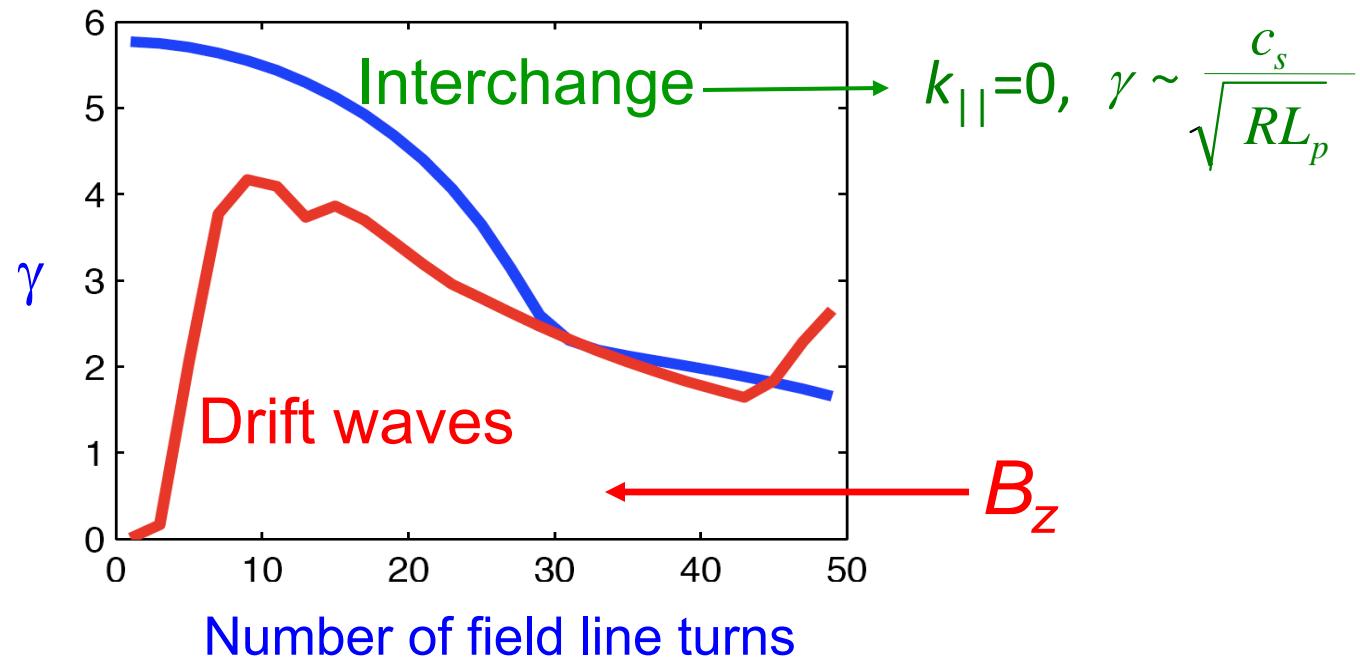
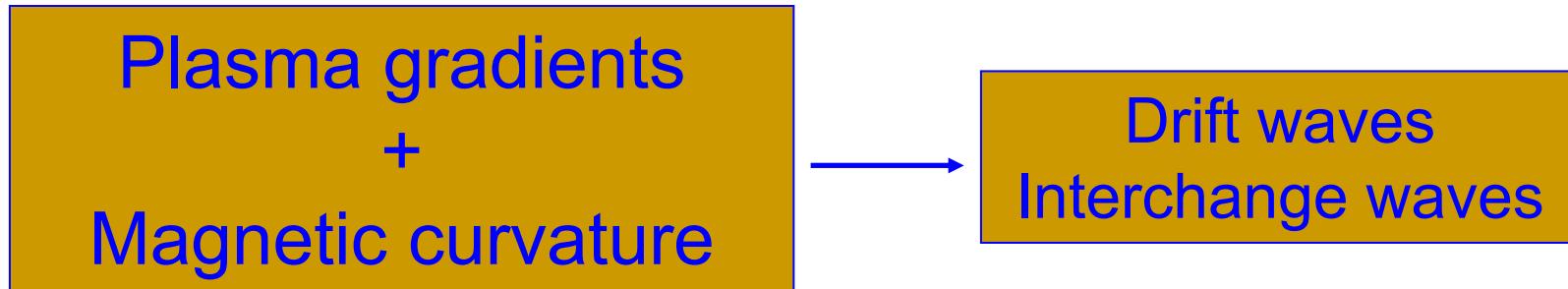


- HEXTIP: 86 electrostatic probes
 - $n \propto$ ion saturation current
 - Floating potential
- Complete coverage of the poloidal cross section
- Background/fluctuation profiles (250kHz acq. freq.).
- Structure analysis
- Movable Langmuir probes
- Time averaged 2D profiles of N_e , T_e , V_{pl} , V_{ExB}
- Complete characterization of waves:
 - Dispersion relation
 - ω , k_z , k_{\parallel}

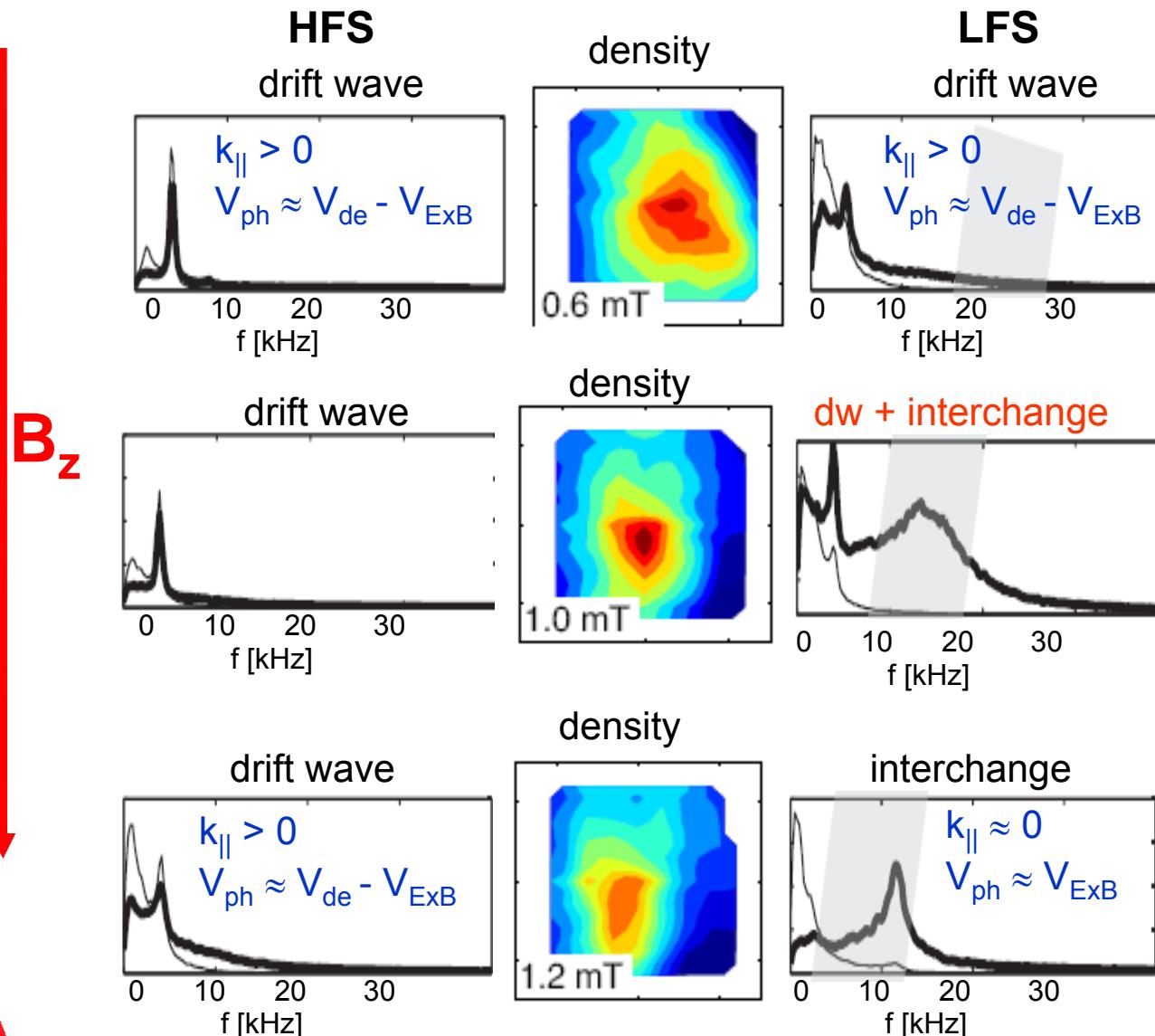
S. H. Mueller et al., Phys. Plasmas 13, 100701 (2006).

F. M. Poli, Phys. Plasmas 13, 102104 (2006)

Linear theory: drift and interchange modes are unstable



Experiments: B_z controls the nature of the instabilities



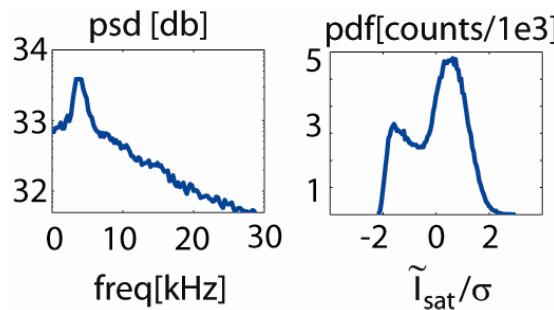
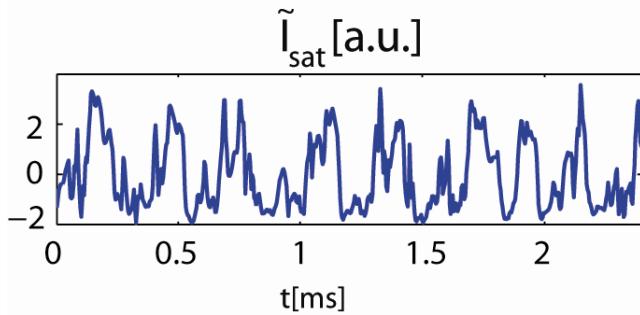
- Both drift and interchange instabilities observed
- Only DW on the HFS
- Co-existence in the unfavorable curvature region

high $B_z \Rightarrow$ interchange dominated regime

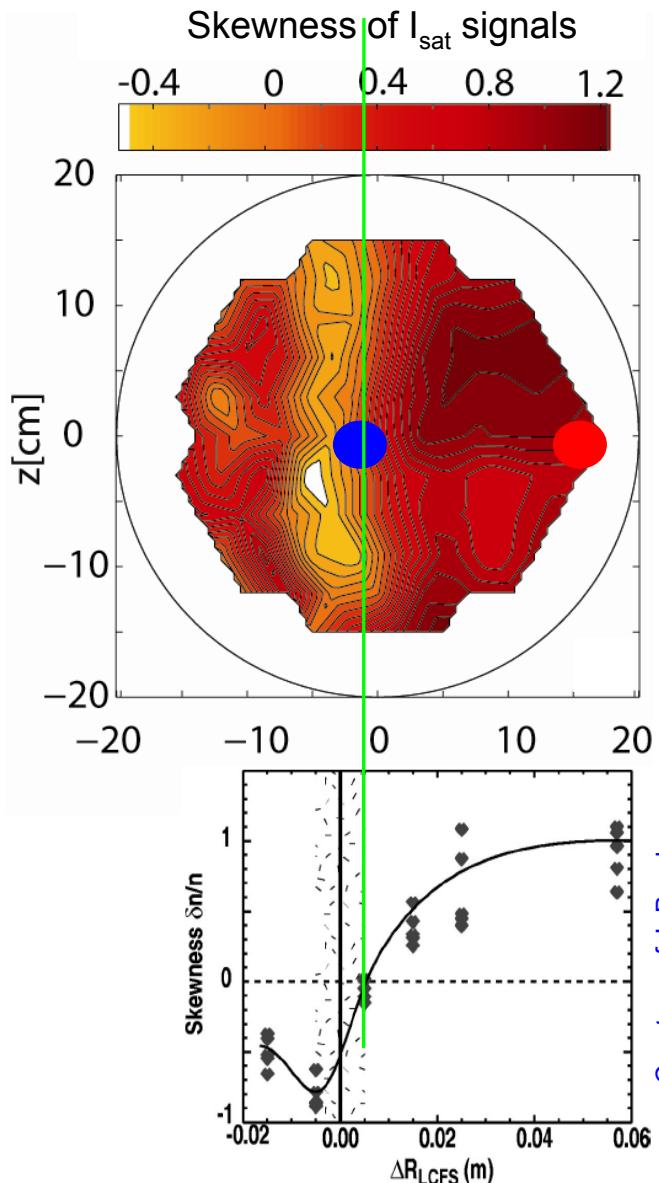
Focus of the work

High $B_z \Rightarrow$ SOL – like configuration

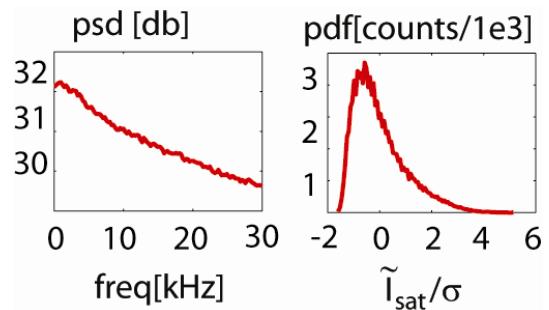
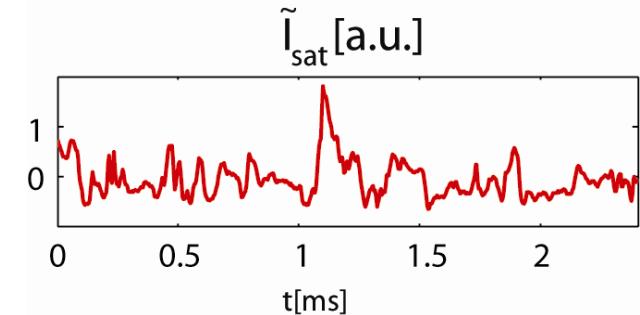
Main plasma region



- Double-humped pdf
- Coherent interchange mode at $f \sim 4\text{kHz}$

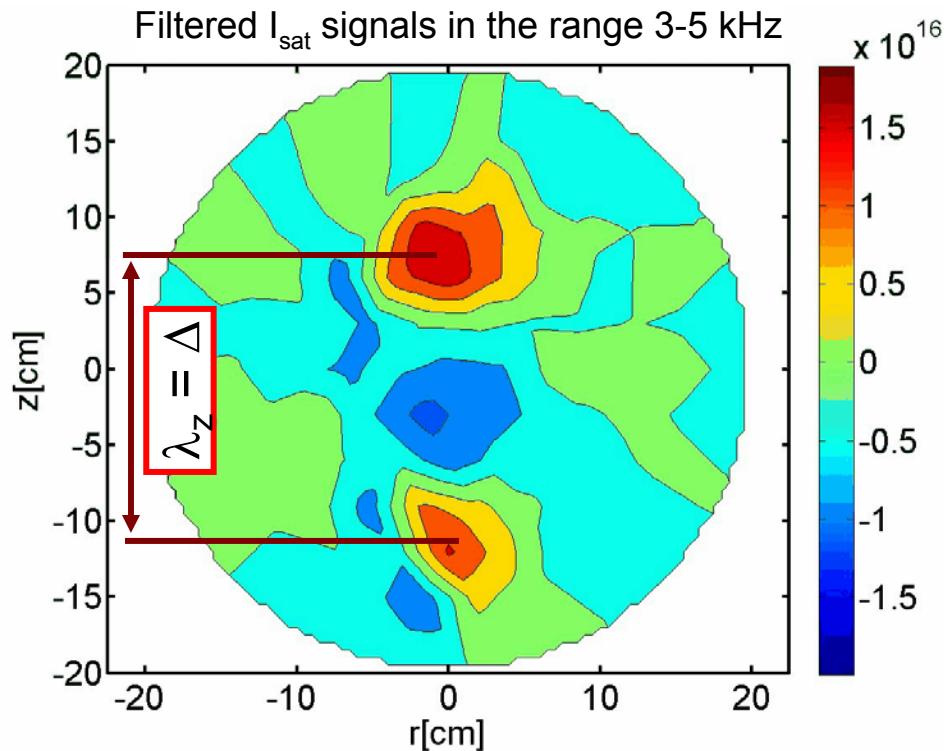


Source-free region

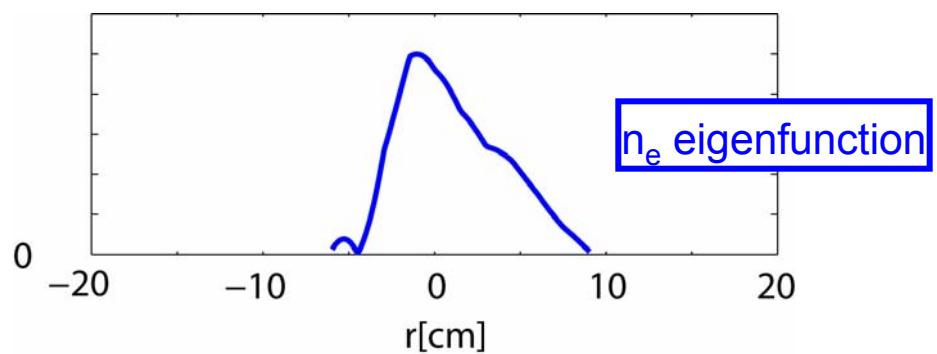


- Intermittent events
- Broad-band spectra
- Positively-skewed pdf

Main plasma: interchange wave

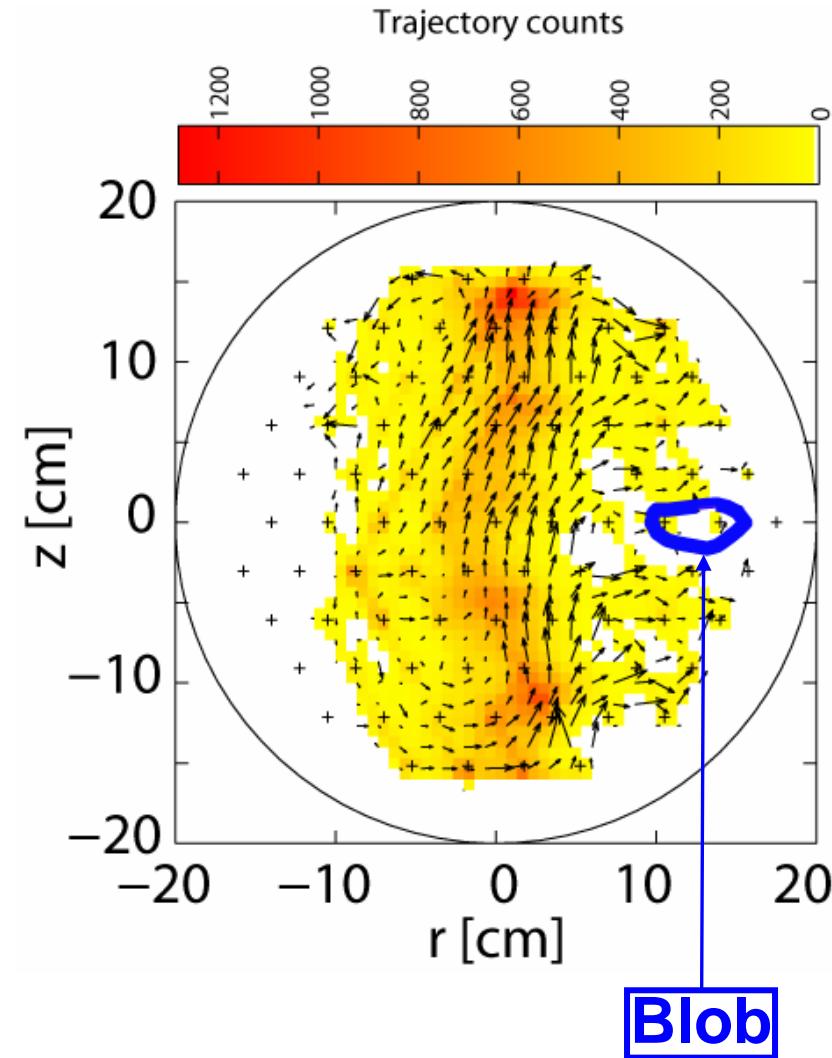


- Mode localized around max $|\nabla p_e / p_e|$
- Using a two-point correlation technique:
- $k_z \sim 30 \text{ m}^{-1} \Rightarrow \lambda_z = \text{field line return distance}$
- $k_{\parallel} < 0.046 \text{ m}^{-1} \ll k_z \Rightarrow \text{interchange}$
 - $V_z \sim 1.2 \text{ km/s} \Rightarrow \text{consistent with } \langle V_{E \times B} \rangle_t$



- Linearized three-field fluid model:
 - Exper. profiles of $\langle n_e, V_{pl}, T_e \rangle_t$
 - Interchange mode unstable
 - Convected by $E \times B$ flow

Source-free region: blobs

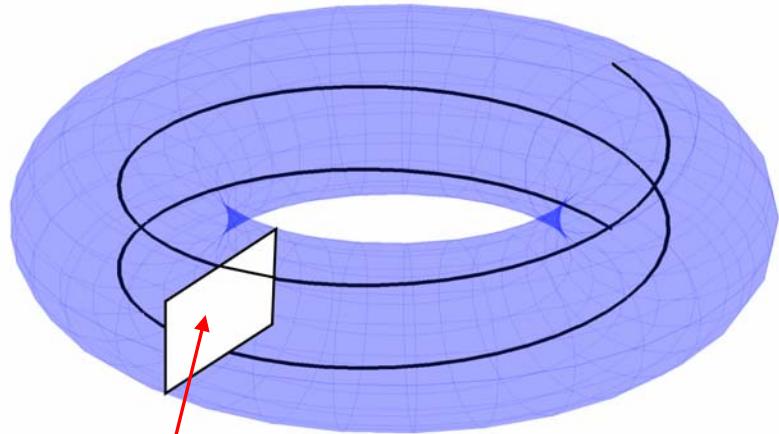


- ❑ Intermittent events are associated with blobs
- ❑ Blobs originate from the interchange wave in response to an increase of the interchange drive
- ❑ The wave is sheared off by the ExB flow
- ❑ Blobs propagate radially outwards (1-2km/s) in the source-free region

I. Furno, et al., Phys. Rev. Lett. **100**, 055004 (2008)

C. Theiler, et al., Phys. Plasmas **15**, 042303 (2008)

Theory development



2D domain

Density

$$\frac{dN}{dt} = D_n \nabla^2 N$$

- 2-Fluid model, evolving N, ϕ, T_e .
- ∇B and curvature taken into account.
- 2D geometry with dissipation in the parallel direction.
- Diffusion coefficients from Braginskii equations.
- Source terms from the experiment.

Temperature

$$\frac{dT_e}{dt} = D_T \nabla^2 T_e$$

Potential

$$\frac{d\nabla^2 \phi}{dt} = D_\phi \nabla^4 \phi$$

$$+ \frac{2}{R} \left(N \frac{\partial T_e}{\partial z} + T_e \frac{\partial n}{\partial z} - n \frac{\partial \phi}{\partial z} \right)$$

$$+ \frac{4}{3R} \left(\frac{7}{2} T_e \frac{\partial T_e}{\partial z} + \frac{T_e^2}{n} \frac{\partial n}{\partial z} - T_e \frac{\partial \phi}{\partial z} \right)$$

$$- \sigma N \sqrt{T_e} e^{\Lambda - \phi/T_e}$$

$$+ S_n$$

$$- \sigma \sqrt{T_e^3} e^{\Lambda - \phi/T_e}$$

$$+ S_T$$

$$+ \sigma \sqrt{T_e} (1 - e^{\Lambda - \phi/T_e})$$

$$+ S_p$$

$$+ S_{\phi}$$

$$+ S_{\phi, p}$$

$$+ S_{\phi, T}$$

$$+ S_{\phi, n}$$

$$+ S_{\phi, S}$$

$$+ S_{\phi, T}$$

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$$+ S_{\phi$$

Simulation prediction: L-H transition

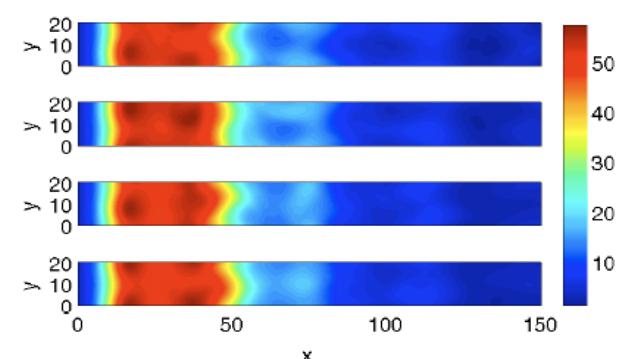
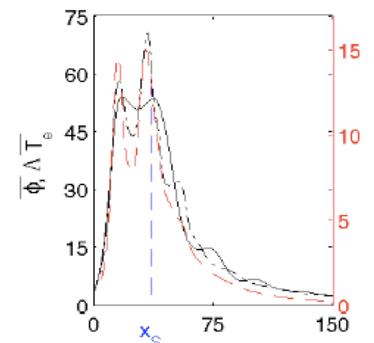
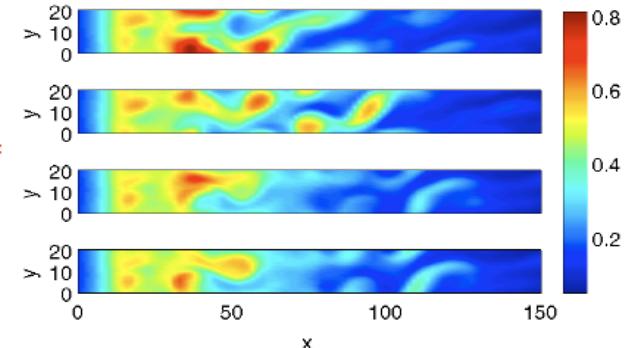
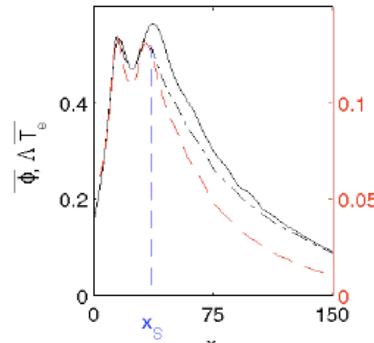
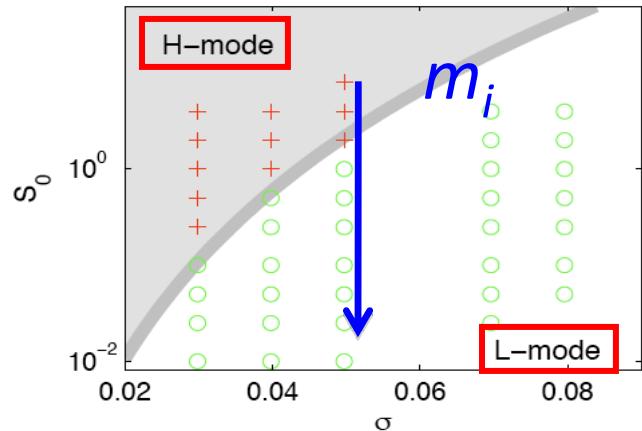
Simulations in the regime with negligible sheath effects:

$$(k_{\Delta} \rho_s)^2 \geq \sigma \sqrt{\frac{L_p}{2R}}$$

$$\sigma = \Delta / (2\pi L_v)$$

Two turbulent regimes

- L mode: blobs, no important shear flow
- H mode: no blobs, transport barriers due to strong shear flow



- High S
 - Low magnetic field
 - High ion mass
- H mode**

Theory predictions

L-mode

$$L_{T,N} \sim (L_V \sqrt{R})^{2/3}$$

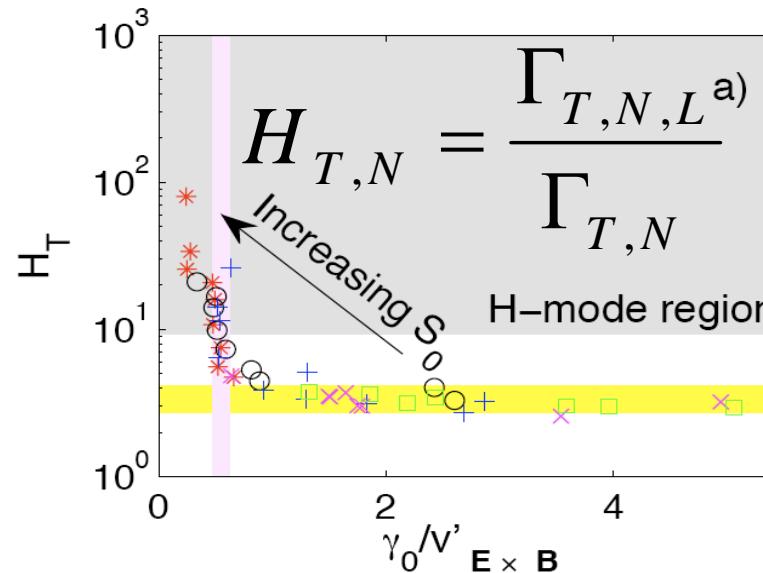
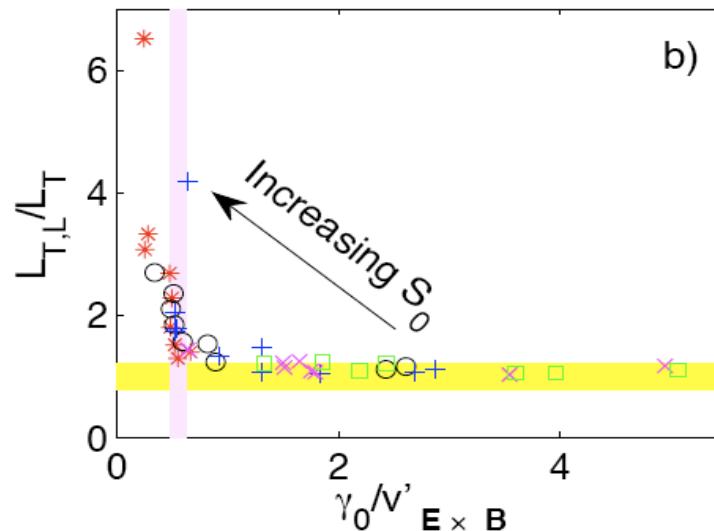
$$\tilde{n} \sim \bar{n} \sqrt{k_y L_p} / L_n$$

$$\Gamma = \bar{n} \sqrt{2 R L_p \bar{T}_e} / (L_n k_y)$$

H mode

$$L_{T,N|L} / L_{T,N} > 1$$

Profile steepening
Reduction of transport



Interch. growth rate

$$\gamma = (2/RL_p)^{1/2} c_s$$

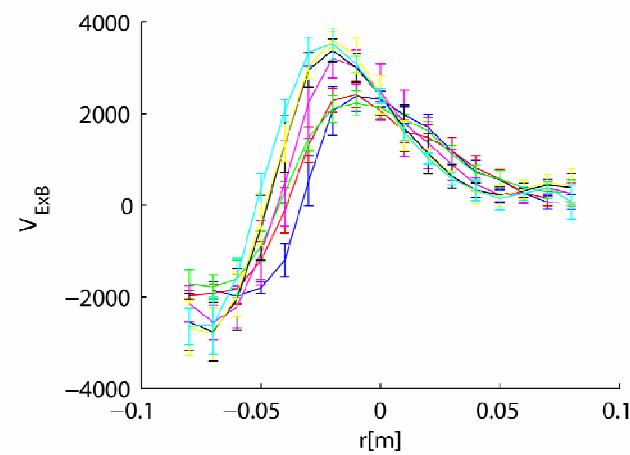
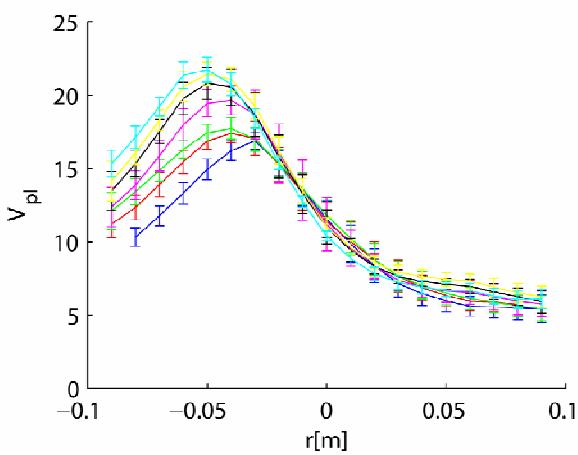
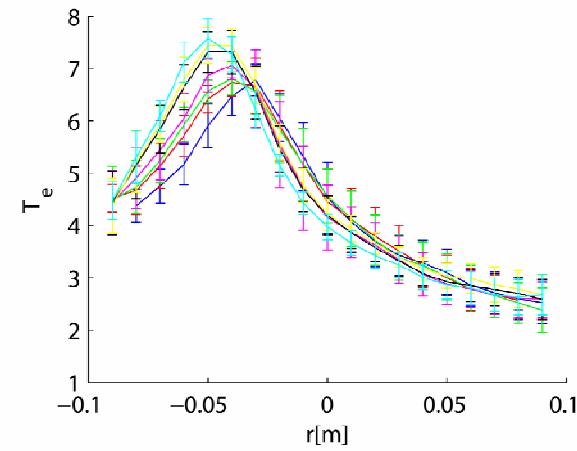
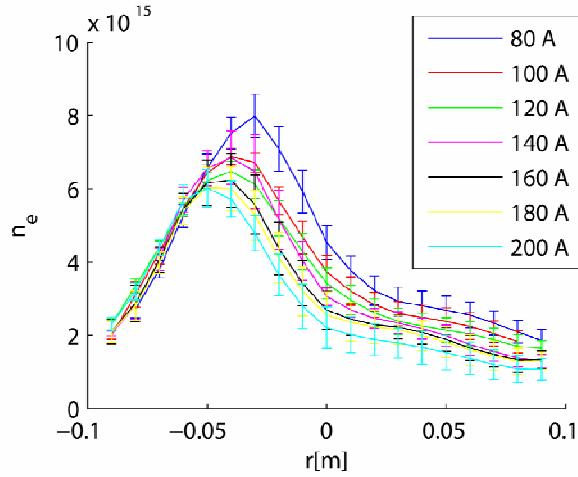
Shearing rate

$$v'_{E \times B}$$

$$\gamma / v'_{E \times B}$$

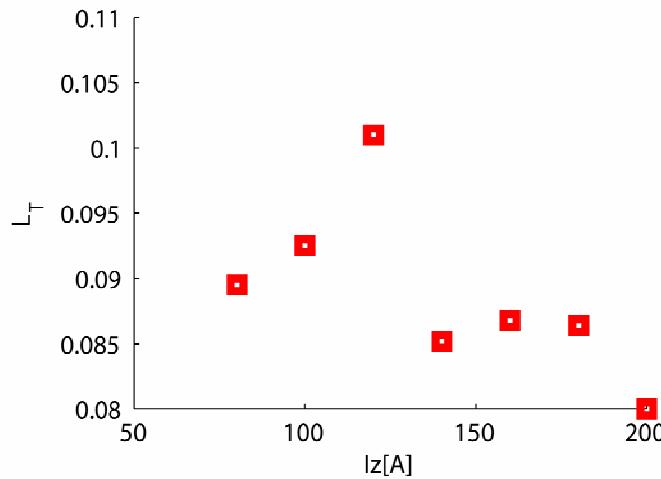
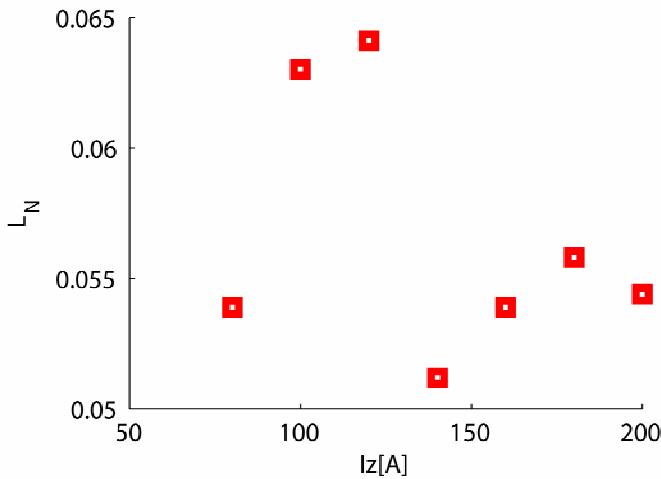
controls the transition

B_z scan : time-averaged profiles



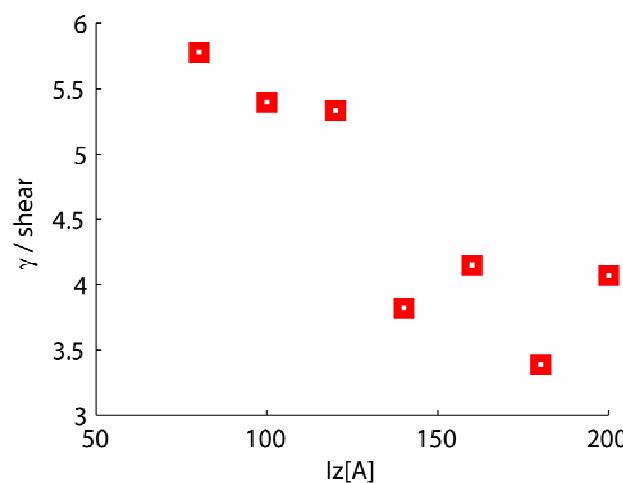
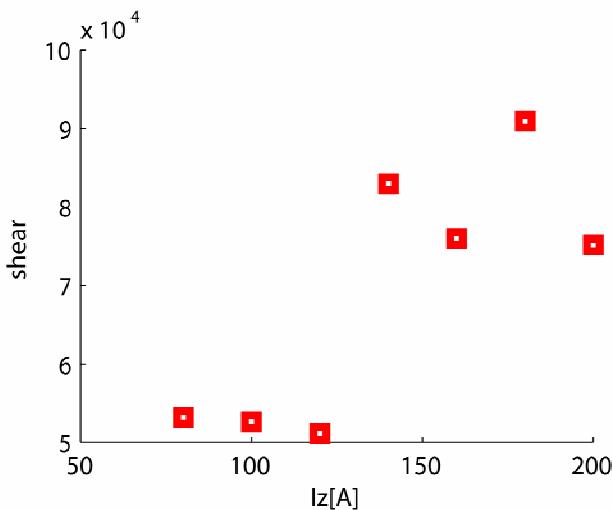
- H₂ plasmas
- P_{rf} = 400 W
- B_t = 76 mT on axis
- B_z = 1.7 mT \Rightarrow 4.2 mT
- Δ = 14 cm \Rightarrow 34 cm
- Vertically elongated (slab-like) profiles

B_z scan: scale lengths



$$\frac{(k_\Delta \rho_s)^2}{\sigma \sqrt{L_p / 2R}} > 1$$

↓



No sheath effects

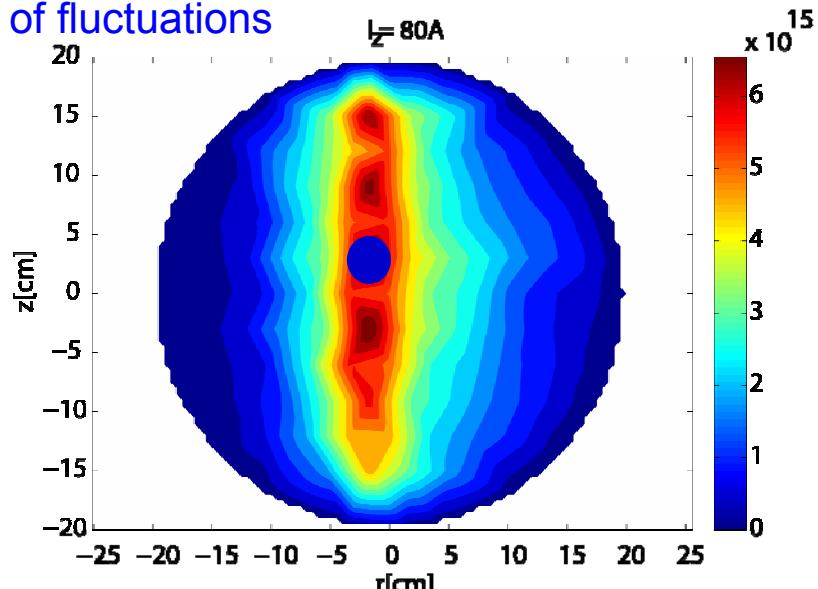
$$\frac{\gamma}{V_{ExB}} > 1$$

↓

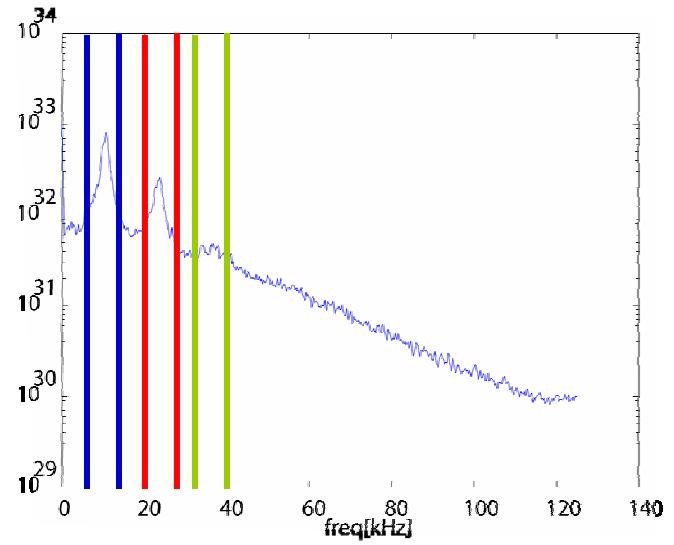
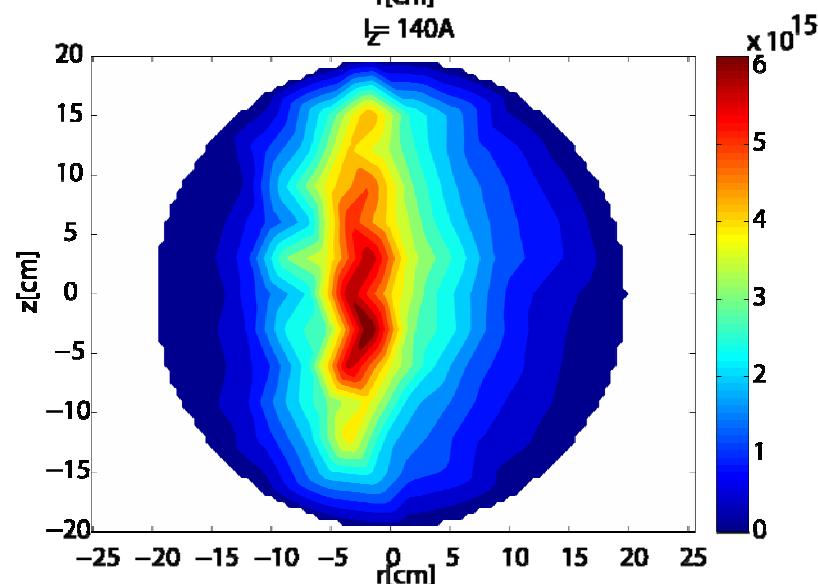
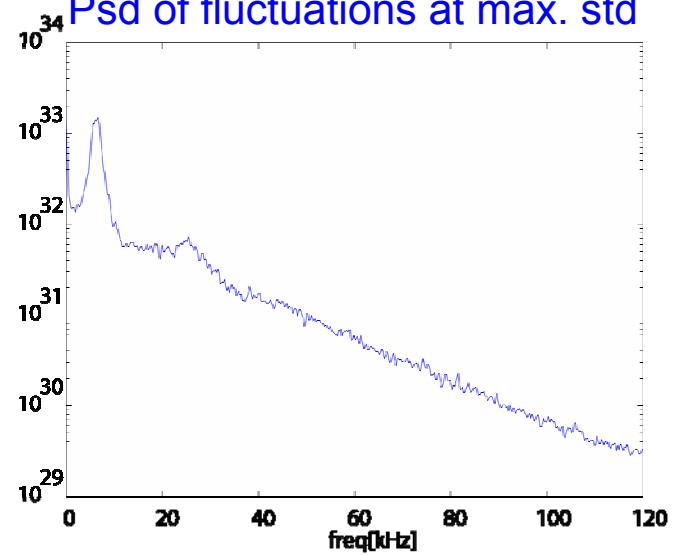
No shear flow stabilization

L-mode regime: multiple coherent modes

Std of fluctuations

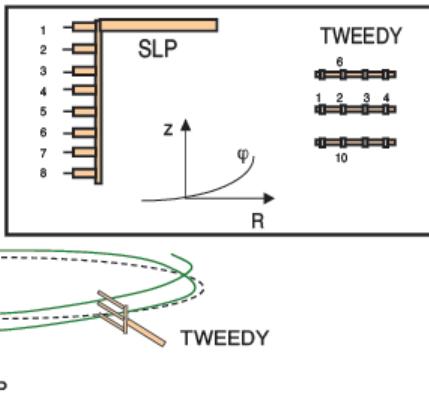


Psd of fluctuations at max. std



Fluctuations with $k_{\parallel}=0 \Rightarrow$ interchange modes

LPs for disp. relation measurements



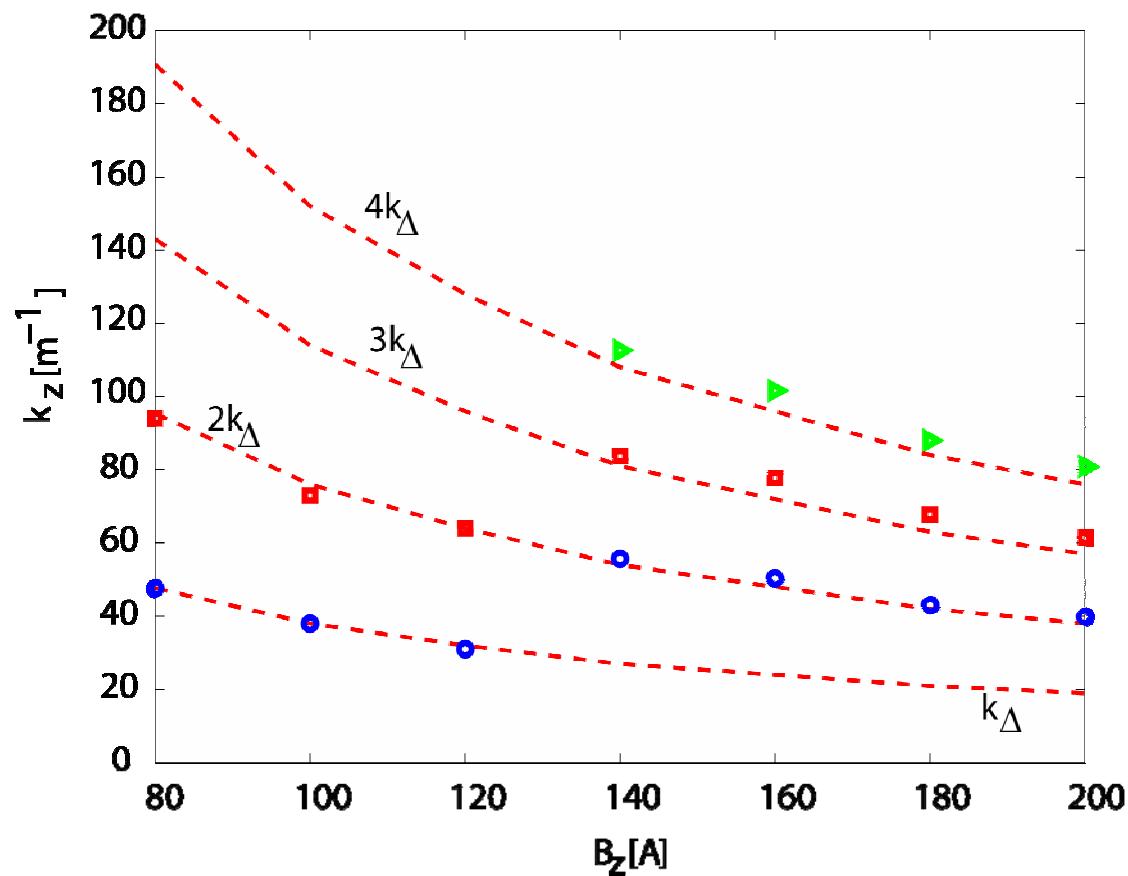
F.M. Poli, et al., PoP (2006); PoP (2007); PoP (2008)

Interchange modes
localized around $\max |\nabla p_e / p_e|$

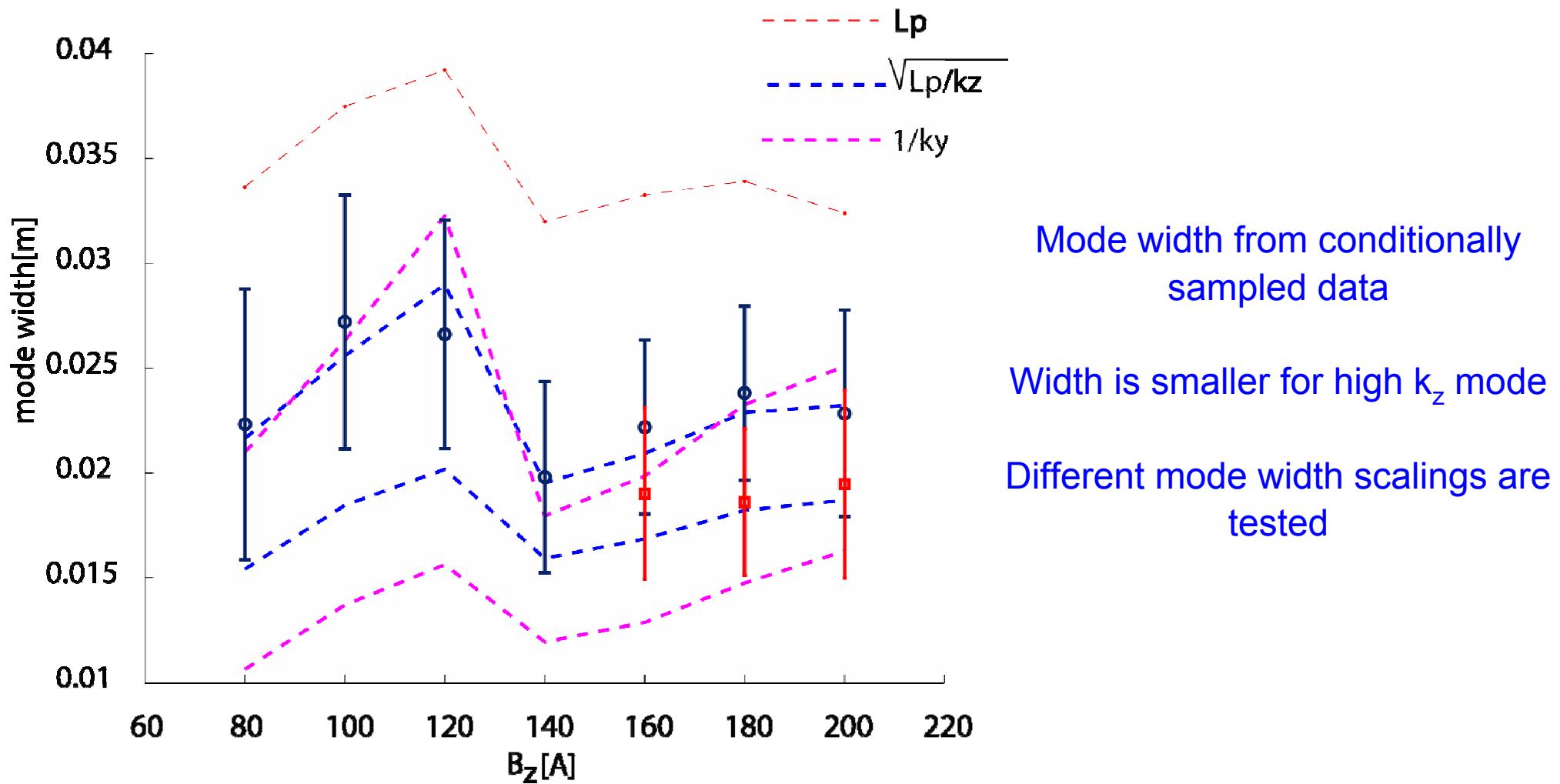
$k_{\parallel} < 0.046 \text{ m}^{-1} \ll k_z \Rightarrow$ interchange

k_z is multiple of k_{Δ}

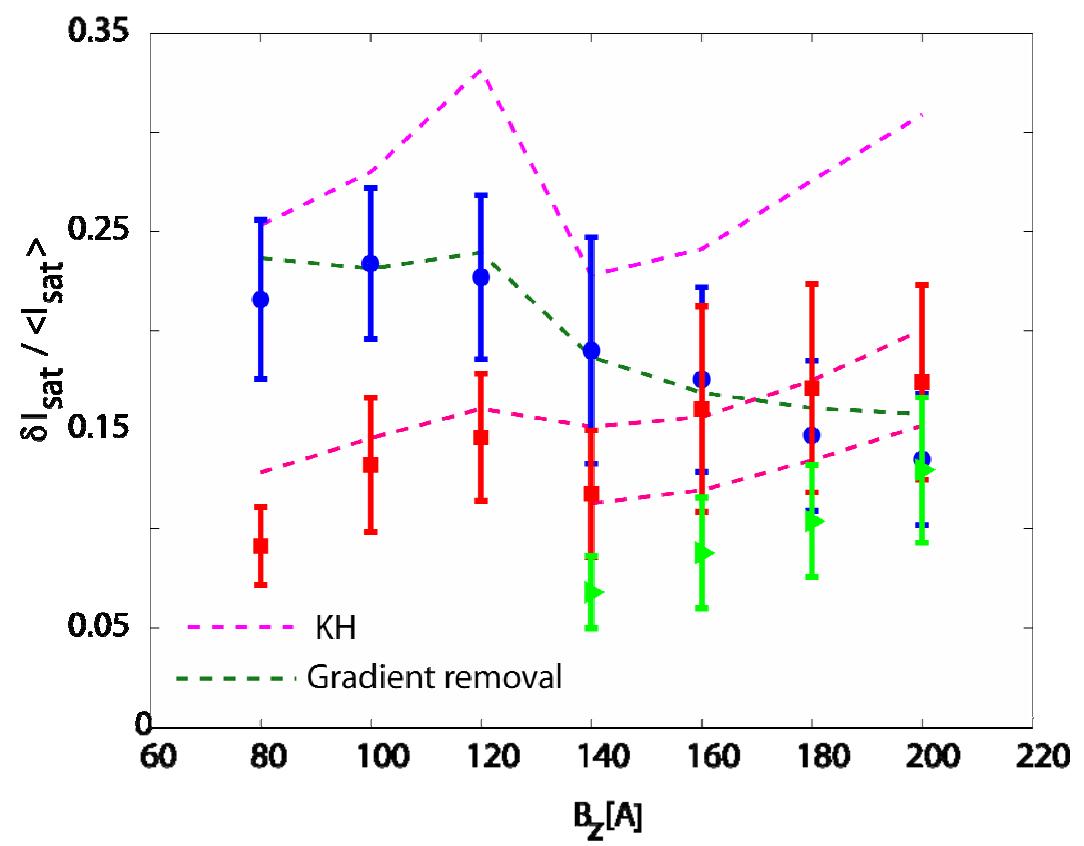
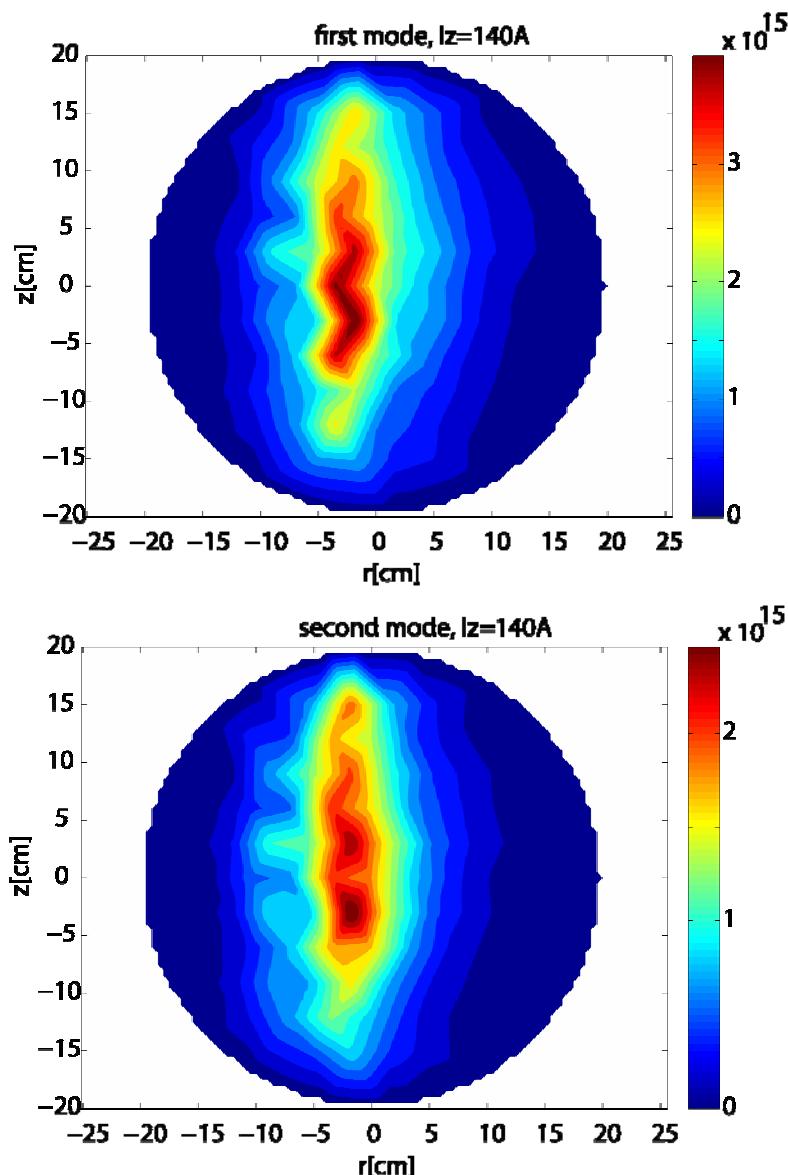
$V_z \Rightarrow$ consistent with $\langle V_{ExB} \rangle$



Radial width of interchange modes



Amplitudes of interchange modes



Possible saturation mechanisms

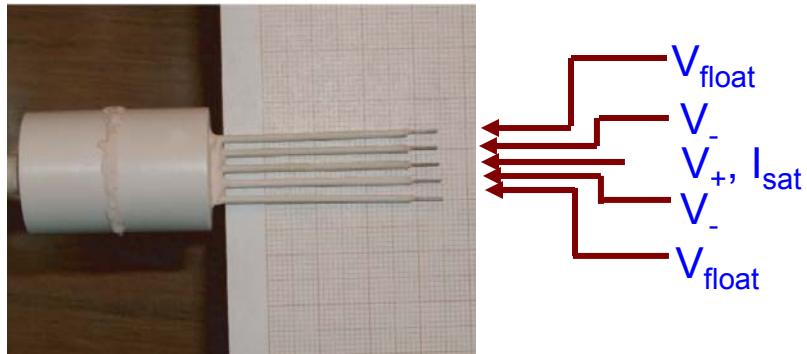
GRADIENT REMOVAL: turbulence saturation occurs when the drive is removed from the system: $\partial_r \check{n} \sim \partial_r \langle n \rangle$

- Typical radial extension of the interchange mode is $\sim (L_p/k_y)^{1/2}$, therefore $\partial_r \check{n} \sim \check{n} (k_y/L_p)^{1/2}$
- The sat. level is: $\check{n} \sim \langle n \rangle (L_p/k_y)^{1/2}/L_n$ [Ricci P., et al., Phys. Rev. Lett. **100**, 225002 (2008)]
- In the experiments, multiple modes are present: k_{y1}, k_{y2}, \dots
- The previous estimate can be written as: $\partial_r \langle n \rangle \sim [k_{x1} \check{n}_1 + k_{x2} \check{n}_2 + k_{x3} \check{n}_3 + \dots]$
- Therefore: $\check{n}_1 \sim \langle n \rangle / L_n / [k_{x1} + k_{x2} a + k_{x3} b]$, where $a = \check{n}_2 / \check{n}_1$, $b = \check{n}_3 / \check{n}_1, \dots$
- To compare with experimental data: $I_{sat1} / \langle I_{sat} \rangle \sim [L_p / (k_{y1} + k_{y2} a + k_{y3} b)]^{1/2} / (1/L_n + 1/2L_T)$

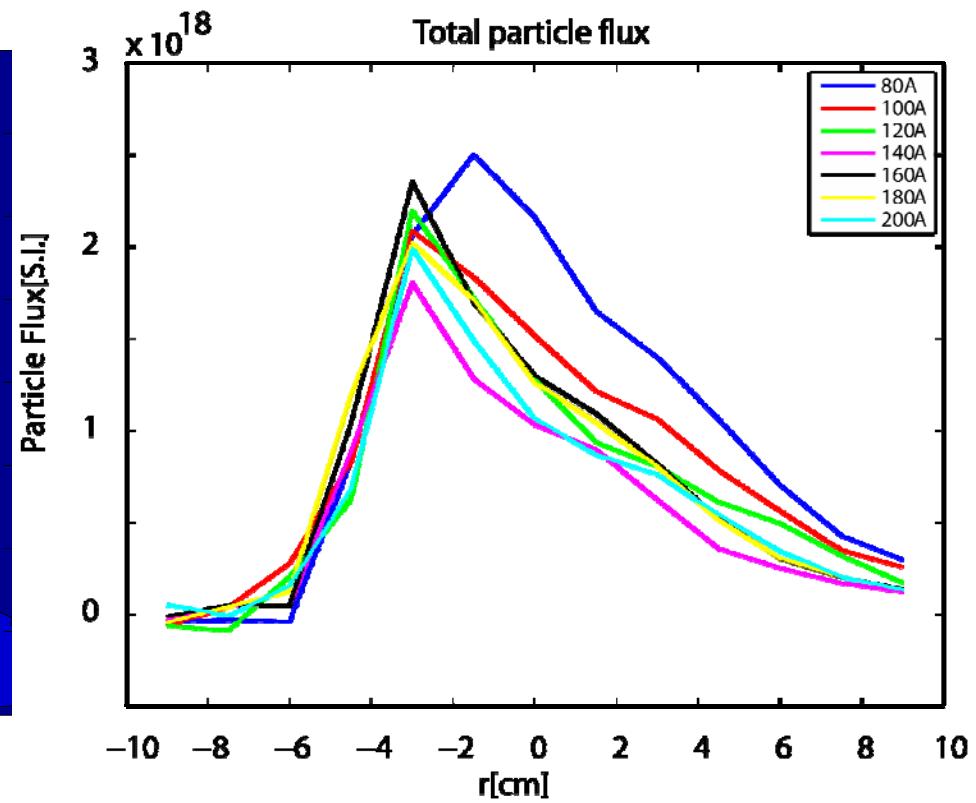
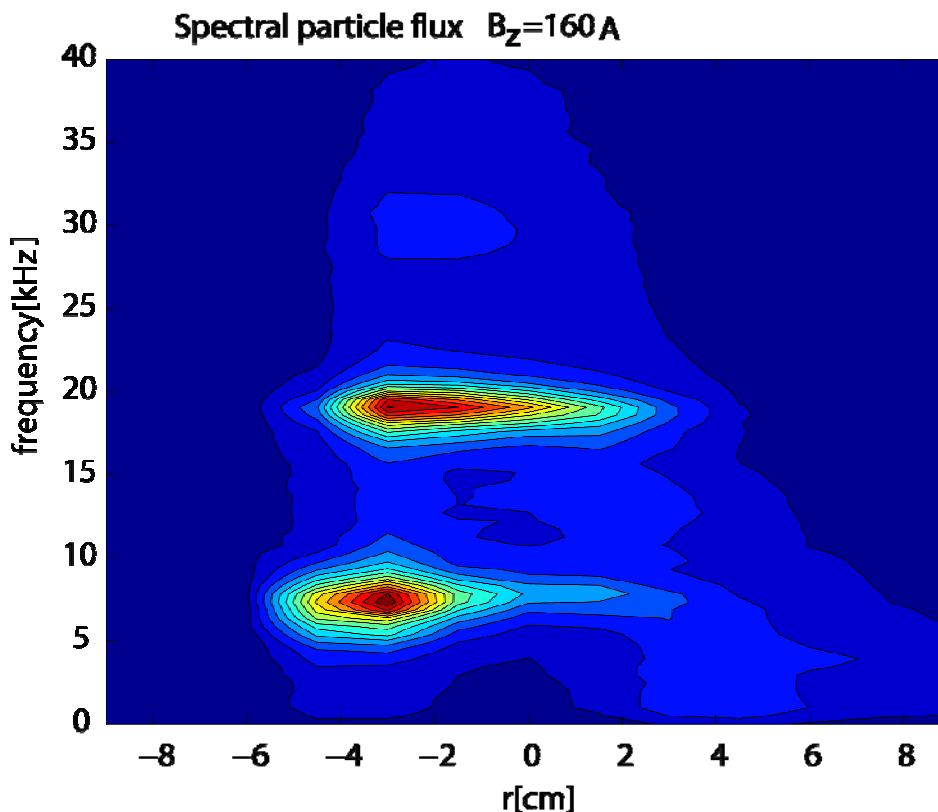
KH SATURATION: $\check{n} \sim \langle n \rangle / (L_n k_y)$

- To compare with experimental data: $I_{sat1} / \langle I_{sat} \rangle \sim 1 / (1/L_n + 1/2L_T) / k_y$

Particle flux measurements



Dedicated flux probe
Triple probe method for T_e correction



Particle flux estimate is in agreement with data

- Since shear flow is not important:

$$\partial_y \tilde{U}_{pl} \sim \gamma_0 \check{n} / (R \partial_r \langle n \rangle)$$

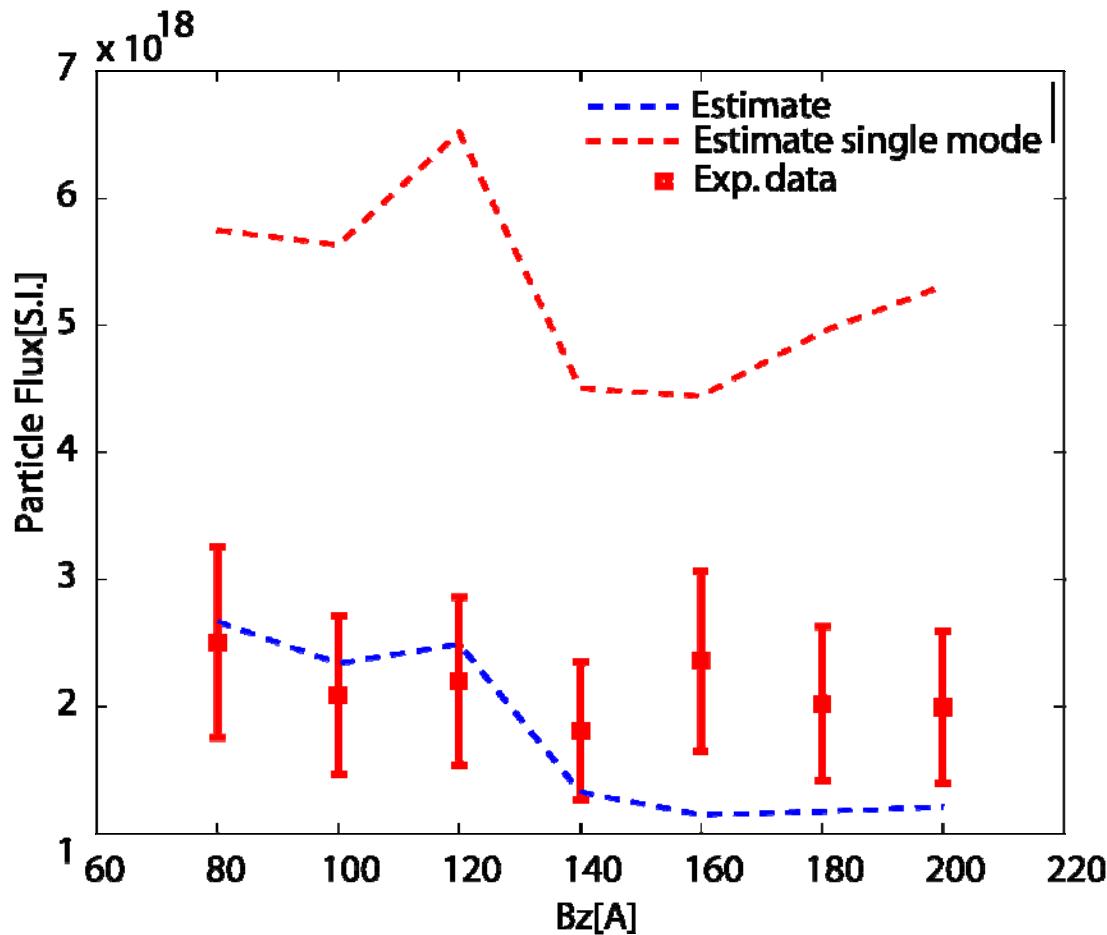
[Ricci P., et al., Phys. Rev. Lett. **100**, 225002 (2008)]

- Particle flux can be estimated as:

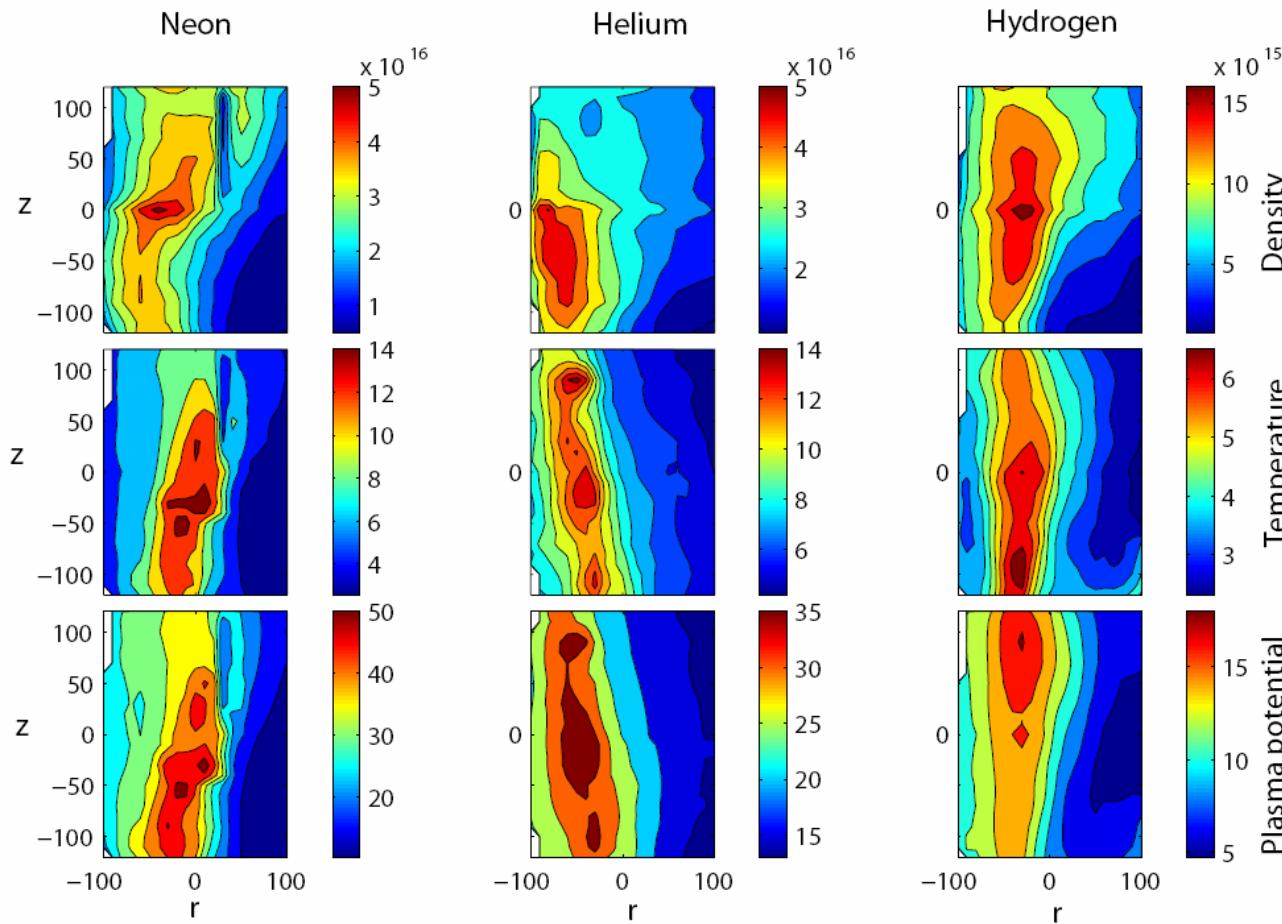
$$\Gamma = \langle n \rangle (2R L_p \langle T_e \rangle)^{1/2} / (L_n k_y)$$

- Taking into account multiple harmonics:

$$\Gamma = \langle n \rangle (2R \langle T_e \rangle)^{1/2} L_p / L_n \sum_m (a_m)^2 / [(\sum_{m'} a_{m'} \sqrt{k_{ym'}})^2]$$

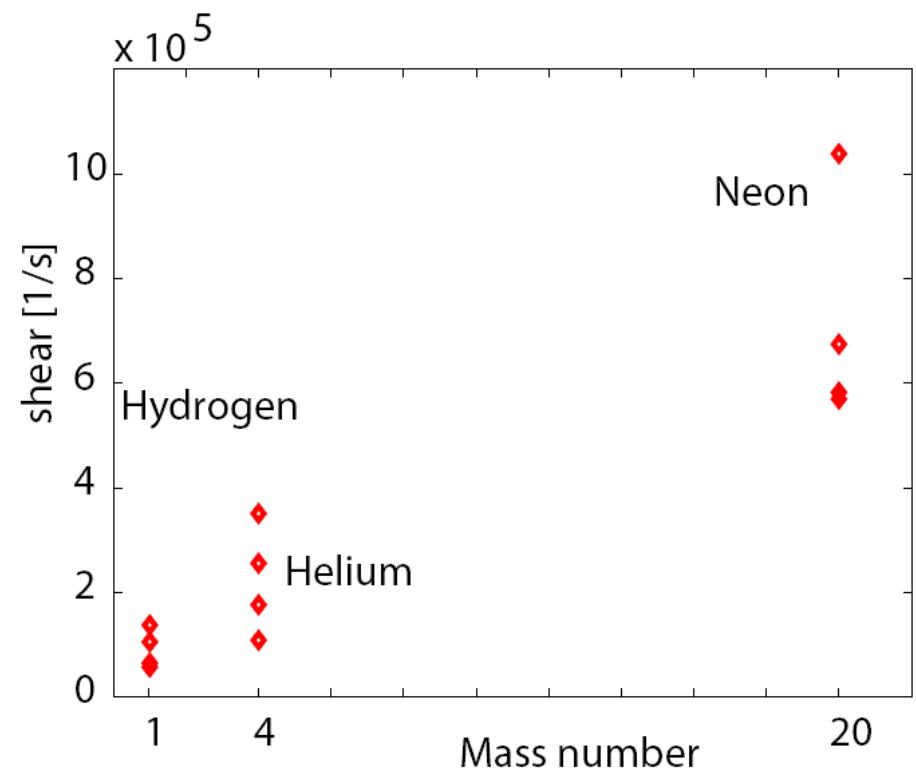
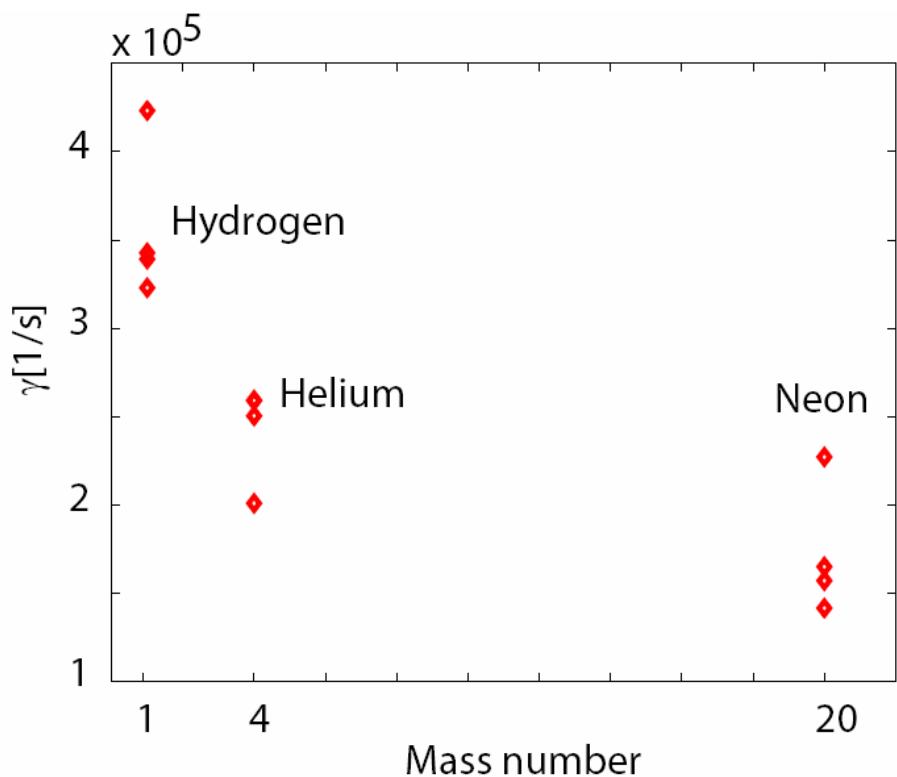


The quest for the H-mode: mass scan (H_2 , He, Ne)



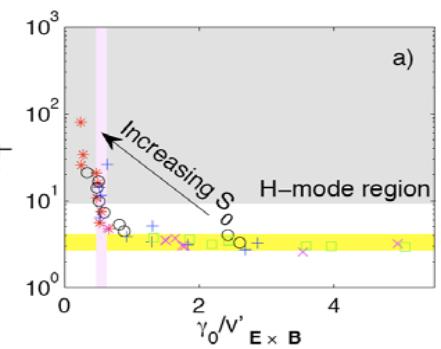
- Gases: H_2 , He, Ne
- Varying pressure
- Varying B_z
- Only discharges with negligible sheath effects are retained
- Compute: $L_{T,N}$, V_{ExB} , shear,...

γ and v'_{ExB} scaling

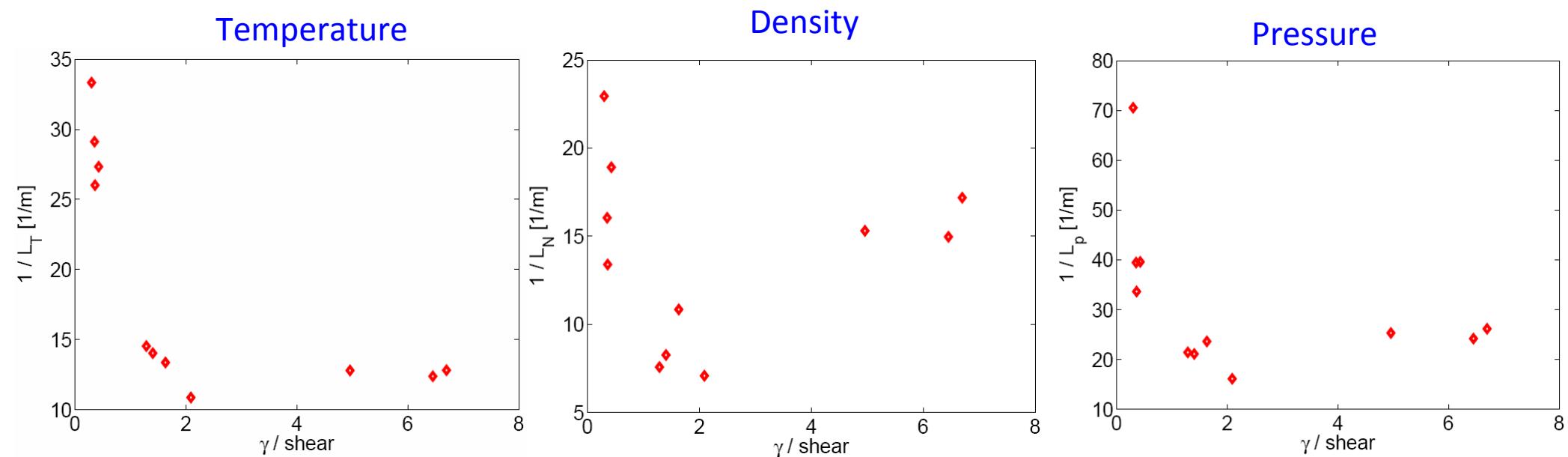


0.3 – 0.4 < $\gamma / v'_{ExB} < 6 - 7$

Access into H-mode



Scaling of L_p , L_N , and L_T



- ❑ The scaling of $1/L_T$ is in good agreement with theory
- ❑ Less clear the scaling of $1/L_N$
- ❑ Possible influence of the source position?

Experimental evaluation of the $H_{n,T}$ factor: $H_{n,T} = \frac{\Gamma_{n,T,L}}{\Gamma_{n,T}}$

Balance between perpendicular transport and parallel losses:

$$\frac{\partial \Gamma_n}{\partial x} = S_n - \sigma n c_s$$

Global balance (integration in the full domain):

$$S_n = \sigma n_{\max} c_{s,\max} \left[\frac{2L_n L_T}{2L_T + L_n} + \xi x_s \right]$$

Transport (integration up to $x > x_s$):

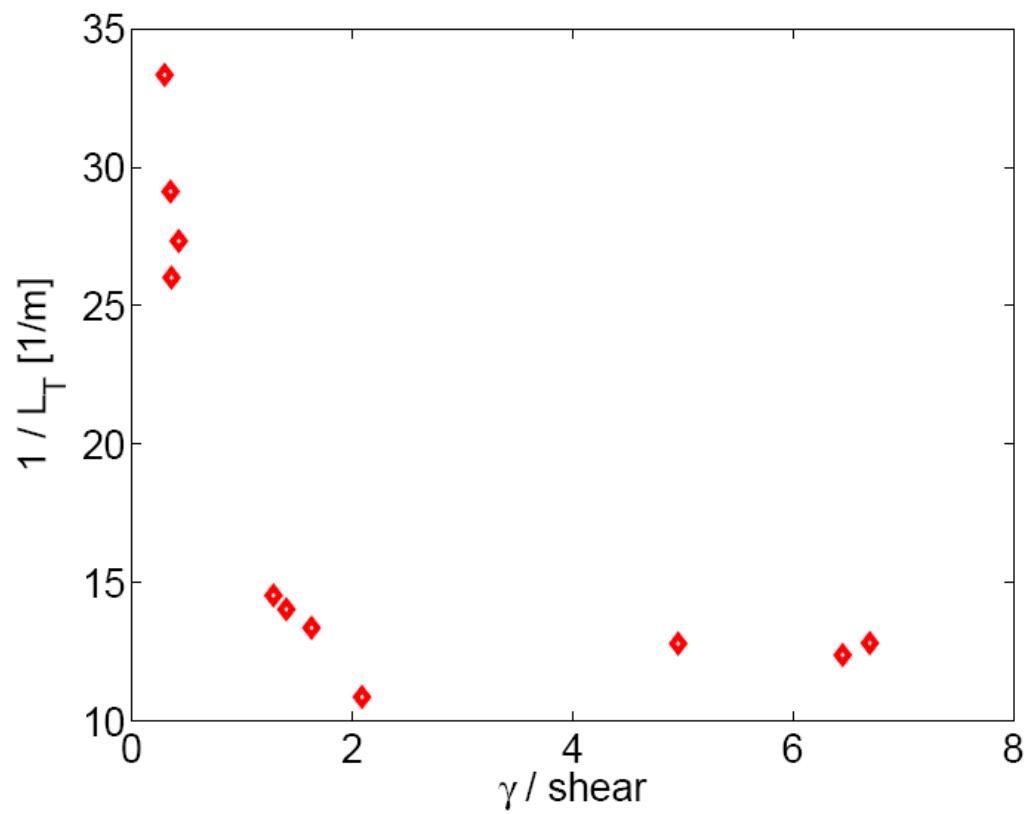
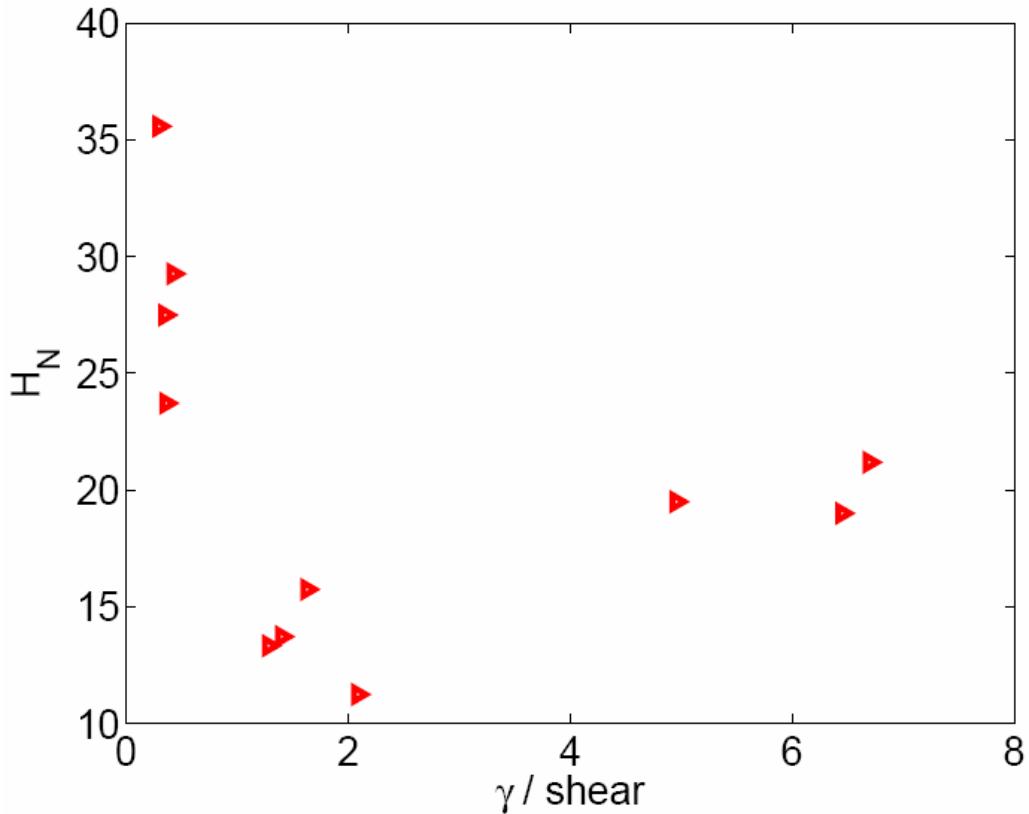
$$\Gamma_n = n_{\max} c_{s,\max} \frac{2L_n L_T}{2L_n + L_T} \exp\left(-x \frac{L_n + 2L_T}{2L_n L_T}\right)$$

From theory: $\Gamma_{n,L} = \frac{\sqrt{2RL_{p,L}} c_{s,\max} n_{\max}}{L_{n,L} k_\Delta} \exp\left(-x \frac{L_{n,L} + 2L_{T,L}}{2L_{n,L} L_{T,L}}\right)$

$$H_n = \frac{L_v \sqrt{2RL_{p,L}}}{L_{n,L}} \left(\frac{1}{L_n} + \frac{1}{2L_T} \right)$$

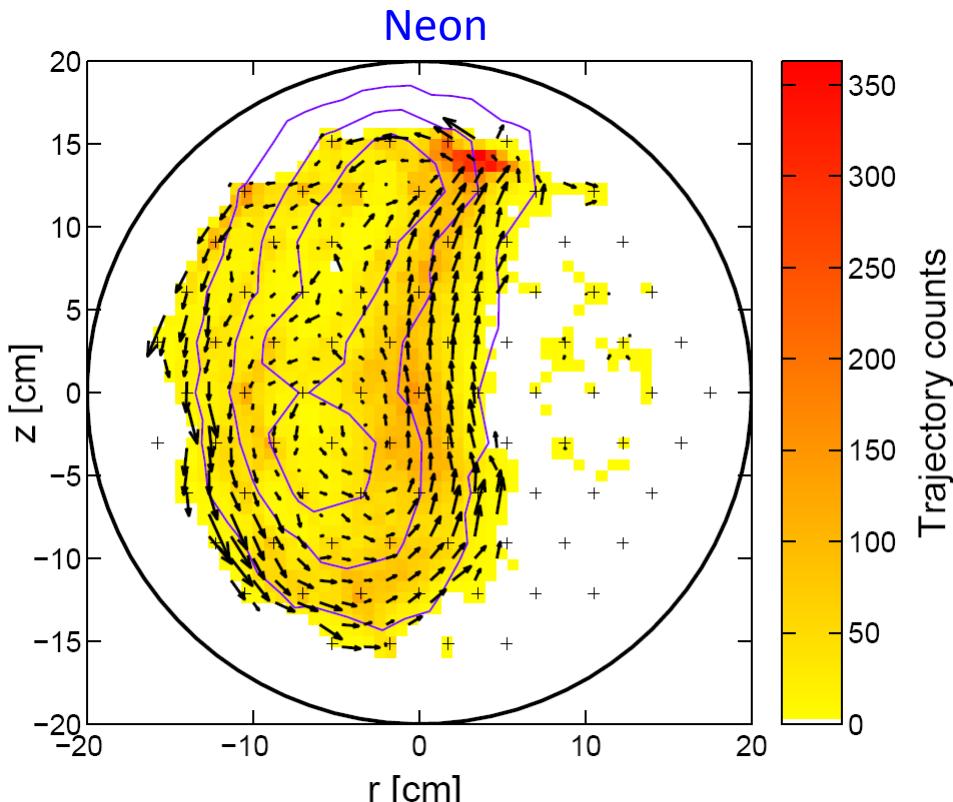
$$H_T = \frac{9L_v \sqrt{2RL_{p,L}}}{4L_{T,L} L_T}$$

Experimental scaling of the $H_{N,T}$ factor



Confinement improvement at low γ / v'_{ExB} in agreement with theory

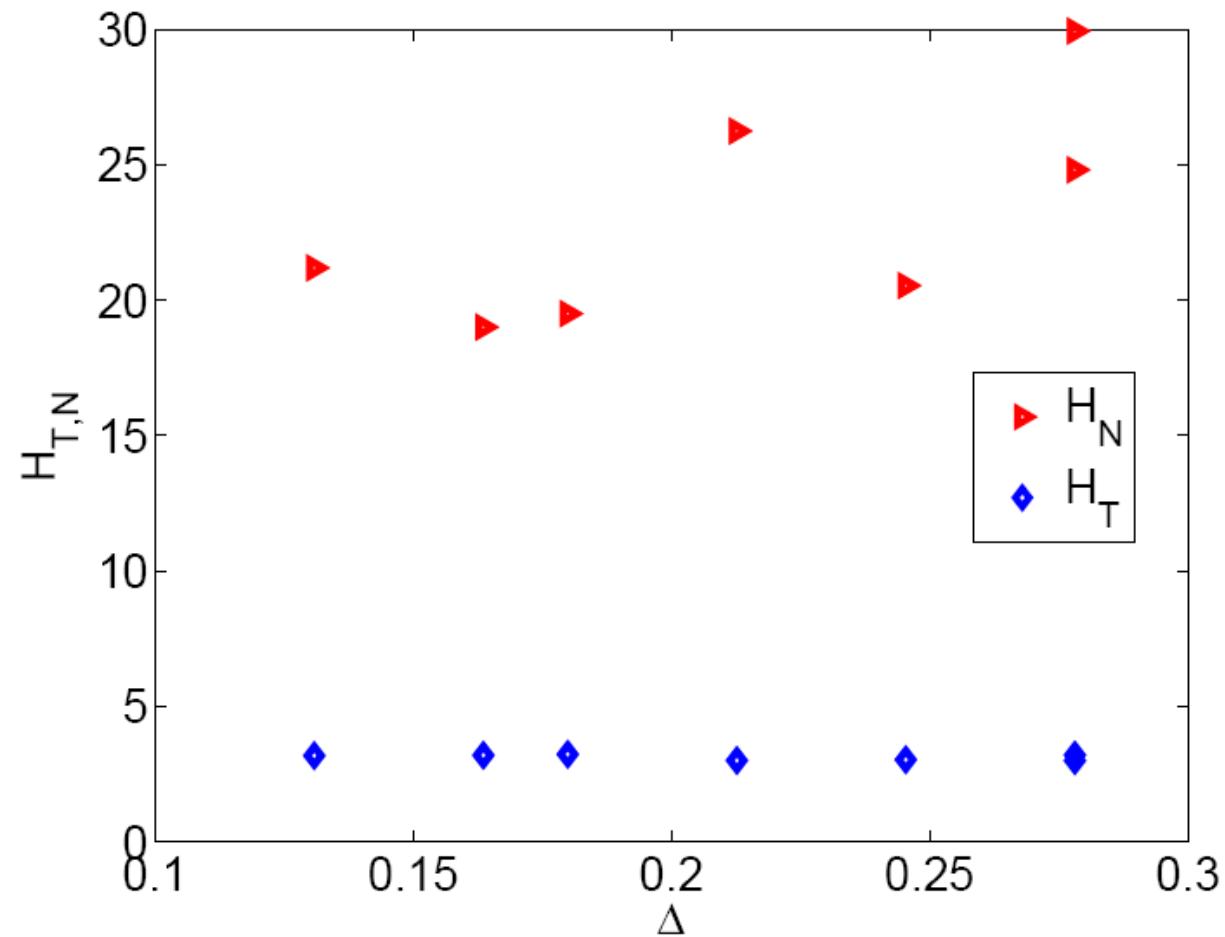
Are there blobs at low γ / v'_{ExB} ?



- ❑ Pattern-recognition based analysis
S. H. Müller et al., PoP **13**, 100701 (2006)
- ❑ Tracking positive ($I_{\text{sat}} > I_{\text{thres}}$) and negative ($I_{\text{sat}} < I_{\text{thres}}$) structures \Rightarrow speed, size, trajectory,...
- ❑ No clear sign of blobs \Rightarrow reduction in perpendicular transport?

S. H. Mueller et al., Phys. Plasmas **13**, 100701 (2006).

$H_{N,T}$ factor in the case of dynamics with sheath effects



Data suggest that the particle confinement is improving at large Δ

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