Pathchecker: an RFID Application for Tracing Products in Supply-Chains

Khaled Ouafi** and Serge Vaudenay
EPFL
CH-1015 Lausanne, Switzerland
http://lasecwww.epfl.ch

Abstract. In this paper, we present an application of RFIDs for supply-chain management. In our application, we consider two types of readers. On one part, we have readers that will mark tags at given points. After that, these tags can be checked by another type of readers to tell whether a tag has followed the correct path in the chain. We formalize this notion and define adequate adversaries. Moreover, we derive requirements in order to meet security against counterfeiting, cloning, impersonation and denial of service attacks.

1 Introduction

Radio Frequency Identification (RFID) tags are being massively deployed in several application and business in order to ensure integrity and security. The deployment of this technology is mainly motivated by the gain in terms of time and cost due to the automation of previously labor-intensive control processes such as access control, authentication, shipment tracking, inventory and logistics, payment... In addition, RFID tags are extensively used to track and identify goods, supplies and equipment. Some of these deployments, like in the biometric identity cards and passports, are used to identify people or keep track of animals. In other applications, these tags are used as a countermeasure to cloning and counterfeiting (especially in the luxury and pharmaceutical industries) as it allows to authenticate the object they are associated with. Large companies are increasingly using RFIDs to extract intelligence from operations that can contribute to their competitiveness and efficiency. Finally, RFIDs are increasingly being considered for convenience and added-value applications for users like in access control where the automation of the process reduces waiting and processing time.

While much attention by researchers has focused on the efficiency, authentication, and privacy aspects (all fundamental concerns), the context in which

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such an application is deployed plays a vital role in its availability so that tags remain valid components for the duration of their projected life-time and forward-security. Strangely, this problem of using the RFID technology is not a popular research topic as only a limited number of papers, like [3], treat the subject. In this work, we focus on a proposed real-life application of RFID tags in supply-chain management.

We propose an application, that we call pathchecker, for using RFID tags in supply-chain managements. In our proposal, a supply-chain consists of a series of steps and a tag will be marked at each one of them by “marking readers”. Another type of readers, “checking readers”, can interact with the tags be able to tell whether, according to some data the tag transmits, went through the right path as it was supposeed to take. The goal of an adversary in such a scheme is to either produce a cloned tag that passes the verification of the checking readers or make a genuine tag which followed a parallel path be accepted in the supply-chain.

Our paper is structured as follows. In Section 2, we describe informally the pathchecker scheme and show examples of the marking and checking protocols between readers and tags. Then, we propose a formalization of this notion and the according security model in Section 3. Sections 4 and 5 deal with the security requirements on the underlying protocols and primitives it uses in order to achieve our desired notion of security. Finally, we propose a secure and private protocol for the authentication protocol in Section 6.

2 Description of the Pathchecker Scheme

\[
\begin{array}{ccc}
\text{Tag} & \text{Update at step } r & \text{Reader} \\
\text{Identity: } ID & & \text{Identity: } ID_r \\
\text{State: } S & & \text{Secret: } F^{K}_{ID_r} \\
V_t = \text{extract}(S) & & V_t \\
S \leftarrow H(S, e) & & e = F^{K}_{ID_r}(ID_r, V_t)
\end{array}
\]

Fig. 1. Protocol used to mark the tags at each step of the supply-chain.

We consider a RFID system in which every tag store a state $S$. This state is initialized with a value which depends on the identity of the tag $ID$, the application parameters, and a key $K$. Conversely, the system also consists of readers that possess either a secret function $ID_r$, unique for each one of them or a secret denoted $K$.

Depending on the information they hold, there are two kinds of readers. Some readers are used to authenticate the tag and possess $K$. Others are used to update the tag key and possess a secret $F^{K}_{ID_r}$ derived from $ID_r$ and $K$ which represents a step identifier in the supply-chain. We also require that the RFID
tags interact with the reader in a particular order known as the correct path. Since authenticating readers need to be able to recompute the internal state of the tags, the secret $K$ has to contain all steps secret. Furthermore, we assume that authenticating readers also know the correct path with the identities of readers.

<table>
<thead>
<tr>
<th>Tag</th>
<th>Identify</th>
<th>Reader</th>
</tr>
</thead>
<tbody>
<tr>
<td>State:</td>
<td>$S$</td>
<td>Secret: $K$</td>
</tr>
<tr>
<td>Identity:</td>
<td>$ID$</td>
<td></td>
</tr>
</tbody>
</table>

$V_i = \text{extract}(S)$ $\xrightarrow{ID,V_i}$ check $V_i$

**Fig. 2.** Protocol used to check whether the tag has followed the right path in the supply-chain.

Concretely, we consider RFID tags that are initialized with a common initial state $IV$. RFID tags also come with a unique identity (generally known as the EPC number) denoted $ID$. The tags are attached to some products and then go through a specific path in a supply chain. The path consists of a list of steps. At each step, a reader updates the internal state of a tag by using some secret information. At the end of the path, an extra reader can verify that the internal state is consistent with the list of updates it should have received.

The security goal is to make the scheme such that it is impossible to create a tag which passes the verification phase without having run through the exact sequence of steps.

### 3 Formal Definition

**Definition 1 (Pathchecker-scheme).** A pathchecker-scheme is a tuple consisting of

- a set $\mathcal{I}$ of possible ID’s for the tags
- a state space $S$ for the tags
- a set $\mathcal{V}$ of possible values
- an initial state $IV \in S$
- a path length $n$
- a function $H : S \times \mathcal{V} \rightarrow S$ to be computed by the tag
- an extraction function $\text{extract} : S \rightarrow \mathcal{U}$ used by the tag
- a family of tuples, indexed by a key $K \in K$, $\mathcal{F} = \left((F^K_1, \ldots, F^K_n)\right)_{K \in K}$ consisting of $n$ functions $F^K_1, \ldots, F^K_n : \mathcal{I} \times \mathcal{U} \rightarrow \mathcal{V}$. By extension we define $F^K_0, \ldots, F^K_n$ by

\[
F^K_0(ID) = IV \\
F^K_i(ID) = H(F^K_{i-1}(ID), F^K_i(ID, \text{extract}(F^K_{i-1}(ID)))) \quad \text{for } i = 1, \ldots, n
\]
and a function $V^K : \mathcal{I} \times \mathcal{V} \rightarrow \{0, 1\}$ by

$$V^K(\text{id}, x) = \begin{cases} 1 & \text{if } x = F^K_n(\text{id}) \\ 0 & \text{otherwise} \end{cases}$$

Clearly, if $(\text{id}, x)$ follows the path, it is no surprise that $V^K(\text{id}, x) = 1$.

For simplicity, we assume $U = \mathcal{S}$ and extract to be the identity function.

Recall that the aim of the pathchecker scheme is to allow readers to automatically check that a given tag has followed the path it was supposed to. The security argument of such an application is to guarantee that a tag accepted by a reader as having followed the path it was supposed to take.

Clearly, the goal of an adversary against this scheme is to produce a tag that did not follow the path in the supply-chain but is recognized by the “checking readers” as having followed it. We can imagine different scenarios and combine them:

- An adversary can introduce a counterfeit product in the middle of the supply-chain, such a product should be detectable by the end of the supply-chain.
- An adversary may take one tag from the middle of the supply-chain, interact with it and make it go through a parallel path. She can also put it back at any step of the supply-chain.
- Tags may be considered weak in the sense that an adversary can open them and get their internal states.

So we consider general adversaries that are able to request the creation of a new RFID tag or the corruption of an existing one (to get its internal state). We also assume that the adversary may have some control over the supply-chain in the sense that she can introduce a tag at any point in the supply-chain or take it at any point from the supply-chain. She is also assumed to be able to freely run protocols with the readers or the tags. Namely, she can query some $F^K_i$ and $V^K$ oracles.

We stress that we do not treat the notion of privacy here.

**Definition 2 (Adversary).** A $(q,t)$-adversary against the pathchecker scheme is an algorithm playing the following game:

1: pick $r$ at random and set View $= r$
2: pick $K \in \mathcal{K}$ at random
3: for $j = 1$ to $q$ do
4: $(\text{id}_j, x_j, i_j) = A(\text{View})$
5: if $i_j > 0$ then
6: $y_j = F^K_{i_j}(\text{id}_j, x_j)$
7: else
8: $y_j = V^K(\text{id}_j, x_j)$
9: end if
10: View $\leftarrow$ View$\parallel y_j$
11: end for
12: $(\text{ID}, x) = \mathcal{A}(\text{View})$
13: output $(\text{ID}, x)$

The total running time of the adversary $\mathcal{A}$ in this game must be at most $t$. We say that $(\text{ID}, x)$ followed the path if there exists a sequence $j_1, \ldots, j_n$ such that

- $1 \leq j_1 < \cdots < j_n \leq q$
- for all $k$ we have $i_{j_k} = k$ and $\text{ID}_{j_k} = \text{ID}$
- $x_{j_1} = IV$
- $H(x_{j_n}, y_{j_n}) = x$
- for all $k < n$ we have $x_{j_{k+1}} = H(x_{j_k}, y_{j_k})$

We say that the adversary wins if we have $V(\text{ID}, x) = 1$ but $(\text{ID}, x)$ did not follow the path.

We say that the scheme is $(q, t, \varepsilon)$-secure if for any $(q, t)$-adversary the probability to win is at most $\varepsilon$.

In Section 5, we address a different threat related to cloning attacks in a scenario where genuine tags are tamper resistant.

Note that this definition is more general than the pathchecker scheme proposed in Section 2. In the proposed scheme, the tag identity $\text{ID}$ is only used at the first step $F_1$: the personalization step. Other $F_i$ functions do not use $\text{ID}$.

4 Parallel Path Detection

In a strong security model we assume that the adversary has entire control on the overall process (except by opening a reader). Such an adversary can get the full internal state of a tag (e.g. by physical attack, or, in the case of the described case, by simply getting $x$, sending a fake $y$ and then getting a new $x$ from which it is easy to recover the missing information by exhaustive search) and create fake tags with chosen identity and chosen state. Without loss of generality, this adversary can thus reduce to the scenario in the definition.

**Theorem 1.** Let us consider a pathchecker scheme. With he above notations, there is a generic transform for a $(q, t)$-adversary $\mathcal{A}$ with winning probability $\varepsilon$ into $(q, t + \mu)$-adversaries $\mathcal{A}_1, \ldots, \mathcal{A}_{q+1}$ with respective winning probabilities $\varepsilon_1, \ldots, \varepsilon_{q+1}$ which make no query to $V^K$ and such that

$$\varepsilon \leq \varepsilon_1 + \cdots + \varepsilon_{q+1}$$

Since the function $H$ is only used in $V^K$ in the game played by the adversaries, this result shows that we can reduce to adversaries in which $H$ is never used.

**Proof.** First of all, we assume without loss of generality that adversaries do not make queries to $V^K$ which trivially lead to the answer 1. Namely, if $(\text{ID}, x)$ followed the path during the game, we assume that it is not queried to $V^K$. Next, we consider the final output $(\text{ID}, x)$ as a fictive final query to $V^K$. Clearly,
$A$ wins if and only if one among all queries to $V^K$ (including the fictive one) answers 1. Then, we define $A_i$ which simulates $A$ except that the first $i$ queries to $V^K$ are not made and the answer 0 is simulated and the execution stops at the $i + 1$th query. Clearly, $A$ wins the game with the random tape $r,K$ if and only if at least one of the $A_i$ adversaries wins the game with the same random tape $r,K$. We conclude by defining $\mu$ to be the overhead complexity in the simulation of the adversaries.

This leads us to the following statement:

In a strong adversarial model, the hash function $H$ is irrelevant for security.

We now introduce the definition of a pseudo-random function in order to provide a sufficient condition for security.

**Definition 3 (Pseudorandom Function (PRF)).** A pseudorandom function (PRF) is a tuple consisting of

- a domain $D$, a range $R$, and a key space $K$
- a family $F = (F^K)_{K \in K}$ of functions $F^K : D \rightarrow R$

A $(q,t)$-adversary $A$ is an algorithm playing the following game:

1: pick a uniformly distributed random bit $b$
2: if $b = 0$ then
3: pick a uniformly distributed random function $F$ from $D$ to $R$
4: else
5: pick $K \in K$ at random
6: set $F$ to the $F^K$ function
7: end if
8: pick $r$ at random and set $\text{View} = r$
9: for $j = 1$ to $q$ do
10: $x_j = A(\text{View})$
11: $y_j = F(x_j)$
12: $\text{View} \leftarrow \text{View} \parallel y_j$
13: end for
14: $\tilde{b} = A(\text{View})$
15: output $\tilde{b} \oplus b$

The total running time of $A$ in this game must be at most $t$. We say that the adversary wins if the output is 0. We say that the PRF is $(q,t,\varepsilon)$-secure if for any $(q,t)$-adversary the probability to win is at most $\frac{1}{2} + \varepsilon$.

**Theorem 2.** Consider a pathchecker scheme with the previous notations and let $F^K (ID, x, i) = F^K_i (ID, x)$, $D = \mathcal{I} \times \mathcal{U} \times \{1, \ldots, n\}$ and $R = \mathcal{V}$. There exists a constant $\mu$ such that if $(F^K)_{K \in K}$ is a $(q + n, t + n\mu, \varepsilon)$-secure PRF, then the pathchecker-scheme is $(q,t,\varepsilon')$-secure with

$$\varepsilon' = (q + 1) \left(2\varepsilon + \frac{nq}{\#V}\right)$$
Proof. We assume that we have a PRF and we try to upper bound the winning probability of a \((q,t)\)-adversary \(A\). Let \(\mu_1\) be the overhead defined by Th. 1. We construct \(A_1,\ldots,A_{q+1}\) as before which never query \(V^K\). We define \(A'_i\) as follows.

**Input: View**

1. simulate \(q = A_i(\text{View})\) and look at what is scanned by \(A_i\) in View
2. if \(q\) is an intermediate query then
   3. output \(\leftarrow q\)
   4. else
   5. parse \(q = (\text{ID},x)\)
   6. parse the unscanned part of View into \(y_1\|\cdots\|y_j\) (with \(0 \leq j \leq n\))
   7. state \(\leftarrow IV\)
   8. for \(i = 1\) to \(j\) do
      9. state \(\leftarrow H(y_i,\text{state})\)
   10. end for
   11. if \(j < n\) then
      12. output \(\leftarrow (\text{ID},\text{state},j + 1)\)
   13. else
      14. if state \(= x\) then
         15. output \(\leftarrow 1\) (final output)
      16. else
         17. output \(\leftarrow 0\) (final output)
      18. end if
   19. end if
20. end if
21. yield output

We let \(n\mu_2\) be the overhead in the simulation and \(\mu = \max(\mu_1,\mu_2)\). Clearly, we obtain a \((q + n, t + n\mu)\)-adversary against the PRF. When \(b = 1\) in the PRF game, the \(A'_i\) adversary wins with random tape \(r,K\) if and only if \(A_i\) wins the pathchecker game with random tape \(r,K\). When \(b = 0\), there is at least one of the final \(n\) queries by \(A'_i\) which is new thus returns a random value. This value is different from all previous ones with high probability and the same for the forthcoming ones. More precisely, the winning probability is higher than \(1 - \frac{\mu q}{\#V}\).

Thus, the overall winning probability of \(A'_i\) is

\[
\Pr[A'_i \text{ wins}] \geq \frac{1}{2} + \frac{1}{2} \Pr[A_i \text{ wins}] - \frac{\mu q}{2\#V}
\]

Thanks to the PRF property we deduce

\[
\Pr[A_i \text{ wins}] \leq 2\varepsilon + \frac{\mu q}{\#V}
\]

We conclude by using the inequality of Th. 1.

This leads us to the following conclusion:

It is enough that readers use a PRF to guaranty security in a strong adversarial model.
5 Security against Genuine Tag Manipulation

In the previous section, we studied the pathchecker scheme to make sure that something goes sequentially to every step of a path to produce a final valid number. This means that the correct sequence of value must be obtained from each step but this does not mean that a tag shall receive it in the right order. In settings where genuine tags are tamper-resistant and there are no counterfeit tags, we study the problem of making a genuine tag end up in an acceptable state without following the path. Indeed, we could still imagine a tag cloning attack to clone genuine tags in the correct final state. These clones would pass the verification. To prevent from this without having to install a heavy audit tool mechanism to detect tag with same ID’s, we must weaken the adversarial model.

We consider the problem of making a tag end up in a state which is accepted by the final verification without having received values produced by every step reader in exactly the right sequence. In this settings, we consider adversaries who cannot create genuine tags. Clearly, this model is weaker than the previous one.

The idea behind is that genuine tags with $H$ embedded are legally protected and that it is easy to see if a tag is a counterfeit. Tags passing through the final $V^K$ verification are not counterfeit but genuine tags are all released with the same initial state. We assume that the adversary cannot physically tamper the state of a genuine tag so the only interface with the tag is by sending values. More precisely, we consider the following definition:

**Definition 4 (Weak adversary).** A $(q,q',t)$-weak adversary is a polynomial-time algorithm playing the following game.

1: pick $r$ at random and set $\text{View} = r$
2: pick $K \in K$ at random
3: for $j = 1$ to $q$
4: $(\text{ID}_j, x_j, i_j) = A(\text{View})$
5: if $i_j > 0$ then
6: $y_j = F^K_{i_j}(\text{ID}_j, x_j)$
7: else
8: $y_j = V^K(\text{ID}_j, x_j)$
9: end if
10: $\text{View} \leftarrow \text{View} \parallel y_j$
11: end for
12: $(\text{ID}_1, \ldots, \text{ID}_t, (i_1, y_1), \ldots, (i_{q'}, y_{q'})) = A(\text{View})$
13: order $t$ tags $T_1, \ldots, T_t$ in states $x_1 = \cdots = x_t = IV$ and respective identities $\text{ID}_1, \ldots, \text{ID}_t$
14: for $j = 1$ to $q'$
15: send $y_j$ to $T_{i_j}$
16: end for
The adversary wins if there exists one $i$ such that tag $\text{ID}_i$ end up in a state $x$ such that $V^K(\text{ID}_i, x) = 1$ but the list of values that he received is not the sequence $(F^K_1(\text{ID}_1), \ldots, F^K_n(\text{ID}_1))$.

Clearly, we can restrict without loss of generality to adversaries using a single tag, namely \( \ell = i_1 = \cdots = i_q = 1 \). The attack game consists of adaptively selecting $\text{ID}_i$ based on training by querying the oracles and finding a sequence $y_1, \ldots, y_q$ such that the sequence defined by $x_0 = \text{IV}$ and $x_i = H(x_{i-1}, y_i)$ verifies $x_q = F^K(\text{ID})$ but there is at least one $i \leq n$ such that $y_i \neq F^K_i(\text{ID})$.

If the pathchecker scheme is secure, the final ID and the final state of the tag must follow the path, meaning that the training phase has got the correct sequence $F^K_i(\text{ID})$. The next question is whether the tag can end up in the correct state if not fed by this correct sequence. Theorem 3 gives an answer to this question by showing that it is sufficient that $H$ is a 2nd-preimage resistant hash function. The definition of such a hash function is given below:

**Definition 5 (2nd-preimage resistant hash function).** A hash function is a tuple consisting of

- a domain $\mathcal{V}$, a range $\mathcal{R}$, and a key space $\mathcal{K}$
- a family $\mathcal{H} = (H^K)_{K \in \mathcal{K}}$ of functions $H^K : \mathcal{V} \rightarrow \mathcal{R}$

A $(q, t)$-adversary $A$ is an algorithm playing the following game:

1: Pick $K \in \mathcal{K}$ at random
2: Set $H$ to the $H^K$ function
3: Pick $x \in \mathcal{V}$ at random and set $\text{View} = x$
4: For $j = 1$ to $q$
5: \hspace{1cm} $x_j = A(\text{View})$
6: \hspace{1cm} $y_j = H(x_j)$
7: \hspace{1cm} $\text{View} \leftarrow \text{View} \parallel y_j$
8: End for
9: $\hat{x} = A(\text{View})$
10: Output 1 if $H(x) = H(\hat{x})$ and $x \neq \hat{x}$

The total running time of $A$ in this game must be at most $t$. We say that the adversary wins if the output is 1.

We say that the hash function is $(q, t, \varepsilon)$-2nd-preimage resistant if for any $(q, t)$-adversary the probability to win is at most $\varepsilon$.

**Theorem 3.** Consider a pathchecker scheme. There exists a constant $\mu'$ such that if $(H(\text{IV}, \cdot))_{\text{IV} \in \mathcal{S}}$ is a $(q + n, t + n\mu, \varepsilon)$-2nd-preimage resistant hash function and $(F^K)_{K \in \mathcal{K}}$ is a $(1, t + n\mu_2, \varepsilon_2)$-secure PRF, then the pathchecker-scheme is $(q, t, \varepsilon')$-weakly secure with

$$\varepsilon' = \frac{1}{1 - \varepsilon_2} \left( \varepsilon + \frac{q}{\#S} \right)$$

**Proof.** We can restrict without loss of generality to adversaries using a single tag and thus we consider the following adversary:
1: pick \( r \) at random and set \( \text{View} = r \)
2: pick \( K \in \mathcal{K} \) at random
3: for \( j = 1 \) to \( q \) do
4: \((\text{ID}, x_j) = A(\text{View})\)
5: \( y_j = F^K_{i_j}(\text{ID}_j, x_j) \)
6: \( \text{View} \leftarrow \text{View} \parallel y_j \)
7: end for
8: \((\text{ID}, y_1, \ldots, y_q) = A(\text{View})\)
9: order 1 tag \( T \) in state \( IV = x \) and identity \text{ID}
10: for \( j = 1 \) to \( q \) do
11: send \( y_j \) to \( T_{ij} \)
12: end for

The adversary wins if there exists one \( i \) such that tag \( \text{ID}_i \) end up in a state \( x \) such that \( V^K(\text{ID}_i, x) = 1 \) but the list of values that he received is not the sequence \( (F^K_{i_1}(\text{ID}_1), \ldots, F^K_{i_n}(\text{ID}_n)) \). Recall that the scheme is weakly-secure against a \((q, t, \varepsilon)\)-weak adversary that uses \( q \) queries, runs in time less than \( t \), wins with probability of at most \( \varepsilon \).

In the case where the function \( F^K \) is a \((1, t + \mu, \varepsilon^2)\)-secure PRF, the adversary makes no distinction if it is replaced by a random function \( F \) except with probability \( \varepsilon^2 \). Clearly, this attack corresponds to a 2nd-preimage attack against \( H \).

The adversary \( A' \) wins with random tape \( r, K \) if and only if \( A \) wins with random tape \( r, K \) and does not distinguish \( F^K \) from \( F \). Since the \( y_j \) produced by \( A \) is the output of a random function, this value is different from all previous ones with high probability and the same for the forthcoming ones. More precisely, the winning probability is higher than \( 1 - \frac{q}{\#S} \) and we deduce the winning probability of \( A' \)

\[
\Pr[A' \text{ wins}] \geq (1 - \varepsilon_2) \Pr[A \text{ wins}] - \frac{q}{\#S}
\]

Assuming that \( H \) is 2nd-preimage resistant, we obtain

\[
\Pr[A \text{ wins}] \leq \frac{1}{1 - \varepsilon_2} \left( \varepsilon + \frac{q}{\#S} \right)
\]

\( \square \)

We deduce that if \( y \mapsto H(IV, y) \) is 2nd preimage resistant then no adversary can win the above game scenario with significant success probability. This leads us to the following conclusion:

**In a weak attack model, 2nd preimage resistance of \( y \mapsto H(IV, y) \) and PRF properties for \( F \) are enough to guaranty that no genuine tag with acceptable final state can be created without receiving the expected sequence of values obtained at each corresponding step.**
6 Security against Tag Impersonation

In the previous sections, we have shown that, with the adequate security assumptions on $F$ and $H$, an adversary cannot set a tag to a state that will allow this latter to be accepted by a “checking reader”.

However, there exists a flaw in the protocol we described in Fig. 2. It is sufficient for an adversary to get the message $V_t$ that the tag sends to the reader and then forge a counterfeit tag that will send this value each time it is asked for checking. This is called a replay attack.

To thwart this attack, we introduce a challenge (each time different) that the reader sends at the beginning of the protocol. The tag will then compute its answers by applying $H$ with input its state $S$ and the received challenge $c$. Upon receiving the response, the reader checks whether the tag followed the right path. A description of the protocol is shown in Fig. 3.

![Fig. 3. Challenge-response protocol to check whether the tag has followed the right path in the supply-chain.](image)

Since our security model is weaker than the one proposed in [5]. We can reuse the results of [5, Theorem 13.] to prove the security of this protocol under the assumption that $(H(IV, \cdot))_{IV \in S}$ is a secure PRF. Furthermore, this protocol is weakly-private in under the same assumption.

Using these results, we conclude:

In a strong attack model, PRF property for $y \mapsto H(IV, y)$ is enough to guarantee that no adversary can impersonate a tag to the reader.

7 Protection from Denial of Service Attacks

In the original version of the pathchecker described in Section 2, any reader can try to run the update protocol with a tag of Fig. 1, making it desynchronize from honest readers. This results in a denial of service attack as the authenticating readers will not be able to verify the path a tag went through. To avoid this, we should have a reader authentication integrated in the update protocol.

We could have a part of $V_t$ to be provided by the reader for reader authentication but this would impose increasing the minimal size of registers. We could avoid wasting bits by using the $V_t$ window for reader authentication as well.
Following the update protocol, the tag sends its current $V_t$ value extracted from its current state along with its identity. The reader uses it to figure out what is the current state $S$ of the tag ID. Then, the reader computes $e = F^K_{ID_r}(ID_r, V_t)$ and $V'_t || V'_c = H(S, e)$ and sends $e$ and $V'_t$ to the tag. The tag then computes $S' = H(S, e)$ and replaces $S$ by this value if $V'_t$ is equal to the output of $\text{extract}(S')$. This protocol is depicted in Fig. 4.

However, this protocol assumes that an updating reader can authenticate a tag. This has an important drawback: The amount of computation needed for the protocol increases by the cost of searching $ID_t$ in the database to get $S$ or to reconstruct $S$ using all secret by updating readers. Furthermore, this assumption may not be satisfied as such an operation requires that updating readers have access to the database or to all the updating readers’ secrets.

In order to relax this assumption, we introduce a secret key $S_u$, shared between updating readers, and used by these latter to authenticate themselves to the tags. In consequence, we assign to each tag a specific secret $K_t$ that depends on its identity $ID_t$ and only computable from $S_u$ using a keyed one-way function $G$ as $K_t = G_{S_u}(ID_t)$.

In this variant, described in Fig. 5, the tag will send its identity $ID_t$ along with $V_t$ computed as before. Additionally, it sends a challenge $a$ chosen at random. After deriving the key $K_t = G_{S_u}(ID_t)$, the reader computes $e$ as before and $V''_t || V'_c = H(K_t, a || e)$ to authenticate itself to the tag. Upon receiving $e$ and $V''_t$, the reader will compute $e = F^K_{ID_r}(ID_r, V_t)$ and $V'_t || V'_c = H(S, e)$ and sends $e$ and $V'_t$ to the tag. The tag then computes $S' = H(S, e)$ and replaces $S$ by this value if $V'_t$ is equal to the output of $\text{extract}(S')$. This protocol is depicted in Fig. 5.
the tag verifies that $V'_t$ matches with its computed value $H(K_t, a || e)$ and replaces its state $S$ by $H(S, e)$ in case of success. Note that hashing $e$ together with $a$ has the effect of authenticating $e$ at the same time. This is important to avoid desynchronization attacks of type man-in-the-middle.

Despite the fact that this variant needs more storage capacity on the tag side for $K_t$ and more computational power, 2 hashes instead of 1, it presents the advantage of protecting the system from denial of service attacks while keeping the complexity of the protocol relatively low.

8 Conclusion

In this paper, we have proposed a concrete application for RFID tags in supply-chain managements. The application addresses practical problems and risks that a company may have to confront by introducing this technology. We formalized our proposal, defined a security model and developed a number of attack scenarios.

In the first one, we have shown that using a pseudo-random function on the reader side prevents any adversary from creating a tag that will be accepted by readers as having passed through the supposed path. We also considered that adversaries may try to “inverse” the process and extract the secret information included in the tag and how such an attack can be avoided if the hash function used on the RFID chip is resistant to 2nd preimage attacks. At last, we modified the authentication protocol in order to be secure against cloning attacks. We also proposed a variant to the update protocol resistant to denial of service attacks.

Although early research on hash functions for RFID tags were not really optimistic [2], recent proposals have shown some promising results like the work of Bogdanov et al. [1] and Shamir [4]. Following on this area of research by developing hash functions addressing the needs and specificity RFID tags is fundamental for the upcoming introduction of RFID tags in large systems.

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References


