

Impact analysis of a flexible air transportation system: Clip-Air

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June, 2013

Outline

- 1 Flexibility
- 2 Schedule Planning Model
- 3 Comparative Analysis
- 4 Conclusions
- 5 Future Work

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Flexibility

- Flexibility in transportation systems

- Robustness
- Demand responsiveness



- Rail transportation \Rightarrow modularity in fleet
- Maritime transportation \Rightarrow standard unit loads, multi-modality
- Air transportation \Rightarrow revenue management

Flexibility of Clip-Air

Modularity

Decoupling of wing and capsules

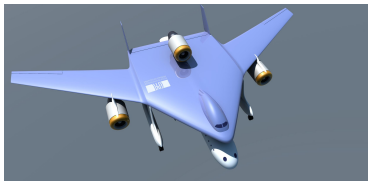
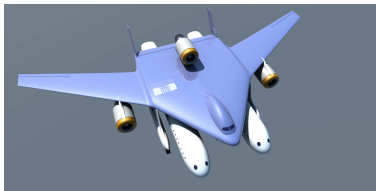
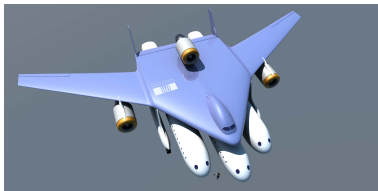


Illustration - Modularity

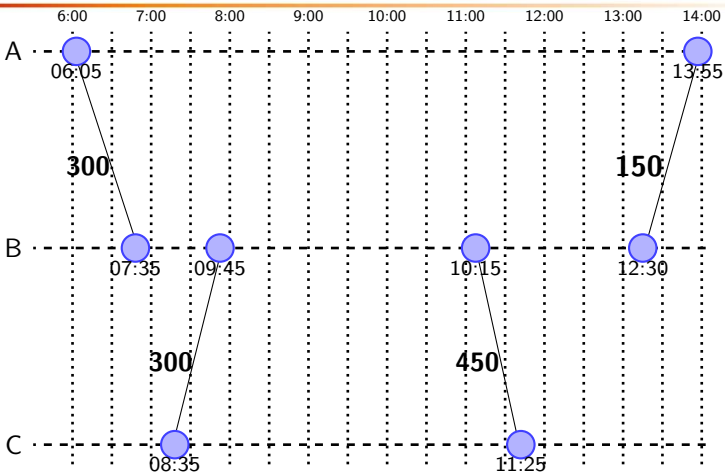
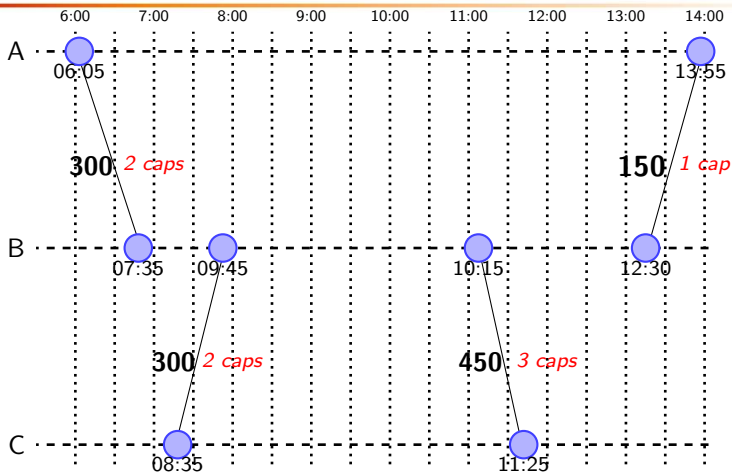
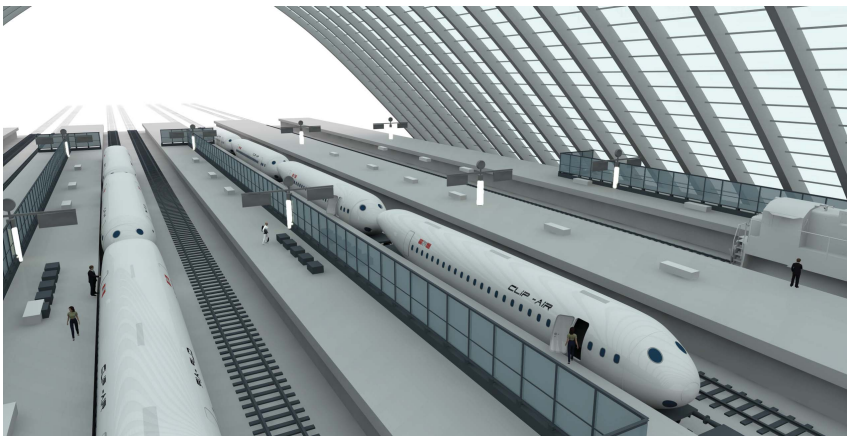


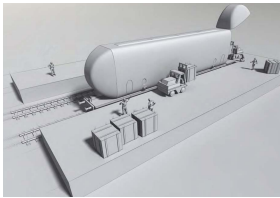
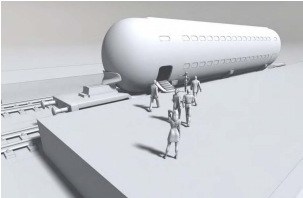
Illustration - Modularity



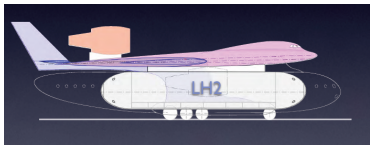
Multi-modality



Mixed passenger and cargo



Energy



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Model framework

- Decisions
 - Fleet assignment
 - Assignment of wings to the flights
 - Assignment of capsules to the wings
 - Schedule - selected optional flights
 - Seat allocation to economy and business class
 - The spilled number of passengers
- Supply-demand interactions ▶ demand model
 - Spill and recapture
 - Itinerary choice model

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Integrated schedule planning model

$$\text{Min} \sum_{f \in F} (C_f^w x_f^w + \sum_{k \in K} C_{k,f} x_{k,f}) + \sum_{h \in H} \sum_{s \in S^h} \sum_{i \in (I_s \setminus I'_s)} (\sum_{j \in I_s} t_{i,j} - \sum_{j \in (I_s \setminus I'_s)} t_{j,i} b_{j,i}) p_i \quad (1)$$

$$\text{s.t.} \sum_{k \in K} x_{k,f} = 1 \quad \forall f \in F^M \quad (2)$$

$$\boxed{\sum_{k \in K} x_{k,f} \leq x_f^w} \quad \forall f \in F \quad (3)$$

$$y_{a,t}^w + \sum_{f \in \text{In}(a,t)} x_f^w = y_{a,t}^w + \sum_{f \in \text{Out}(a,t)} x_f^w \quad \forall [a,t] \in N \quad (4)$$

$$\sum_{a \in A} y_{a, \min E_a^-}^w + \sum_{f \in CT} x_f^w \leq R_w \quad (5)$$

$$y_{a, \min E_a^-}^w = y_{a, \max E_a^+}^w \quad \forall a \in A \quad (6)$$

$$y_{a,t}^k + \sum_{f \in \text{In}(a,t)} \sum_{k \in K} k x_{k,f} = y_{a,t}^k + \sum_{f \in \text{Out}(a,t)} \sum_{k \in K} k x_{k,f} \quad \forall [a,t] \in N \quad (7)$$

$$\sum_{a \in A} y_{a, \min E_a^-}^k + \sum_{f \in CT} \sum_{k \in K} k x_{k,f} \leq R_k \quad (8)$$

$$y_{a, \min E_a^-}^k = y_{a, \max E_a^+}^k \quad \forall a \in A \quad (9)$$

Integrated schedule planning model

$$\text{Min } \sum_{f \in F} (C_f^w x_f^w + \sum_{k \in K} C_{k,f} x_{k,f}) + \sum_{h \in H} \sum_{s \in S^h} \sum_{i \in (I_s \setminus I'_s)} (\sum_{j \in I_s} t_{j,i} - \sum_{j \in (I_s \setminus I'_s)} t_{j,i} b_{j,i}) p_i \quad \text{op. costs + loss of pax.} \quad (1)$$

$$\text{s.t. } \sum_{k \in K} x_{k,f} = 1 \quad \text{mandatory flights} \quad \forall f \in F^M \quad (2)$$

$$\sum_{k \in K} x_{k,f} \leq x_f^w \quad \text{wing-capsule relation} \quad \forall f \in F \quad (3)$$

$$y_{a,t}^w + \sum_{f \in \text{In}(a,t)} x_f^w = y_{a,t}^w + \sum_{f \in \text{Out}(a,t)} x_f^w \quad \text{flow cons. wings} \quad \forall [a,t] \in N \quad (4)$$

$$\sum_{a \in A} y_{a,\min E_a^-}^w + \sum_{f \in CT} x_f^w \leq R_w \quad \text{available wings} \quad (5)$$

$$y_{a,\min E_a^-}^w = y_{a,\max E_a^+}^w \quad \text{cyclic wings} \quad \forall a \in A \quad (6)$$

$$y_{a,t}^k + \sum_{k \in K} k x_{k,f} = y_{a,t}^k + \sum_{k \in K} k x_{k,f} \quad \text{flow cons. capsules} \quad \forall [a,t] \in N \quad (7)$$

$$\sum_{a \in A} y_{a,\min E_a^-}^k + \sum_{\substack{f \in CT \\ k \in K}} k x_{k,f} \leq R_k \quad \text{available capsules} \quad (8)$$

$$y_{a,\min E_a^-}^k = y_{a,\max E_a^+}^k \quad \text{cyclic capsules} \quad \forall a \in A \quad (9)$$

Integrated schedule planning model

$$\sum_{s \in S^h} \sum_{i \in (I_s \setminus I'_s)} \delta_f^i D_i - \sum_{j \in I_s} \delta_f^i t_{i,j} + \sum_{j \in (I_s \setminus I'_s)} \delta_f^i t_{j,i} b_{j,i} \leq \pi_{f,h} \quad \forall f \in F, h \in H \quad (10)$$

$$\sum_{h \in H} \pi_{f,h} \leq \sum_{k \in K} Q^k x_{k,f} \quad \forall f \in F \quad (11)$$

$$\sum_{j \in I_s} t_{i,j} \leq D_i \quad \forall h \in H, s \in S^h, i \in (I_s \setminus I'_s) \quad (12)$$

$$x_f^w \in \{0,1\} \quad \forall f \in F \quad (13)$$

$$x_{k,f} \in \{0,1\} \quad \forall k \in K, f \in F \quad (14)$$

$$y_{a,t}^w \geq 0 \quad \forall [a,t] \in N \quad (15)$$

$$y_{a,t}^k \geq 0 \quad \forall [a,t] \in N \quad (16)$$

$$\pi_{f,h} \geq 0 \quad \forall f \in F, h \in H \quad (17)$$

$$t_{i,j} \geq 0 \quad \forall h \in H, s \in S^h, i \in (I_s \setminus I'_s), j \in I_s \quad (18)$$

Integrated schedule planning model

$$\sum_{s \in S^h} \sum_{i \in (I_s \setminus I'_s)} \delta_f^i D_i - \sum_{j \in I_s} \delta_f^j t_{i,j} + \sum_{j \in (I_s \setminus I'_s)} \delta_f^j t_{j,i} b_{j,i} \leq \pi_{f,h} \text{ demand-supply} \quad \forall f \in F, h \in H \quad (10)$$

$$\sum_{h \in H} \pi_{f,h} \leq \sum_{k \in K} Q_k x_{k,f} \quad k \text{ capsules up to 3} \quad \forall f \in F \quad (11)$$

$$\sum_{j \in I_s} t_{i,j} \leq D_i \text{ spilled passengers} \quad \forall h \in H, s \in S^h, i \in (I_s \setminus I'_s) \quad (12)$$

$$x_f^w \in \{0, 1\} \quad \forall f \in F \quad (13)$$

$$x_{k,f} \in \{0, 1\} \quad \forall k \in K, f \in F \quad (14)$$

$$y_{a,t}^w \geq 0 \quad \forall [a, t] \in \mathcal{N} \quad (15)$$

$$y_{a,t}^k \geq 0 \quad \forall [a, t] \in \mathcal{N} \quad (16)$$

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Configuration - Comparison with Airbus A320

	A320	Clip-Air
Maximum Capacity	150 seats	3x150(450 seats)
Engines	2 engines	3 engines
Maximum Aircraft Weight	78t	139t (+78%)
2 (planes/capsules)	2x78t (156t)	173.5t (+11%)
3 (planes/capsules)	3x78t (234t)	208t (-11%)

Operating costs for *Clip-Air*

- Based on standard flight operating costs
- Adjustment based on weight differences:
 - Fuel costs¹ (25.3% of the total op. cost)
 - Airport and air navigation charges² (6%)
- Crew cost¹ (24.8%) is separated between wing (flight crew) and capsules (cabin crew):
 - flight crew constitutes a 60% of the total crew cost
 - gain of 30% with 2 capsules
 - gain of 40% with 3 capsules

¹IATA,2010

²Castelli and Ranieri, 2007; ICAO, 2012

Conservative Assumptions

- Fleet composition

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 - Standard fleet optimizes the fleet composition

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- Fleet composition
 - Standard fleet optimizes the fleet composition
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- We ignore potential savings related to maintenance, number of engines
- Only passenger transportation

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- Fleet composition
 - Standard fleet optimizes the fleet composition
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- We ignore potential savings related to maintenance, number of engines
- Only passenger transportation
- Total fleet investment cost is ignored

Conservative Assumptions

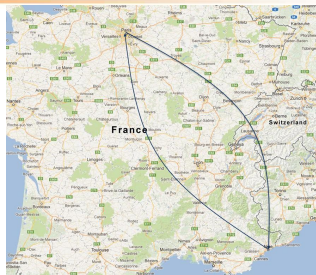
- Fleet composition
 - Standard fleet optimizes the fleet composition
 - Clip-Air capsules are of same size
- Operating cost of Clip-Air is higher
- The repositioning of empty capsules is ignored
- We ignore potential savings related to maintenance, number of engines
- Only passenger transportation
- Total fleet investment cost is ignored
- The schedule and the demand is assumed to remain the same

Towards results

- Input: data from Air France (ROADEF Challenge 2009)
 - set of optional and mandatory flights
 - set of airports
 - set of itineraries: demands and fares
 - set of aircraft for the standard fleet
- Performance measures
 - ASK: available seat kilometers
 - TPASK: transported pax. per available seat kilometers
- Tests:
 - Network effect
 - Fleet composition
 - Available capacity
 - Sensitivity analysis on the costs

Network effects - Airport pair

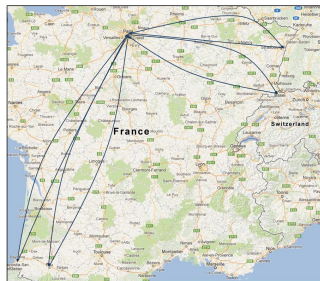
Data		
Airports		2
Flights		38
Density (Flights/route)		19
Passengers		13,965
Itineraries		45
Standard fleet types	A320(150), A330(293), B747-200(452)	
Results		
	Standard fleet	Clip-Air
Operating cost	1,607,166	1,725,228
Spill costs	604,053	448,140
Revenue	2,419,306	2,575,219
Profit	812,140	849,991 (+4.66 %)
Transported pax.	10,276	11,035 (+7.39 %)
Flight count	38	38
Total flight duration	3135 min	3135 min
Used fleet	2 A320	7 wings
	5 A330	12 capsules
Used aircraft	7	7
Used seats	1765	1800
ASK	78,388,063	79,942,500
TPASK ($\times 10^{-5}$)	13.11	13.80



- Aircraft sizes are almost equivalent to 1, 2, 3 capsules
⇒ same usage of capacity
- High flight density
⇒ improved profit

Network effects - Hub and spoke

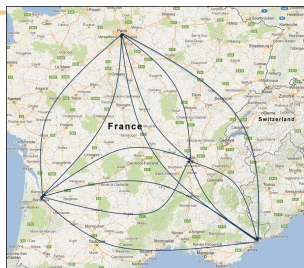
Data		
Airports		5
Flights		26
Density (Flights/route)		3.25
Passengers		9,573
Itineraries		37
Standard fleet types	A320(150), A330(293), B747-200(452)	
Results		
	Standard fleet	Clip-Air
Operating cost	817,489	938,007
Spill costs	484,950	393,677
Revenue	1,247,719	1,338,992
Profit	430,230	400,985 (- 6.80 %)
Transported pax.	5,031	5,721 (+ 13.71 %)
Flight count	24	22
Total flight duration	1850 min	1700 min
Used fleet	5 A320	6 wings
	2 A330	12 capsules
	1 B747	
Used aircraft	8	6
Used seats	1788	1800
ASK	46,860,500	43,350,000
TPASK ($\times 10^{-5}$)	10.74	13.20



- Low flight density
- ⇒ less potential
- ⇒ lower profit

Network effects - Peer-to-peer network

Data		
Airports		4
Flights		98
Density (Flights/route)		8.17
Passengers		28,465
Itineraries		150
Standard fleet types	A320(150), A330(293), B747-200(452)	
Results		
	Standard fleet	Clip-Air
Operating cost	3,189,763	3,117,109
Spill costs	982,556	978,683
Revenue	5,056,909	5,060,782
Profit	1,867,146	1,943,673 (+ 4.1 %)
Transported pax.	20,840	21,424 (+ 2.8 %)
Flight count	91	84
Total flight duration	6650 min	6160 min
Used fleet	7 A320	13 wings
	10 A330	28 capsules
	3 B747	
Used aircraft	20	13
Used seats	5336	4200 (- 21.3 %)
ASK	502,695,667	366,520,000
TPASK ($\times 10^{-5}$)	4.15	5.85



- High flight density
- Better connected network
 - ⇒ increased potential
 - ⇒ higher profit
 - ⇒ less allocated capacity
 - ⇒ significantly less aircraft

Network effects

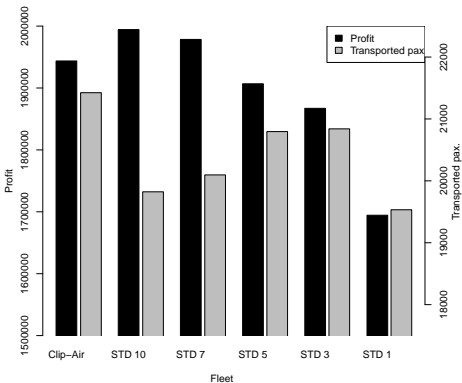
- Enhanced performance when...
 - High flight density
 - Well connected network

Fleet composition

The same data as peer-to-peer network

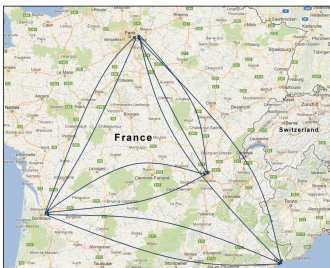
Clip-Air always carries more passengers

Standard fleet has more profit when the fleet is highly heterogeneous



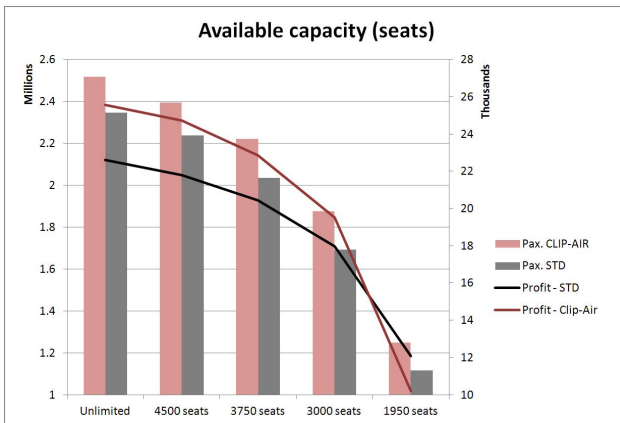
Available capacity

Airports	5
Flights	100
Density (Flights/route)	6.25
Passengers	35,510
Itineraries	140
Standard fleet types	A319(124), A320(150), A321(185), A330(293), A340(335), B737-300(128), B737-400(146), B737-900(174), B747-200(452), B777(400)



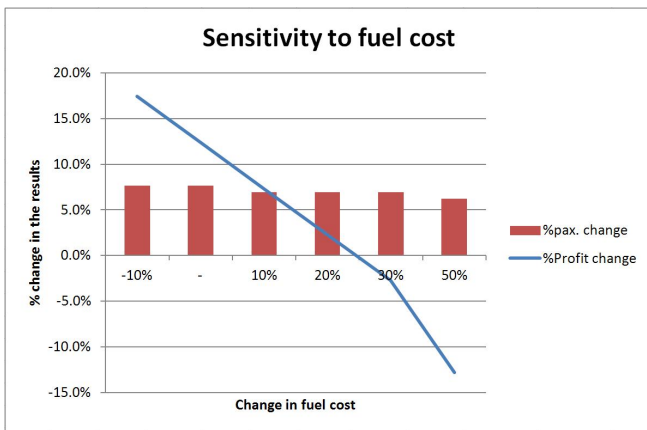
Available capacity

Constraint on the total number of seats for the assigned fleet



Sensitivity analysis on the cost of Clip-Air

The same data used for the test on the available capacity



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 - More passengers...

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 - ... with less allocated capacity

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- Atasoy, B., Salani, M., Bierlaire, M., and Leonardi, C. (2013). Impact analysis of a flexible air transportation system, *European Journal of Transport and Infrastructure Research* 13(2): 123-146.

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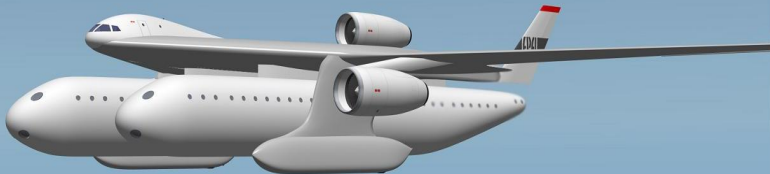
Different wing and capsule sizes

- Clip-Air has a strength with one single wing/capsule type
- Different sizes can be studied
- Small wings/capsules: easier transport

Multi-modality of Clip-Air capsules

- Clip-Air capsules can be transferred via other means of transport
- Empty capsule management
- Demand fluctuations
- Unbalanced demand
- European market - railways

Thank you very much for your attention!



Any question?

Spill and recapture ▶ Model

$$\begin{aligned}
 V_i = & -[2.23(-3.48) \times \text{nonstop}_i + 2.17(-3.48) \times \text{stop}_i] \times \ln(p_i/100) \\
 & - [0.102(-2.85) \times \text{nonstop}_i + 0.0762(-2.70) \times \text{stop}_i] \times \text{time}_i \\
 & + 0.0283(1.21) \times \text{morning}
 \end{aligned}
 \quad \forall i \in I_s, s \in S^{\text{econ.}},$$

$$\begin{aligned}
 V_i = & -[1.97(-3.64) \times \text{nonstop}_i + 1.96(-3.68) \times \text{stop}_i] \times \ln(p_i/100) \\
 & - [0.104(-2.43) \times \text{nonstop}_i + 0.0821(-2.31) \times \text{stop}_i] \times \text{time}_i \\
 & + 0.0790(1.86) \times \text{morning}
 \end{aligned}
 \quad \forall i \in I_s, s \in S^{\text{bus.}},$$

$$b_{i,j} = \frac{\exp(V_j)}{\sum_{k \in I_s \setminus \{i\}} \exp(V_k)} \quad \forall h \in H, s \in S^h, i \in (I_s \setminus I'_s), j \in I_s,$$

Spill and recapture

	class	nonstop	morning	time	price	V
A-B ₁	E	0	1	250	300	-2.67
A-B ₂	E	0	0	250	300	-2.70
A-B ₃	E	1	0	80	200	-1.68
A-B ₄	E	1	1	80	200	-1.65
A-B'	E	1	1	80	225	-1.92

	A-B ₁	A-B ₂	A-B ₃	A-B ₄	A-B'
A-B ₁	-	0.113	0.314	0.323	0.250
A-B ₂	0.116	-	0.314	0.322	0.248
A-B ₃	0.146	0.141	-	0.403	0.310
A-B ₄	0.147	0.143	0.396	-	0.314