

Energy integration of industrial sites with heat exchange restrictions

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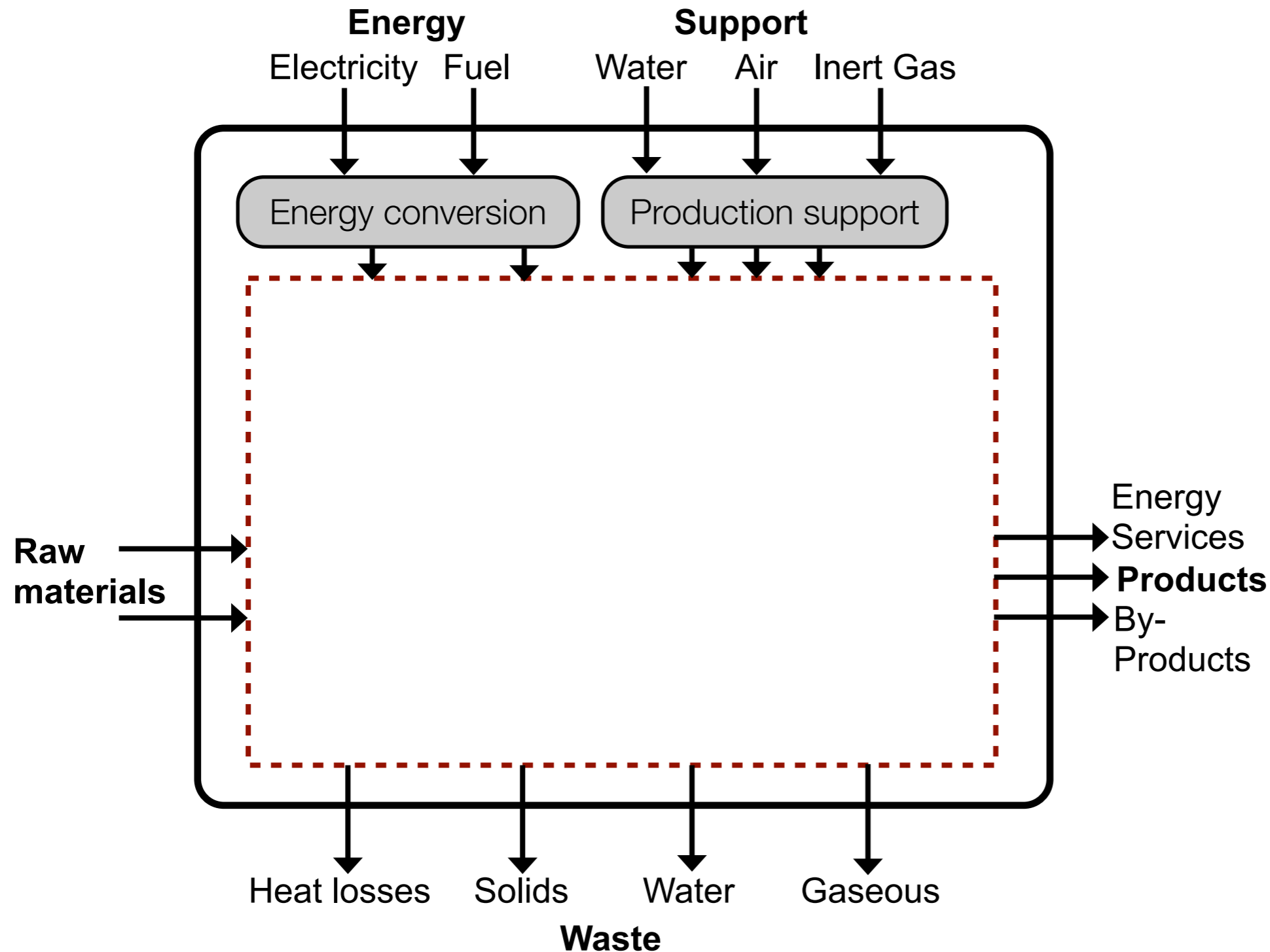
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Outline

- Introduction
- Methodology
- Example of application
- Conclusion

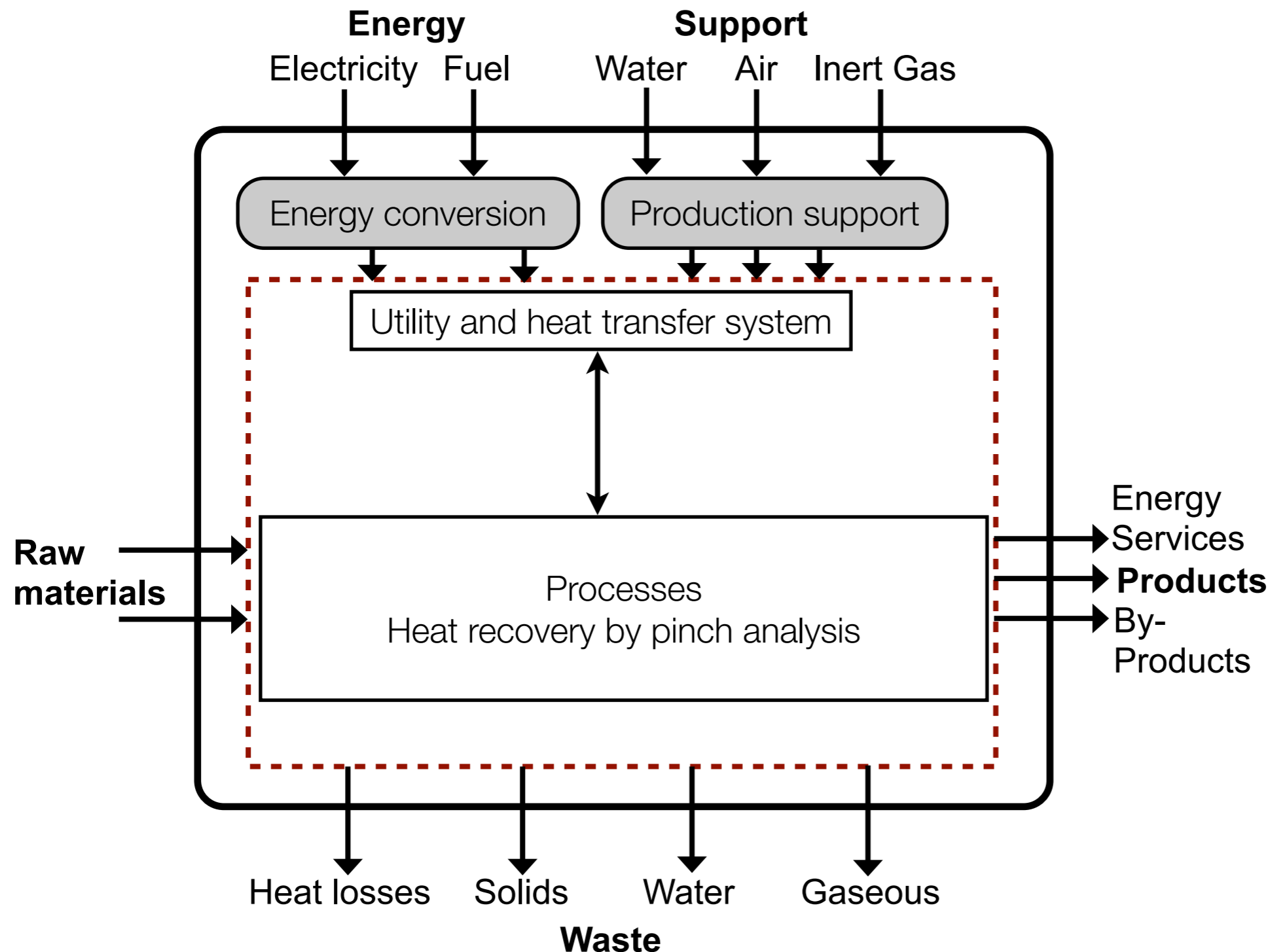
Introduction - Process system



Optimizing
industrial
processes

Process
Integration

Introduction - Process system



Heat exchange restrictions:

Long distances between streams

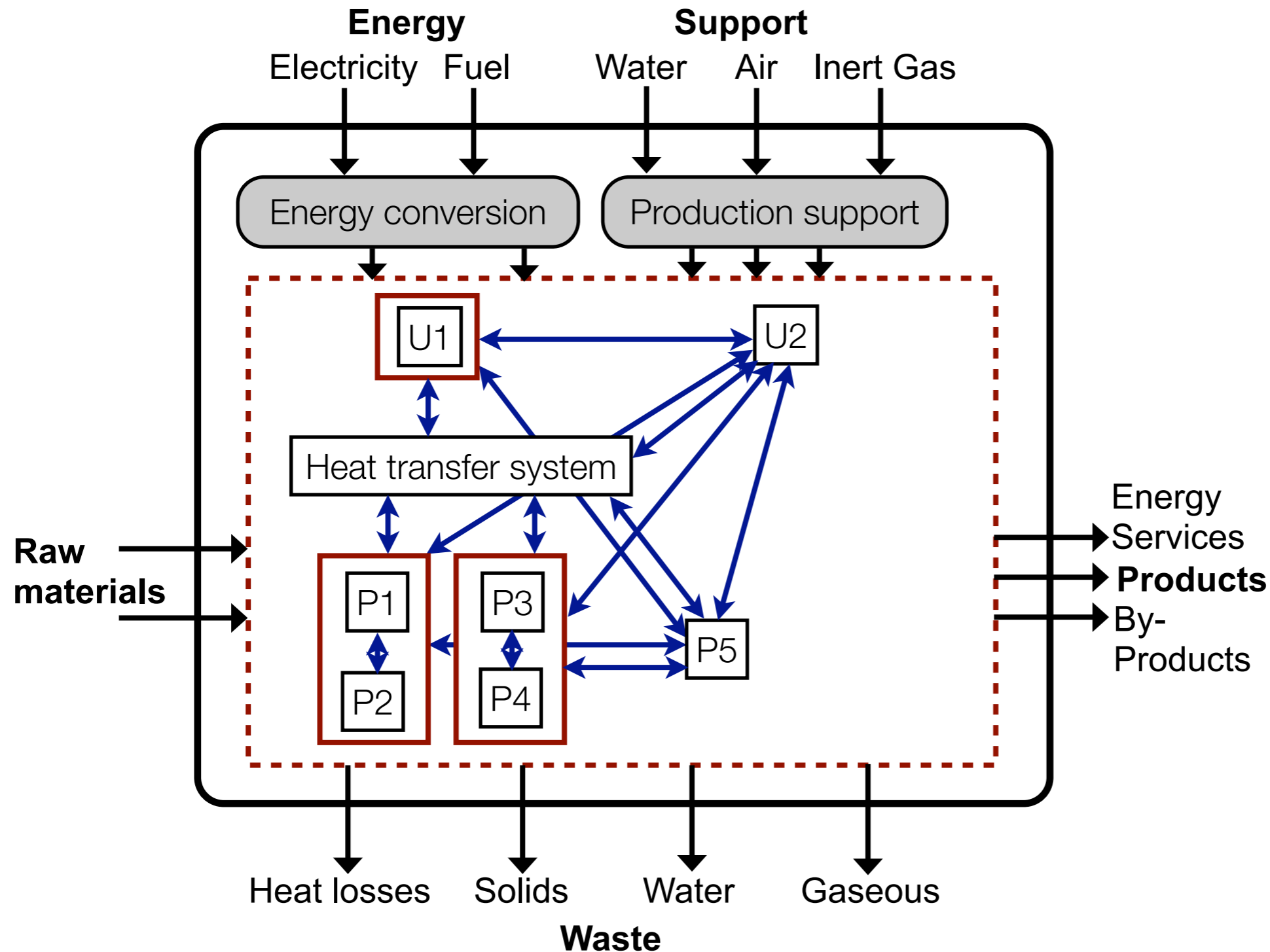
Quality / safety reasons

Flexibility

Methodology - challenges

- Develop a targeting method
 - Considering restricted matches
 - Minimizing energy and cost penalty of restricted matches
 - Introducing heat transfer fluid network for indirect heat exchange
 - Optimizing mass flow rates for heat transfer fluids and utilities
 - Maximizing combined heat and power production
 - Defining complete list of streams for HEN design

Methodology - Concept



Introducing sub-systems:

A sub-system cannot exchange heat directly with another sub-system

Methodology - Algorithm

- Objective function $F_{obj} = \min(c_{fuel} \dot{E}_{fuel} + c_{el}^+ \dot{E}_{el}^+ - c_{el}^- \dot{E}_{el}^-)$

- Fuel consumption

$$\dot{E}_{fuel} = \sum_{uw=1}^{n_{uw}} f_{uw} \dot{E}_{fuel-uw}$$

- Electricity consumption

$$\sum_{uw=1}^{n_{uw}} f_{uw} \dot{E}_{el-uw}^+ + \dot{E}_{el}^+ - \dot{E}_{el-p}^- \geq 0$$

- Electricity exportation

$$\sum_{uw=1}^{n_{uw}} f_{uw} \dot{E}_{el-uw}^+ + \dot{E}_{el}^+ - \dot{E}_{el}^- - \dot{E}_{el-p}^- = 0$$

- Mass flow rates $\dot{M}_{h,w} = f_{uw} * \dot{m}_{h,w}$ $\dot{M}_{c,w} = f_{uw} * \dot{m}_{c,w}$

- Global heat cascade

$$\sum_{h_k=1}^{n_{h,k}} \dot{M}_{h,k} q_{h,k} - \sum_{c_k=1}^{n_{c,k}} \dot{M}_{c,k} q_{c,k} + \dot{R}_{k+1} - \dot{R}_k = 0 \quad \forall k = 1 \dots, n_k$$

<i>variables</i>	<i>parameters</i>
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- Heat cascade for each sub-system

$$\sum_{h_{s,k}=1}^{n_{h,s,k}} \dot{M}_{h,s,k} q_{h,s,k} - \sum_{c_{s,k}=1}^{n_{c,s,k}} \dot{M}_{c,s,k} q_{c,s,k} + \dot{Q}_{hts,s,k}^- - \dot{Q}_{hts,s,k}^+ + \dot{R}_{s,k+1} - \dot{R}_{s,k} = 0$$

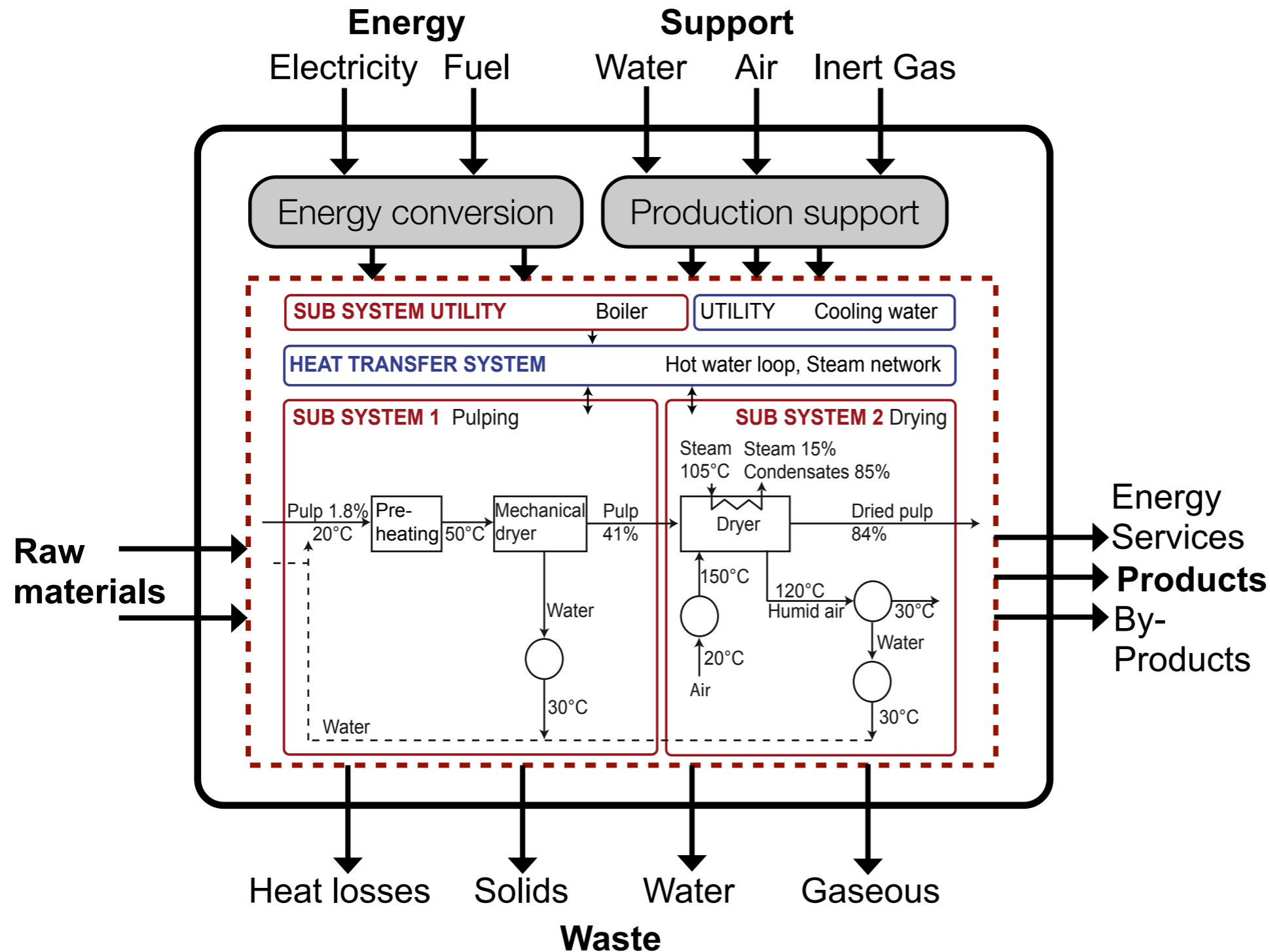
$$\dot{R}_{s,k} \geq 0 \quad \forall k = 1, \dots, n_k, \forall s = 1, \dots, n_s$$

- Additional constraints: Heat balance in the heat transfer system

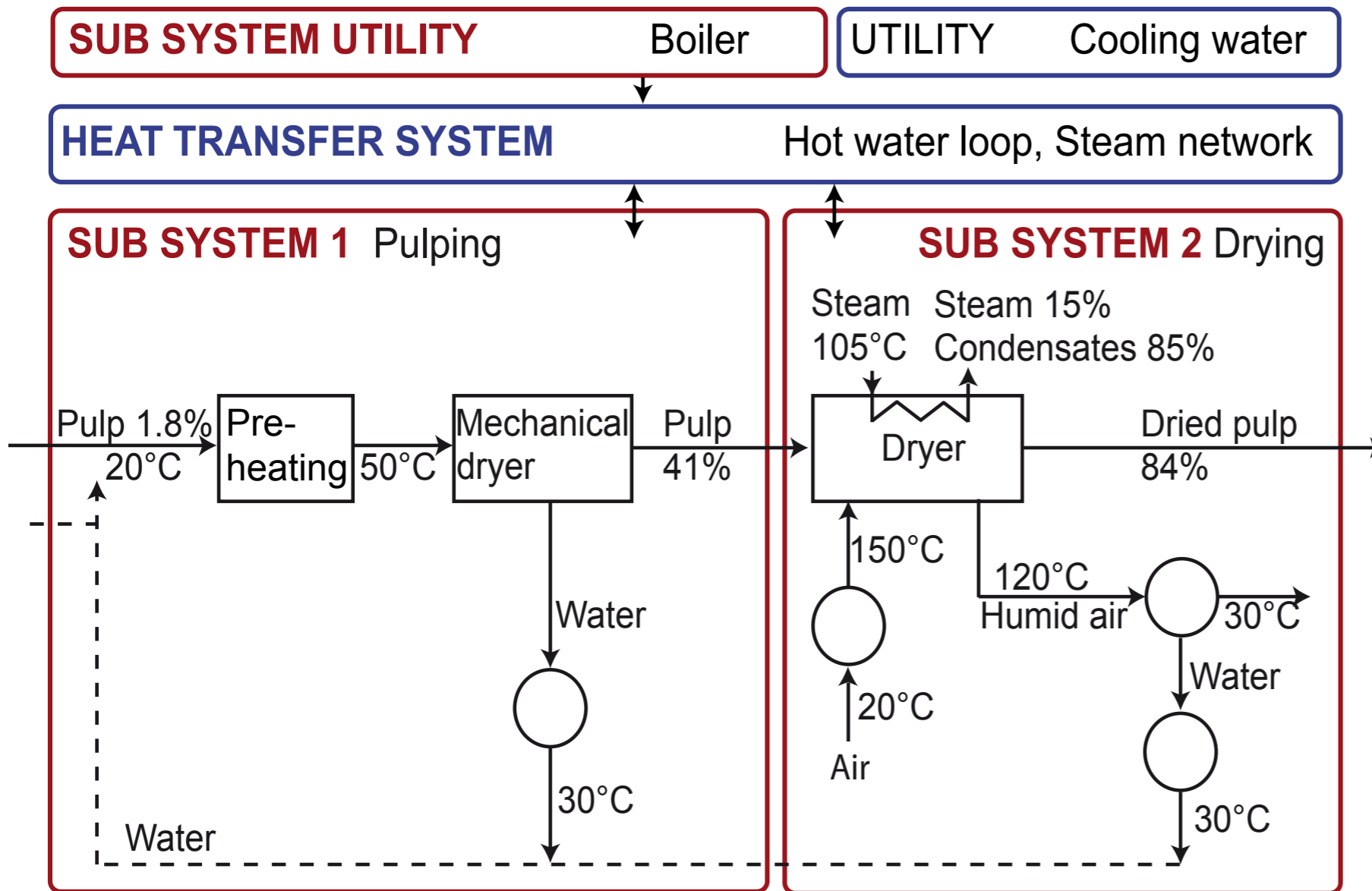
$$\sum_{h=1}^{n_{h,hts,k}} \dot{M}_{h,hts,k} q_{h,hts,k} + \dot{R}_{hts,k+1} - \dot{R}_{hts,k} - \sum_{s=1}^{n_s} \dot{Q}_{hts,s,k}^- \geq 0 \quad \forall k = 1, \dots, n_k$$

$$- \sum_{c=1}^{n_{c,hts,k}} \dot{M}_{c,hts,k} q_{c,hts,k} + \dot{R}_{hts,k+1} - \dot{R}_{hts,k} + \sum_{s=1}^{n_s} \dot{Q}_{hts,s,k}^+ \leq 0 \quad \forall k = 1, \dots, n_k$$

Example of application



Example of application

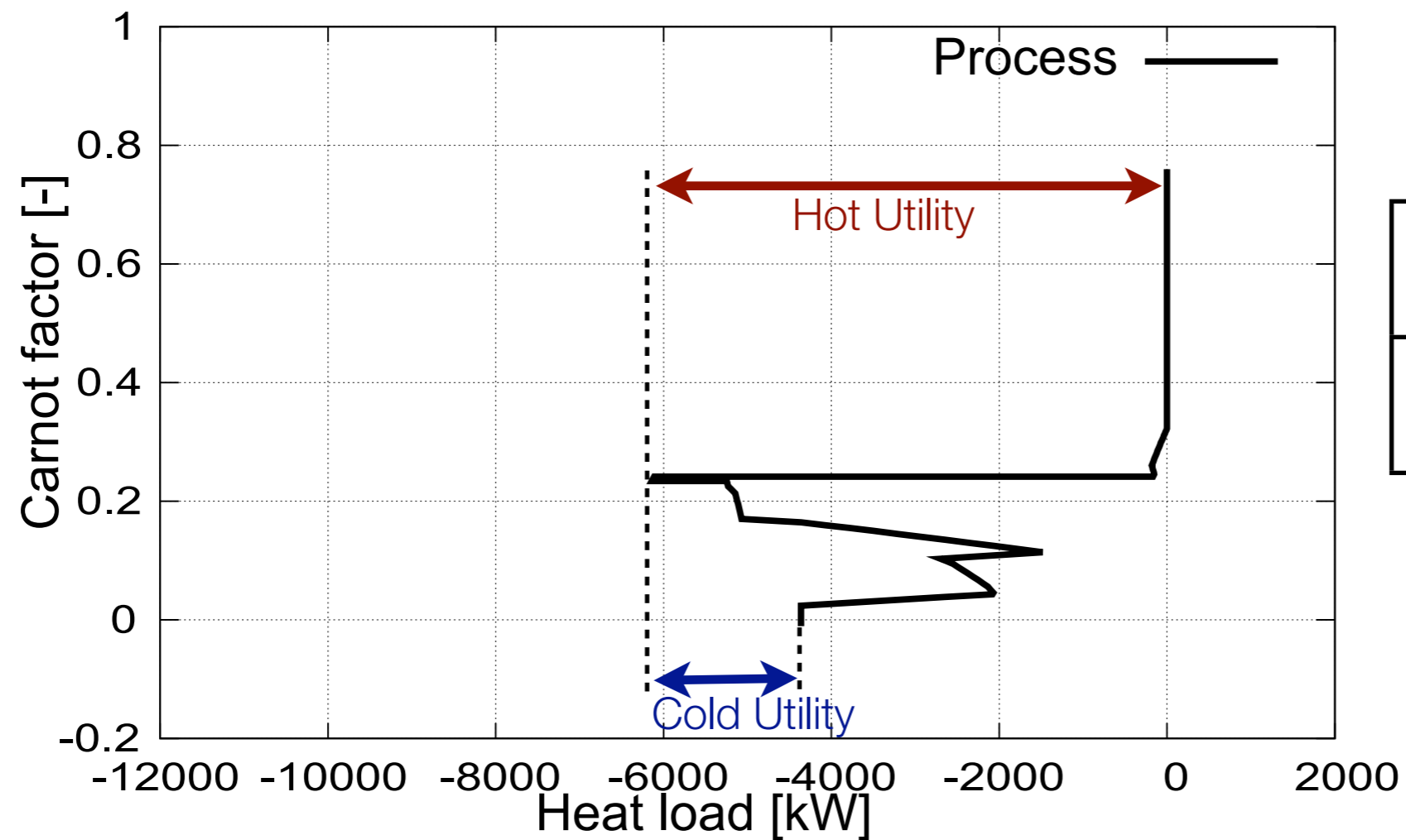


Streams definition:

Name	Tin [°C]	Tout [°C]	Heat Load [kW]
Preheating	20	50	11262
Water cooling	50	30	-7297
Air heating	20	150	664
Steam demand	95	105	6058
Condensation of 15% steam	105	105	-892
Cooling of condensates	105	95	-112
Humid air cooling	120	30	-5319

Process Integration (1)

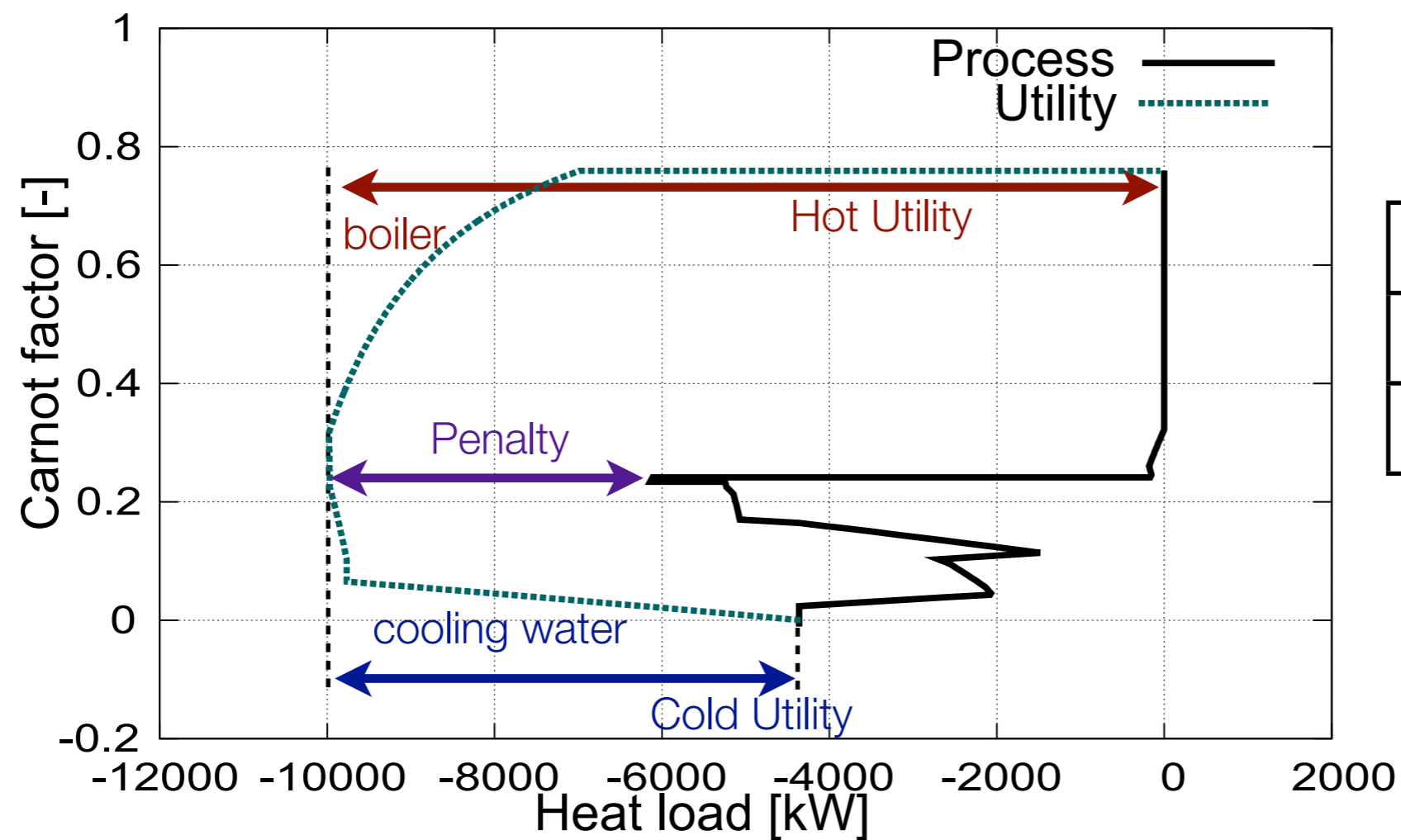
1. MER - (without industrial constraints)



Hot Utility	6014 kW
Cold utility	1651 kW

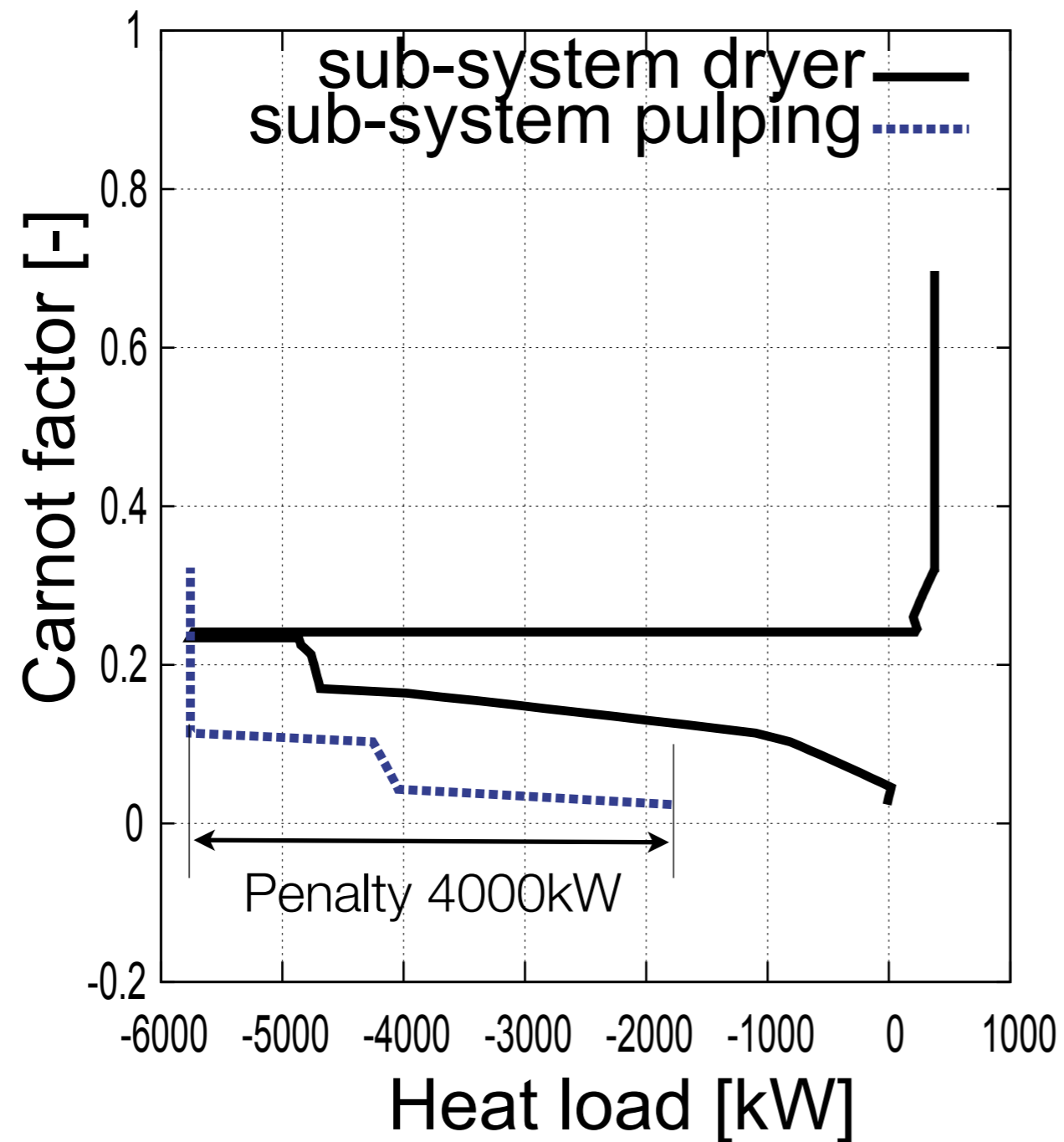
Process Integration (2)

2. Utility Integration with restricted matches



Hot utility	9868 kW
Cold utility	5505 kW
Penalty	3854 kW

Integration of heat transfer networks (1)



Integration of heat transfer networks (2)

- Hot water loop

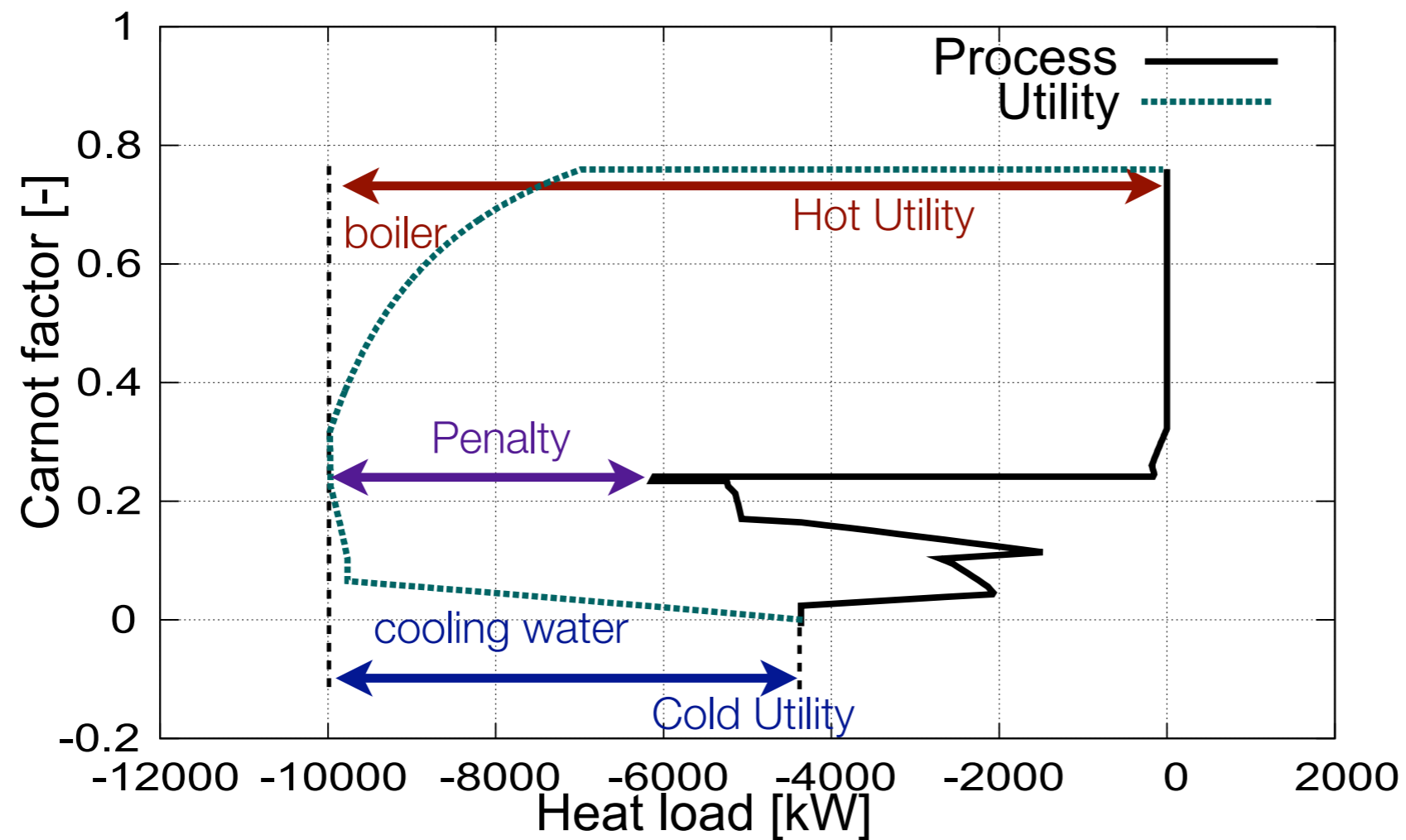
- Water loop between 35°C to 80°C
- Heat can be exchanged indirectly between sub-systems
- Penalty is decreased
- Sub-systems can work independently

- Steam network

- Steam from boiler cannot exchange heat directly with the process
- Combined heat and power

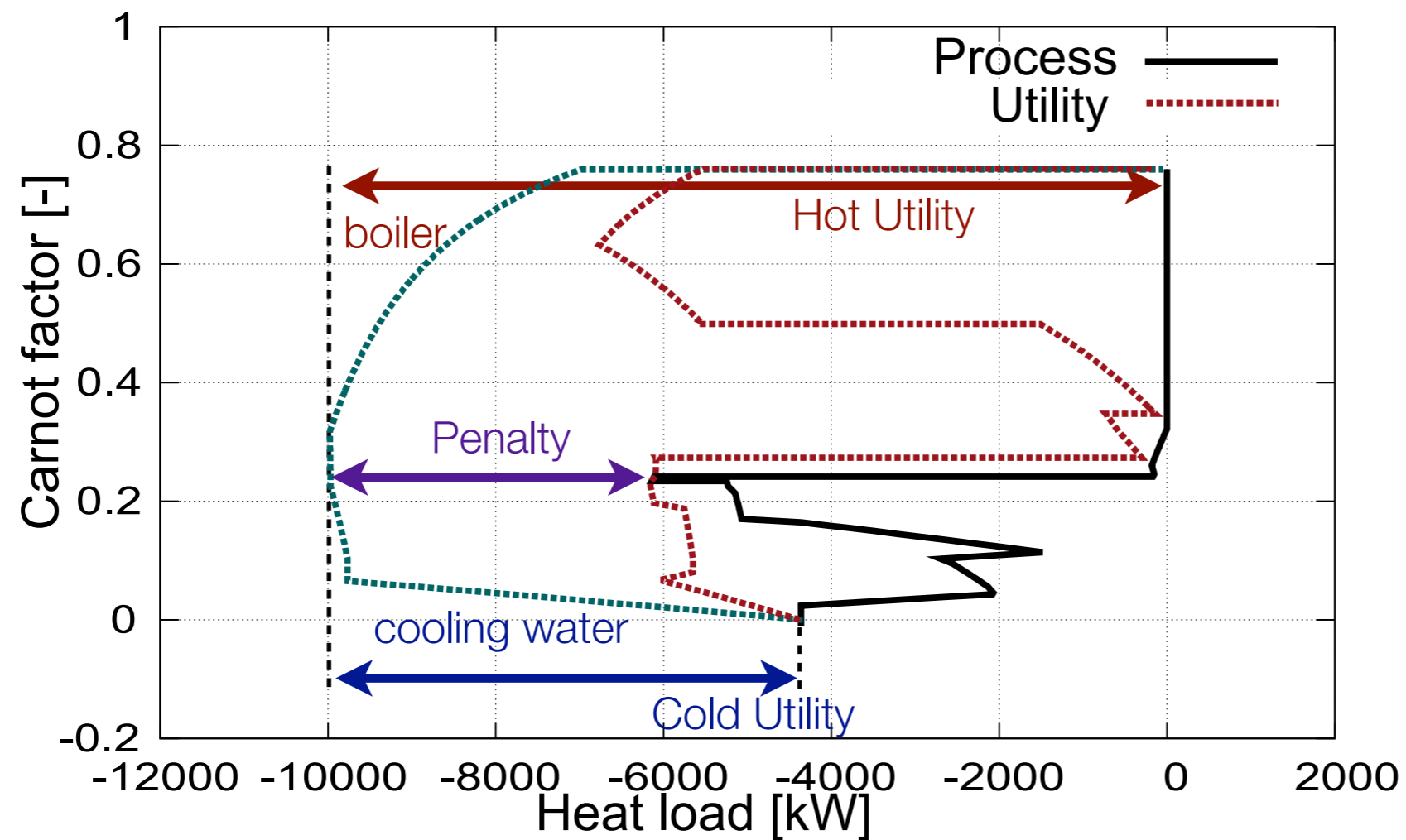
Integration of heat transfer networks (3)

3. Heat transfer networks

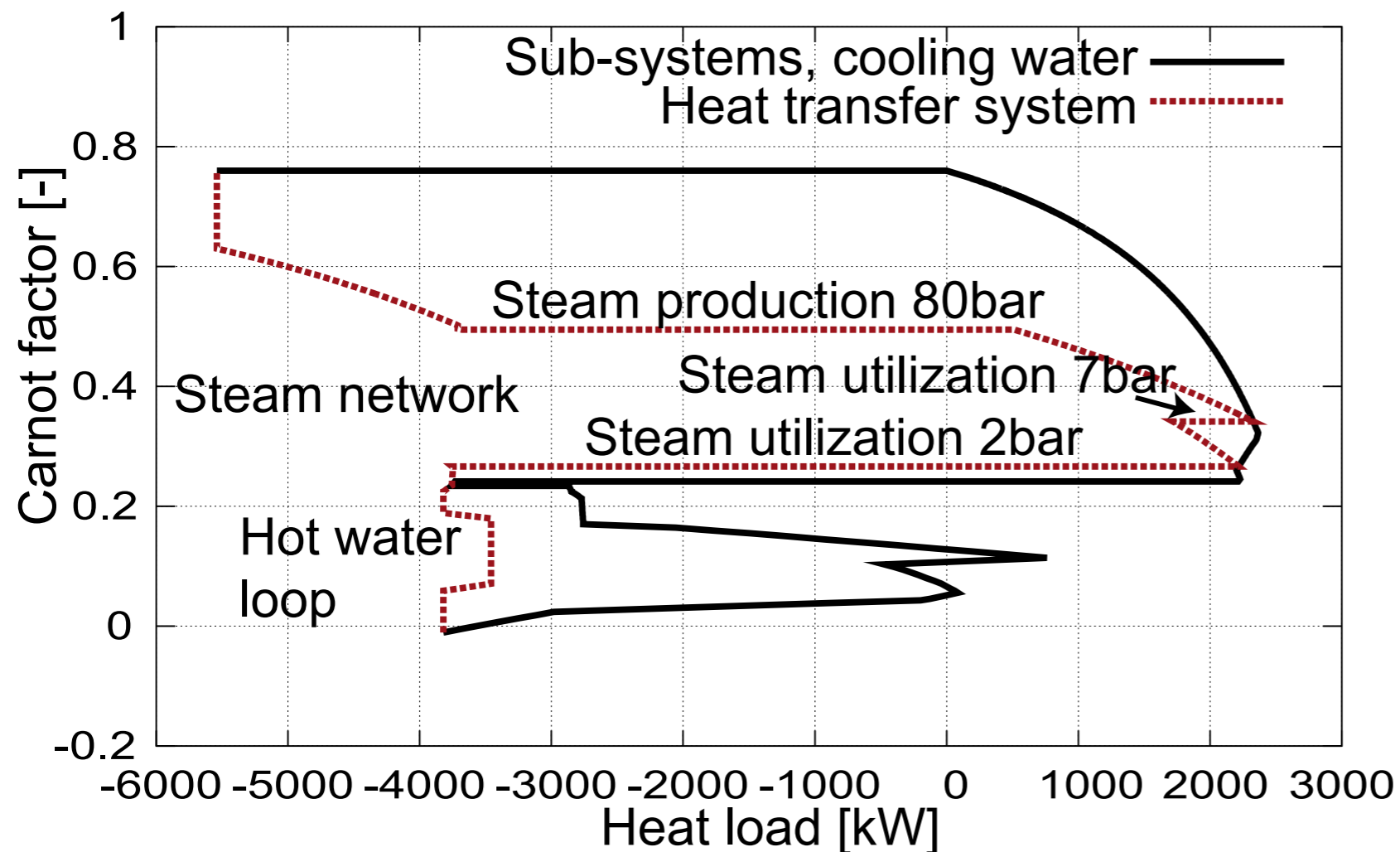


Integration of heat transfer networks (4)

3. Heat transfer networks



Integration of heat transfer networks (5)



Heat load of hot water loop: 4066 kW

Results

	Fuel [kW]	Cooling water [kW]	Electricity [kW]
No constraint	6014	1651	-
With constraints	9868	5505	-
With heat networks	7760*	1676	-1684

*includes cogenerated electricity

Heat load distribution (1)

- minimize number of connections

$$\min_{y_{ij} Q_{ikj}} CT = \sum_{j=1}^{n_{ftc}} \left\{ \sum_{i=1}^{n_{fth}} y_{ij} \right\}$$

- Heat balance of hot stream i in interval k

$$\sum_{j=1}^{n_{fth}} Q_{ikj} = Q_{ik} \quad i = 1 \dots n_{fth} \quad k = k_{p1} \dots k_{p2}$$

- Heat balance of cold stream j

$$\sum_{i=1}^{n_{fth}} \left\{ \sum_{k=k_{p1}}^{k_{p2}} Q_{ikj} \right\} = Q_j \quad j = 1 \dots n_{ftc}$$

- Existence of connection ij

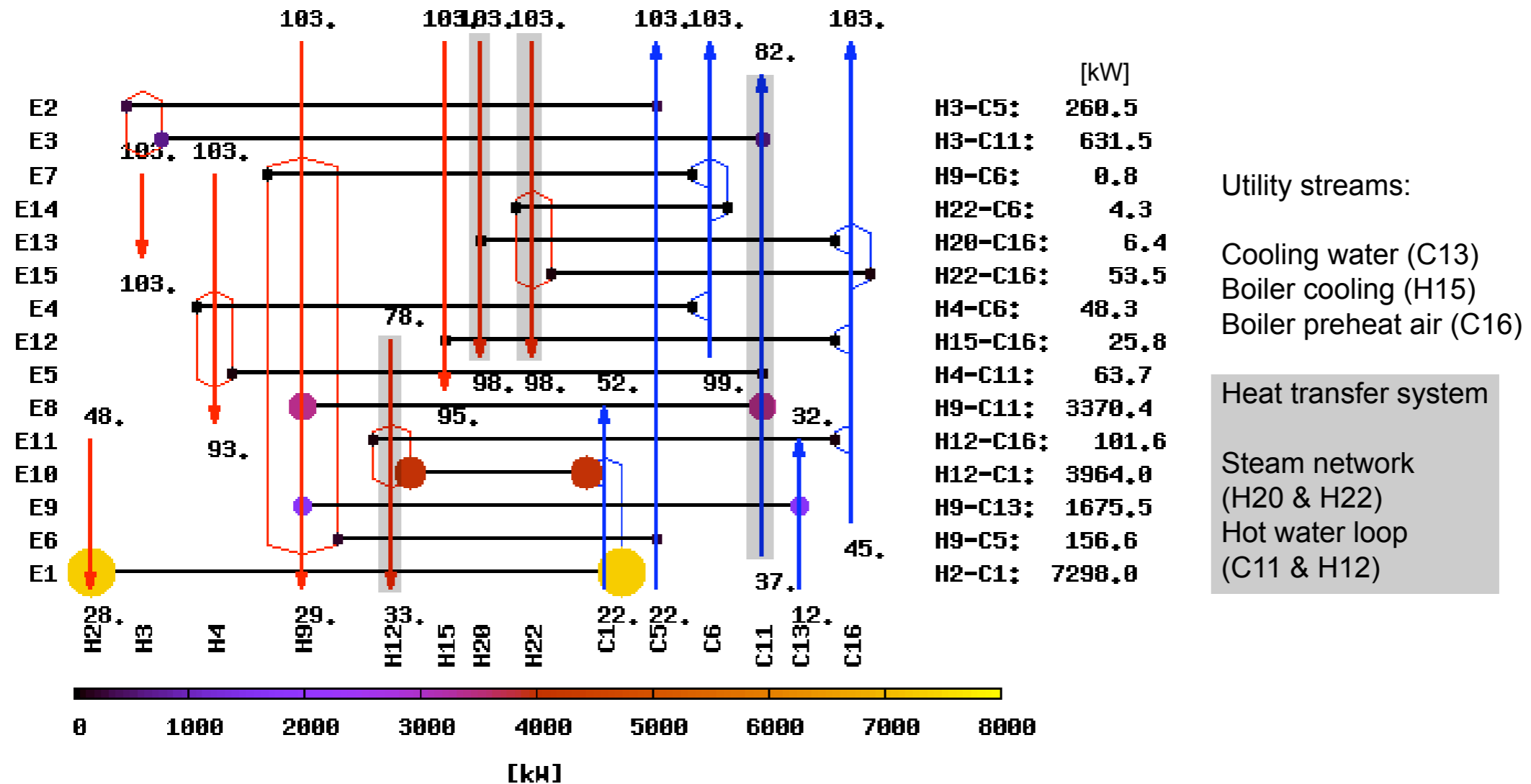
$$\sum_{k=k_{p1}}^{k_{p2}} Q_{ikj} - y_{ij} Q_{max} \leq 0 \quad i = 1 \dots n_{fth} \quad j = 1 \dots n_{ftc}$$

$$Q_{ikj} \geq 0 \quad i = 1 \dots n_{fth} \quad j = 1 \dots n_{ftc} \quad k = k_{p1} \dots k_{p2}$$

- Restricted matches

$$y_{ij} = 0 \quad Q_{ikj} = 0$$

Heat load distribution (2)



Conclusions

- Division of the process into sub-systems
- Combined heat and power production
- Simultaneous optimization of the utility integration and the heat transfer system
- Easier design of the heat exchanger network

Thank you for your attention !